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Discovering dark matter: using JWST observations and bilayer graphene

Ranjan Laha

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[arXiv: 2511.02906](#) (accepted in Physical Review Letters) + [arXiv: 2604.21969](#)



Thanks to my collaborators: [Souradeep Das](#), Ranjini Mondol,
Abhijeet Singh, Rinchen Sherpa, [Anuvab Sarkar](#),
Tarak Nath Maity, Paramita Dutta, and Anirban Das

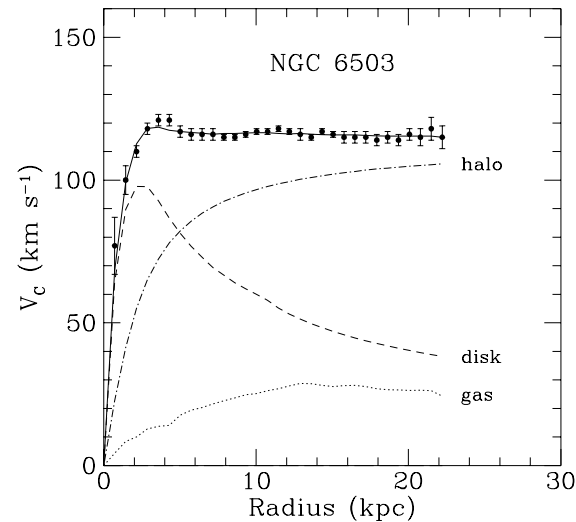


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Introduction to Dark Matter

Gravitational detection of dark matter



Dark matter accounts for approximately a quarter of the total energy density of the Universe

Gravitational detection of dark matter at various astrophysical scales

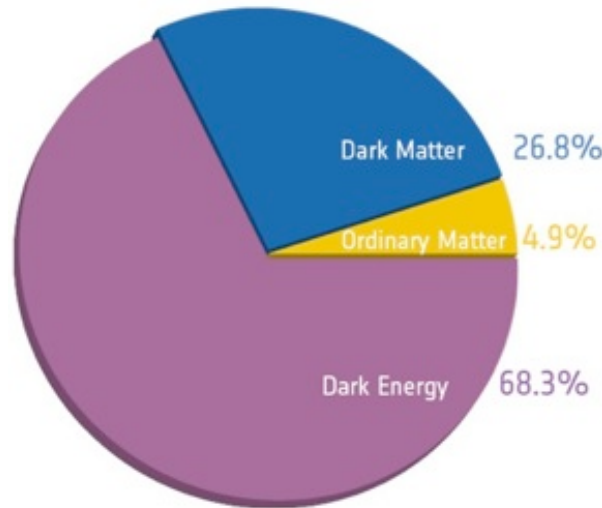


Bullet cluster

https://en.wikipedia.org/wiki/File:1e0657_scale.jpg

ESA website

<http://sci.esa.int/planck/51557-planck-new-cosmic-recipe/>



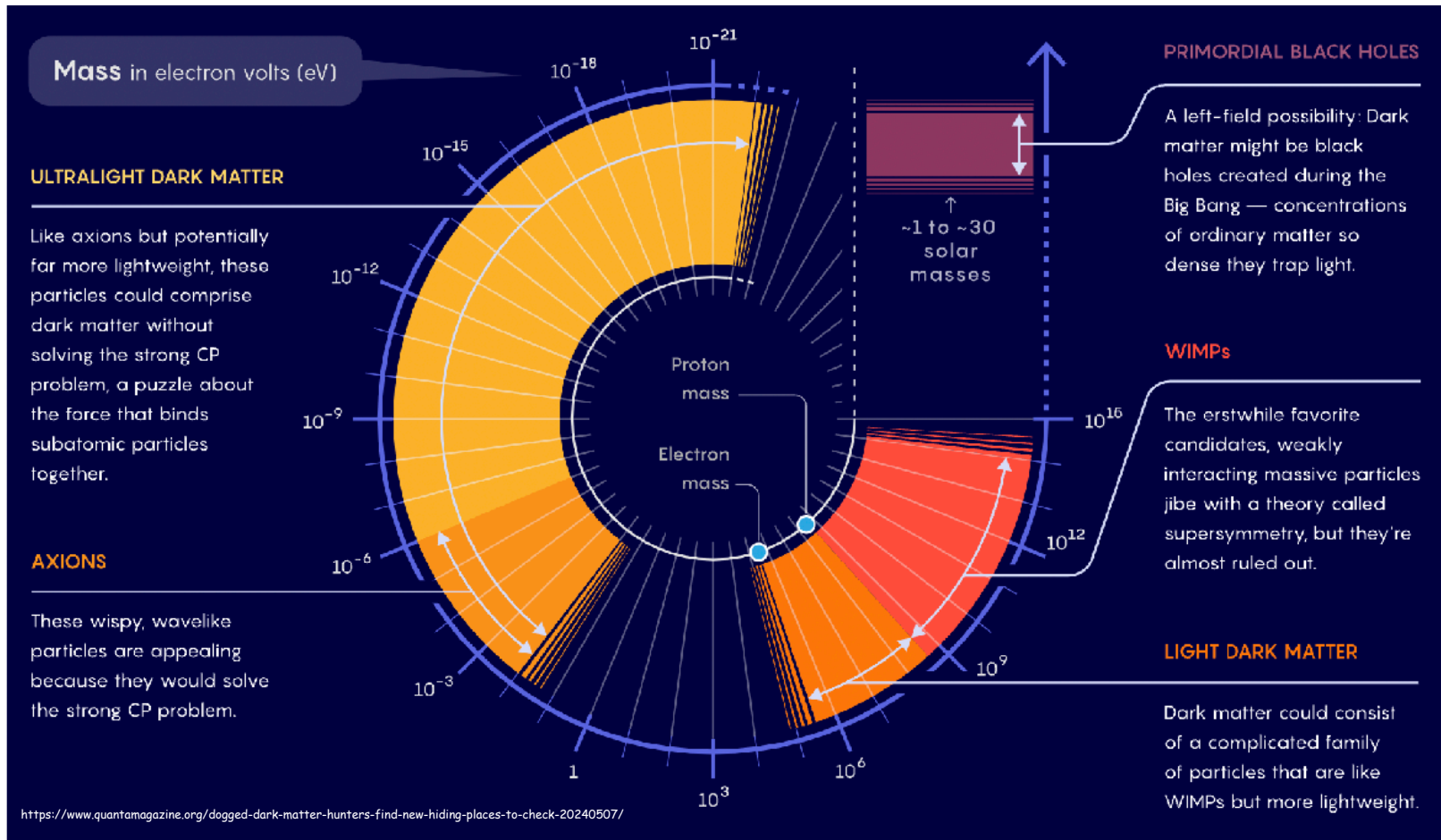
Dark matter is responsible for the large scale structure of the Universe

The interaction rate of dark matter with light is much weaker than electromagnetic rate

Density of dark matter in this room
 = $5.35 \times 10^{-25} \text{ g cm}^{-3}$

Density of water = 1 g cm^{-3}

Dark matter candidates

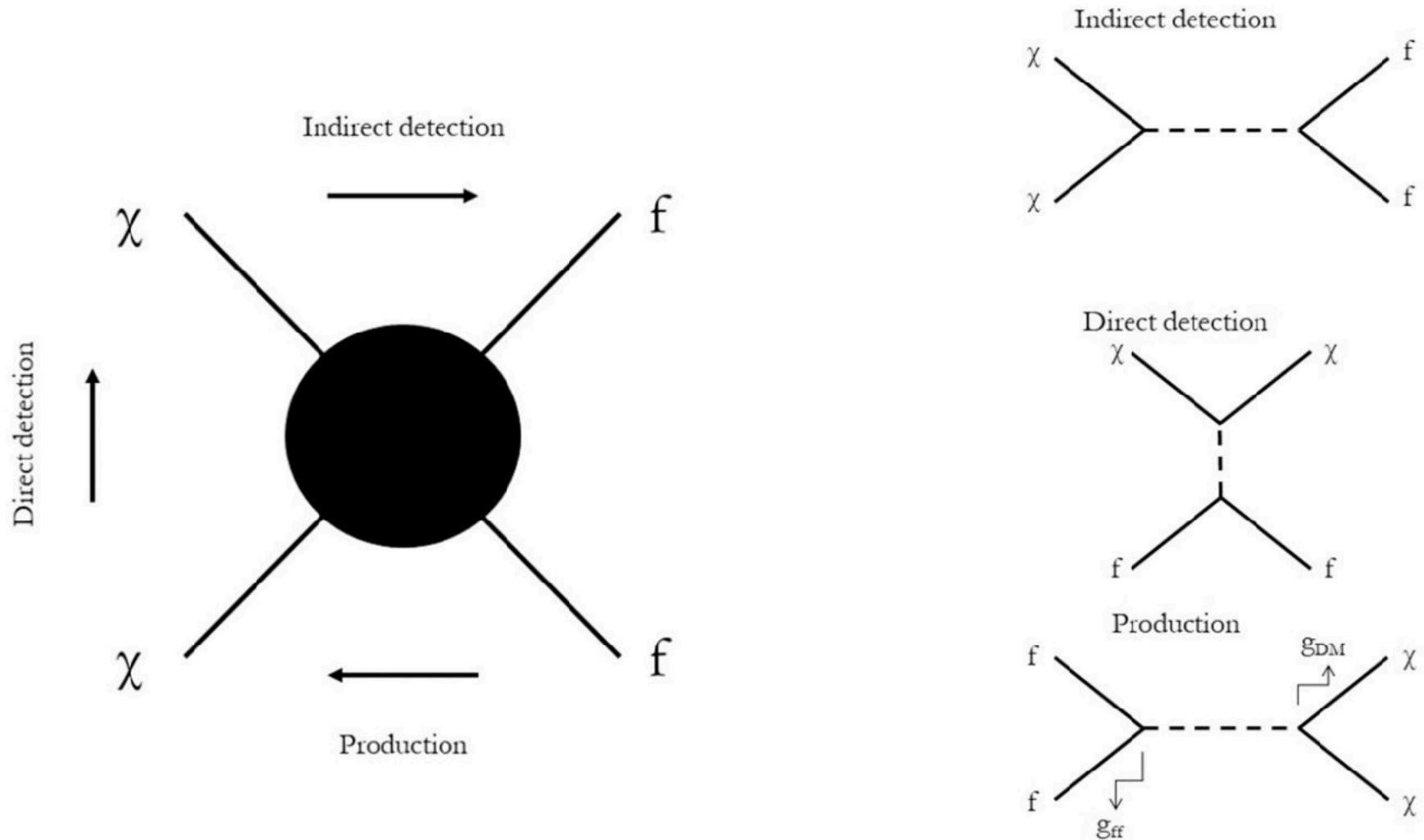


Wide range in dark matter candidate masses

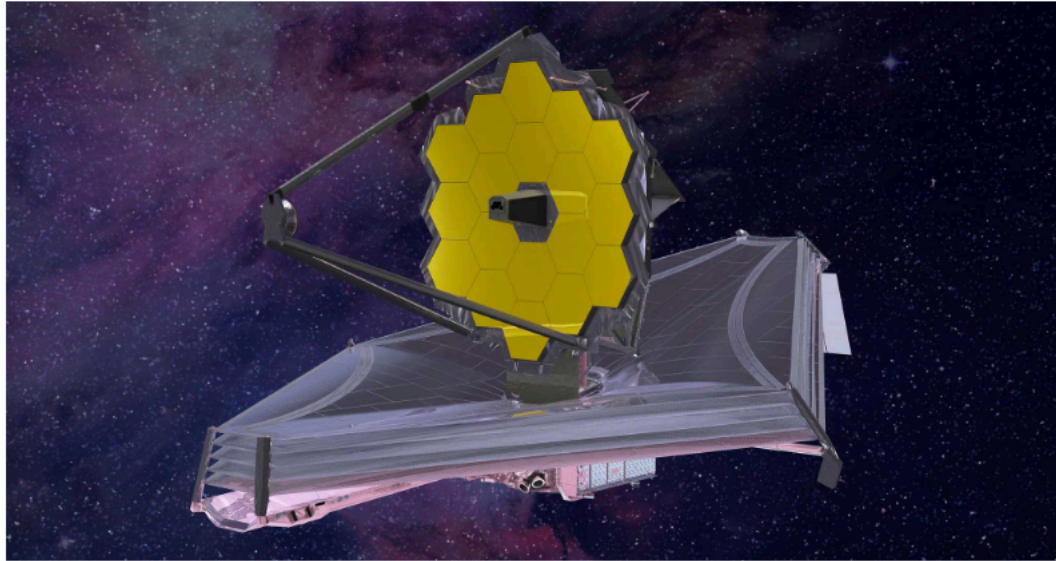
We need to thoroughly test all well-motivated candidates

It is important to test all regions of the dark matter mass parameter space and all different couplings of dark matter - Standard Model particles

Does dark matter interact with Standard Model particles via non-gravitational interactions?



Part 1: Dark Secrets of Baryons: Illuminating Dark Matter-Baryon Interactions with JWST



Credit: Northrop Grumman

[arXiv: 2511.02906](#) (accepted in Physical Review Letters)

[Souradeep Das](#), Ranjini Mondol, Abhijeet Singh, and Ranjan Laha

Dark Secrets of Baryons: Illuminating Dark Matter-Baryon Interactions with JWST

Dark Secrets of Baryons: Illuminating Dark Matter-Baryon Interactions with JWST

Souradeep Das ^{1,2,*} Ranjini Mondol ^{1,†} Abhijeet Singh ^{1,‡} and Ranjan Laha ^{1,§}

¹*Centre for High Energy Physics, Indian Institute of Science, C. V. Raman Avenue, Bengaluru 560012, India*

²*Department of Physics, Ohio State University, 191 West Woodruff Avenue, Columbus, OH 43210*

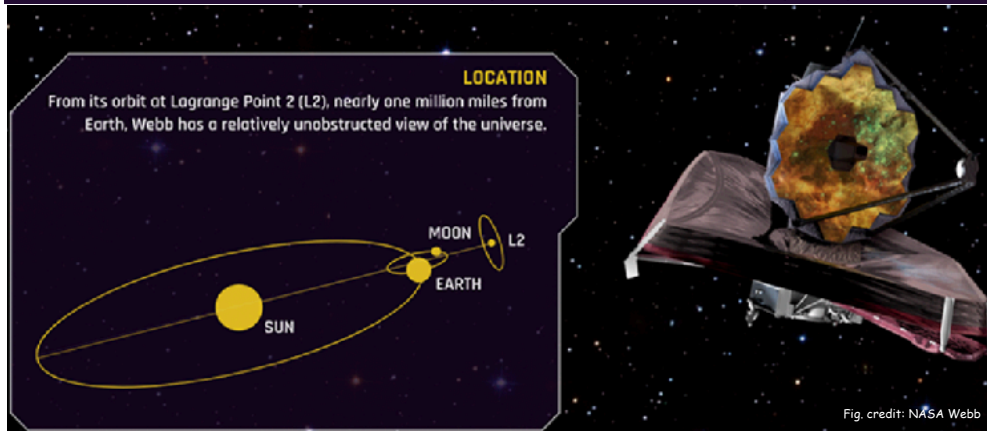
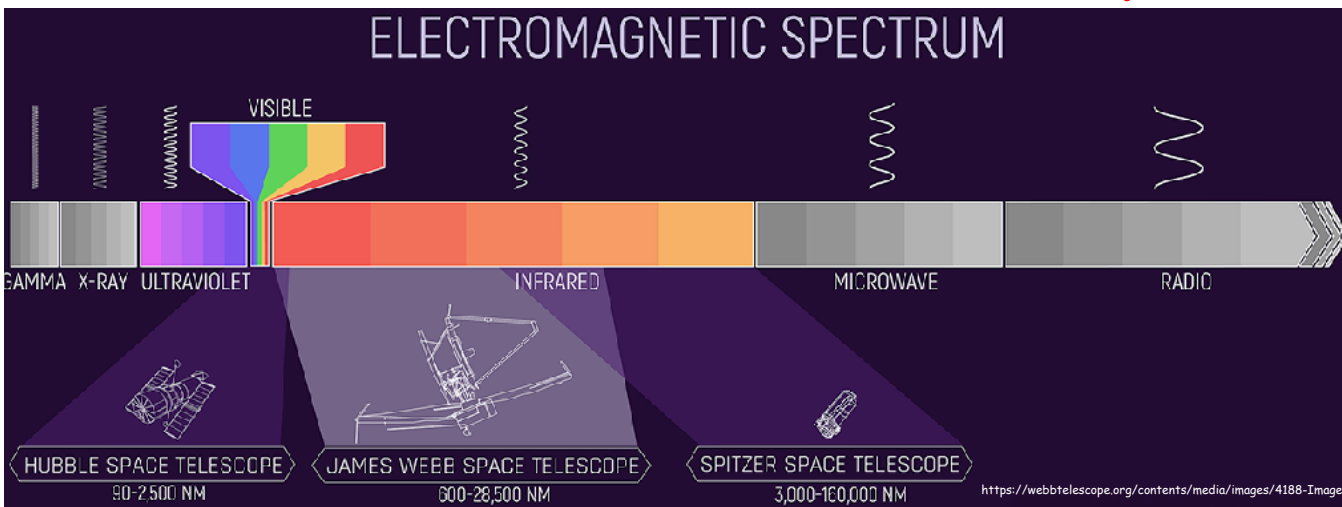
(Dated: November 6, 2025)

The James Webb Space Telescope (JWST) has discovered numerous bright galaxies at high redshifts ($z \approx 10 - 14$). Many astrophysical models and beyond the Standard Model physics scenarios have been proposed to explain these observations. We investigate, for the first time, the implications of dark matter (DM) scattering with baryons (protons and electrons) in light of the JWST UV luminosity function (UVLF) observations. These interactions suppress structure formation on galactic scales, which may have an observable effect on the UVLF measurements at high redshifts. Using a recent galaxy formation model designed to explain high-redshift observations, we obtain strong upper limits on DM-baryon scattering cross-sections and explore new regions of the parameter space. For DM-proton scattering with cross-section $\propto v^{-2}$ velocity dependence, we obtain the strongest limit for DM masses of $\sim 1 - 500$ MeV. For other cases that we study (DM-proton scattering cross-section $\propto v^0, v^{-4}$, and DM-electron scattering cross-section $\propto v^0, v^{-2}, v^{-4}$), our limits are competitive with those obtained from other cosmological observables. Our study highlights the potential of JWST observations as a novel and powerful probe of non-gravitational interactions of DM.

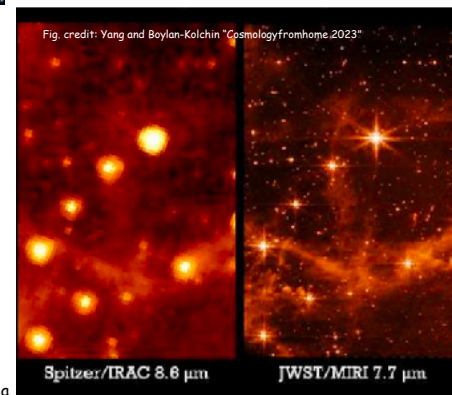
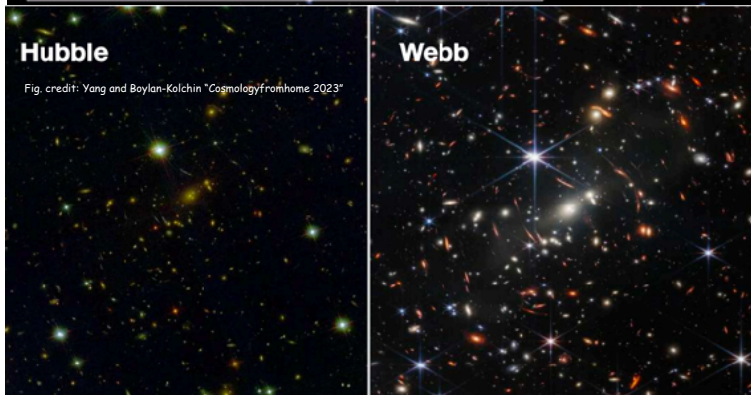
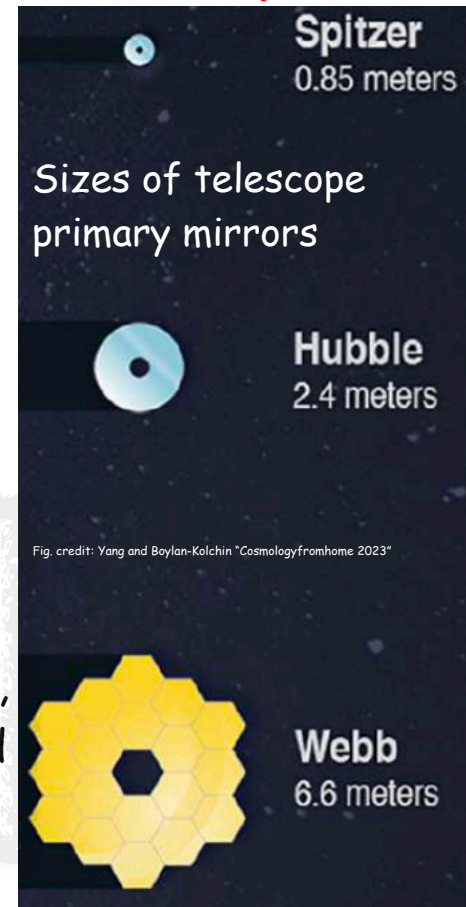
arXiv: 2511.02906

accepted in [Physical Review Letters](#)

JWST (James Webb Space Telescope)



Four different instruments on-board: **NIRSpec**, **NIRCam**, **MIRI**, and **NIRISS**



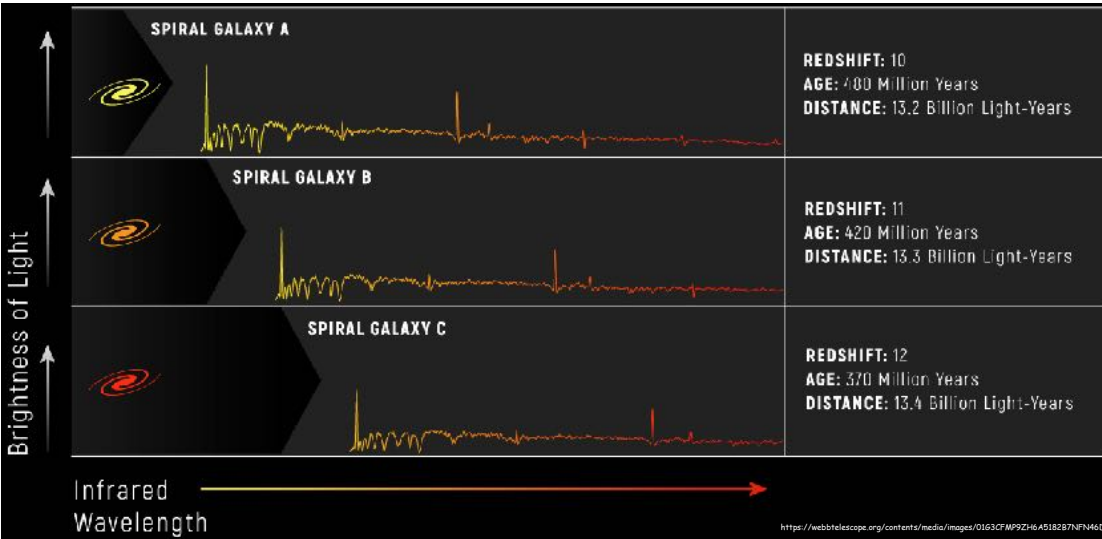
NIRSpec: Near InfraRed Spectrograph

NIRCam: Near InfraRed Camera

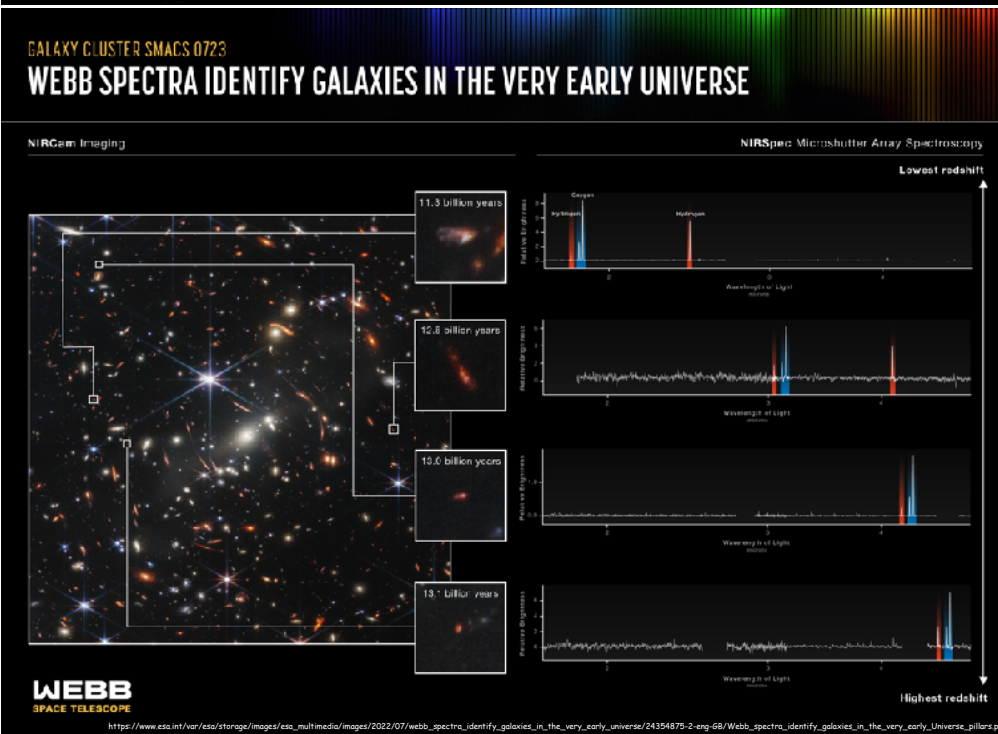
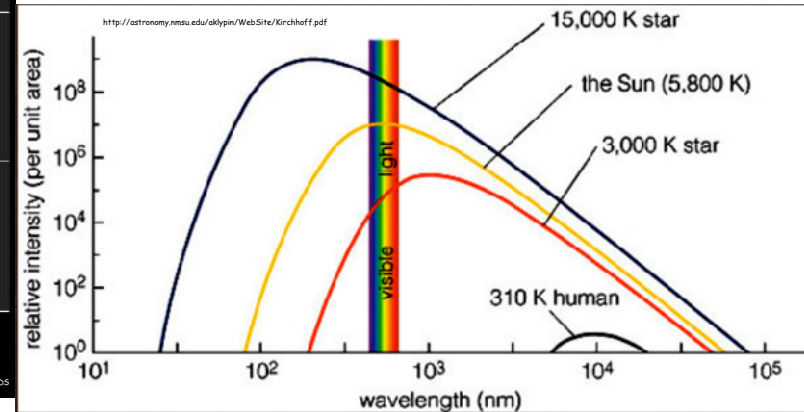
MIRI: Mid InfraRed Instrument

NIRISS: Near InfraRed Imager and Slitless Spectrograph

Earliest galaxies observed



Young (and thus hotter) stars emit mostly in the **UV** wavelengths

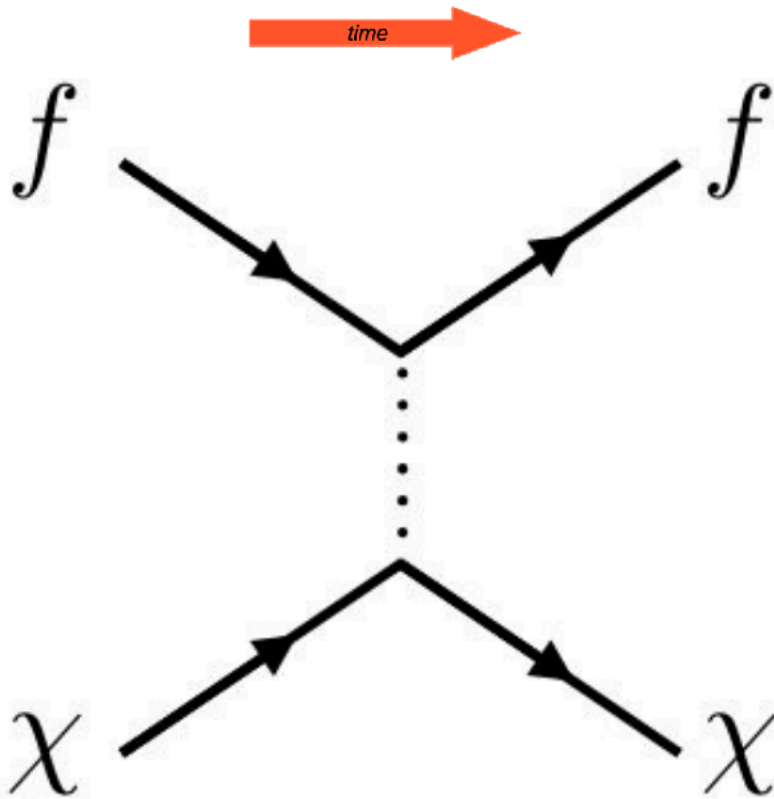


These UV emissions get **redshifted** to longer wavelengths (i.e., **optical** and **IR**)

$$\lambda_{\text{obs}} = (1 + z)\lambda_{\text{emit}}$$

We need **IR** telescopes to observe the **earliest galaxies**

Dark Matter-Baryon elastic scattering



We consider **dark matter particles elastically scattering with protons and electrons**
(cosmologically, both protons and electrons are referred to as baryons)

Transfer cross-section

$$\sigma_{\chi}^T = \int (1 - \cos \theta) \frac{d\sigma}{d\Omega} d\Omega$$

We parametrize the transfer cross-section as

$$\sigma_{\chi}^T = \sigma_0 v^n$$

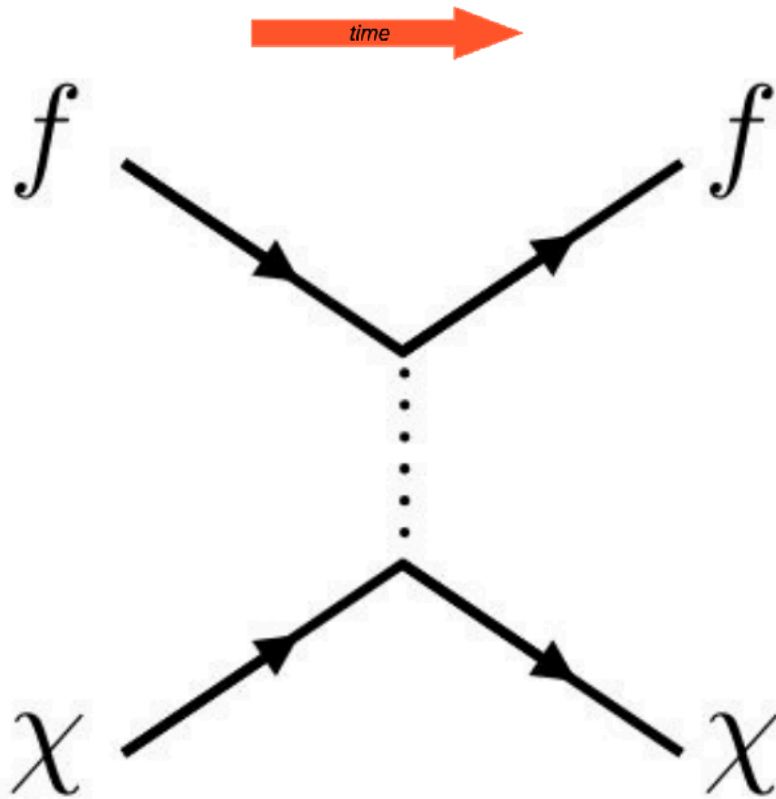
v = relative velocity between dark matter and baryons

$f = e^{\pm}, p$ χ = DM particle

<https://indico.cern.ch/event/1166693/contributions/5281043/attachments/2641770/4571955/Boddy-Avi-gnon.pdf>

Slide idea: Ranjini Mondol, Souradeep Das, and Abhijeet Singh

Dark Matter-Baryon elastic scattering



We consider

$\sigma_{\chi}^T \propto v^0$: **contact interactions**;
interactions mediated by
a heavy particle

$\sigma_{\chi}^T \propto v^{-2}$: **electric-dipole-like**
interactions

$\sigma_{\chi}^T \propto v^{-4}$: **Coulomb-like**
interactions

$f = e^{\pm}, p$ $\chi = \text{DM particle}$

https://indico.cern.ch/event/1166693/contributions/5281043/attachments/2641770/4571955/Boddy-Avi_gnon.pdf

Slide idea: Ranjini Mondol, Souradeep Das, and Abhijeet Singh

How does this affect structure formation?

→ Gravity

● χ
● $e^\pm, p$
→ Radiation pressure

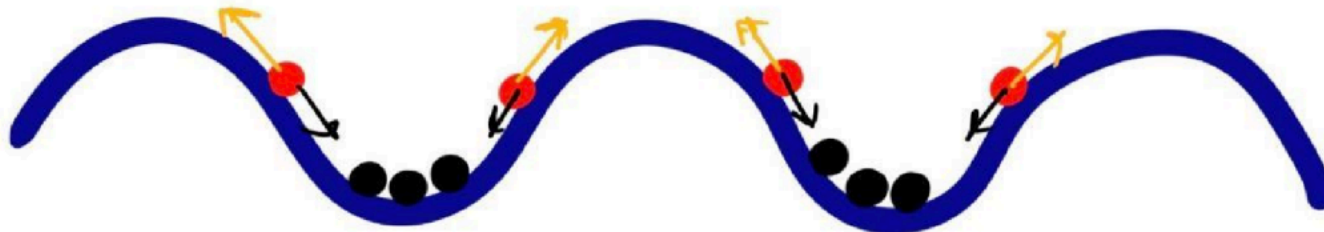


Image courtesy: Ranjini Mondol

How does this affect structure formation?

→ Gravity

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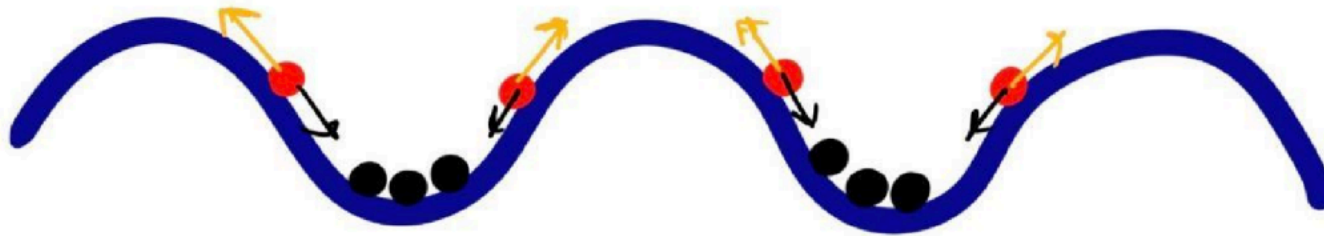
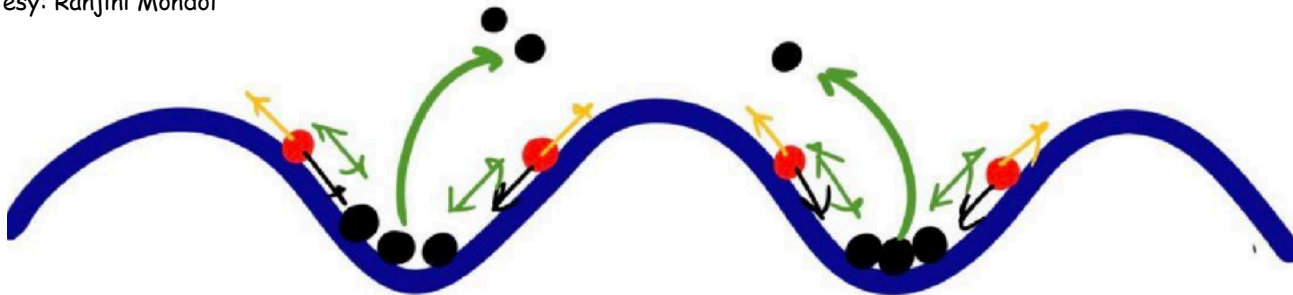


Image courtesy: Ranjini Mondol



→ Momentum transfer for
DM-b

How does this affect structure formation?

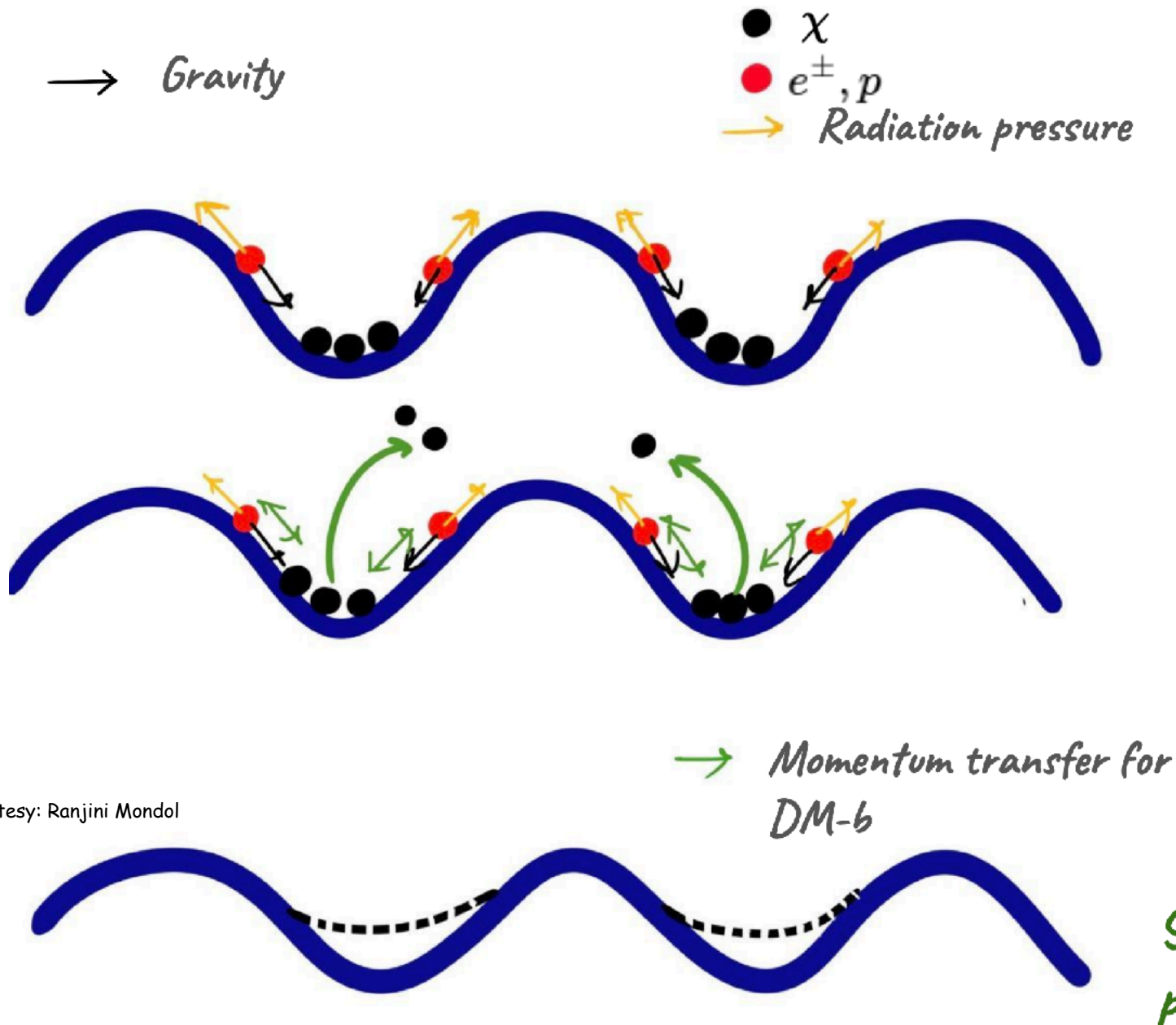
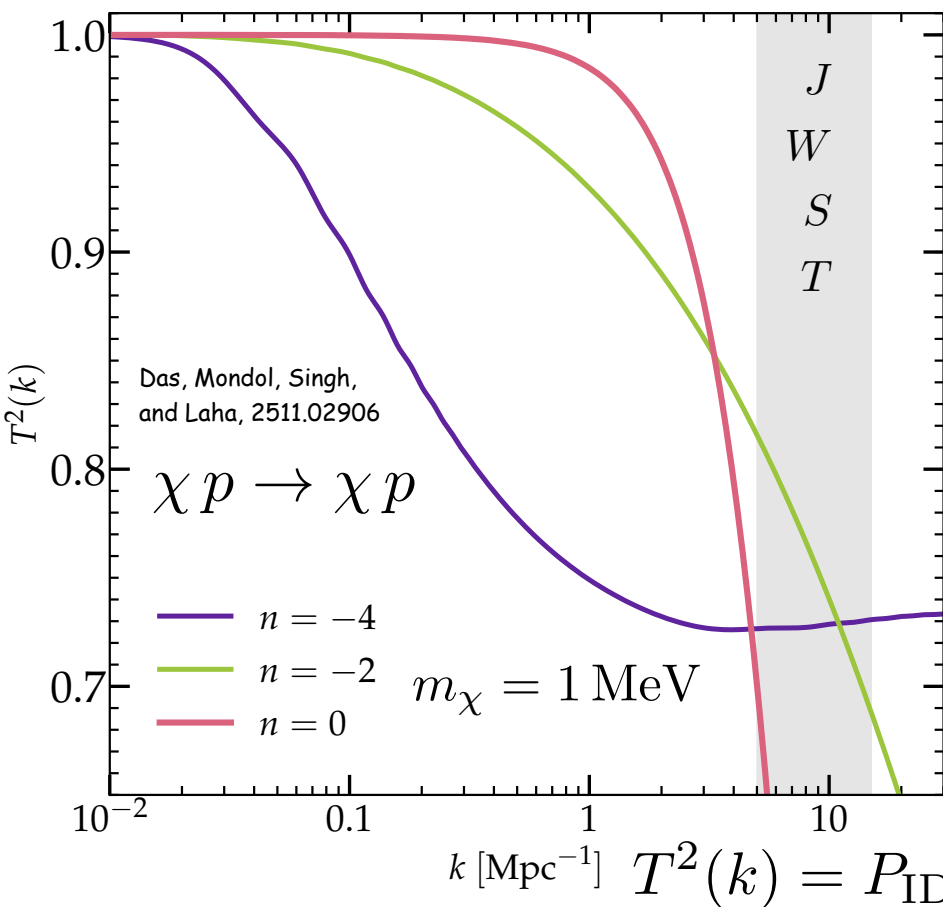


Image courtesy: Ranjini Mondol

Linear matter power spectrum in the presence of dark matter - baryon interactions

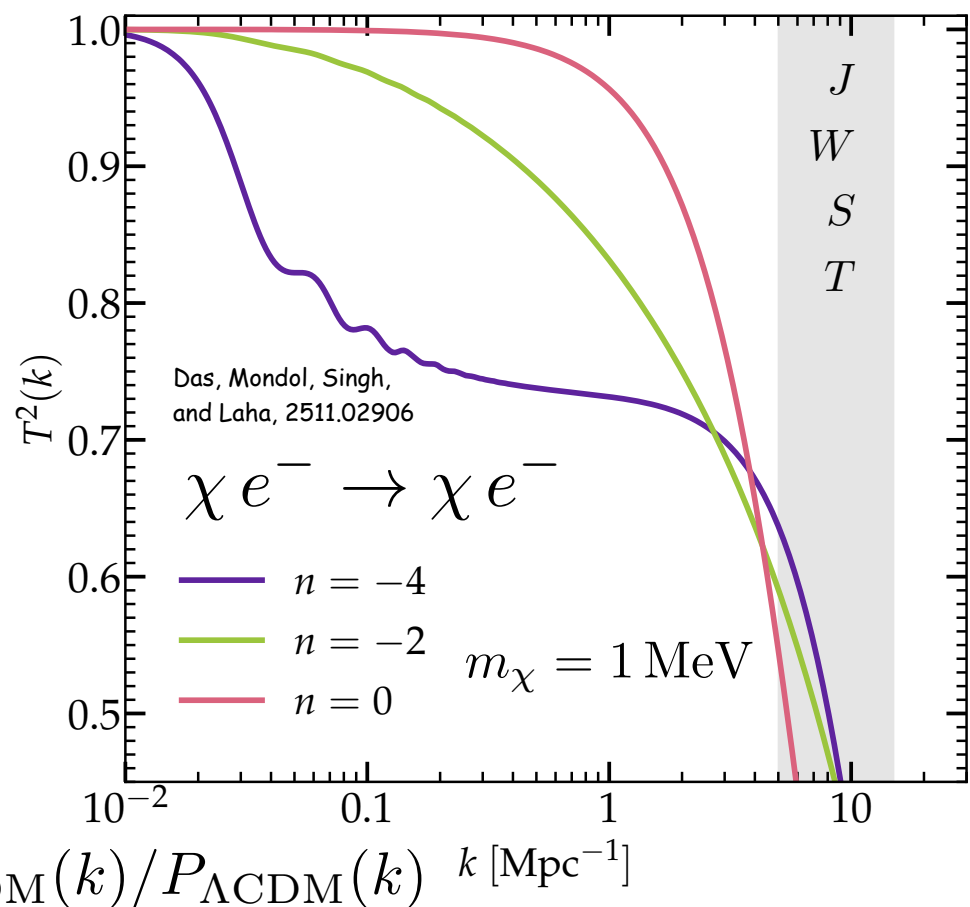


$$\log_{10}(\sigma_n^{\chi p} / \text{cm}^2)$$

$$n = 0 : -27.49$$

$$n = -2 : -33.48$$

$$n = -4 : -40.33$$



$$\log_{10}(\sigma_n^{\chi e} / \text{cm}^2)$$

$$n = 0 : -27.84$$

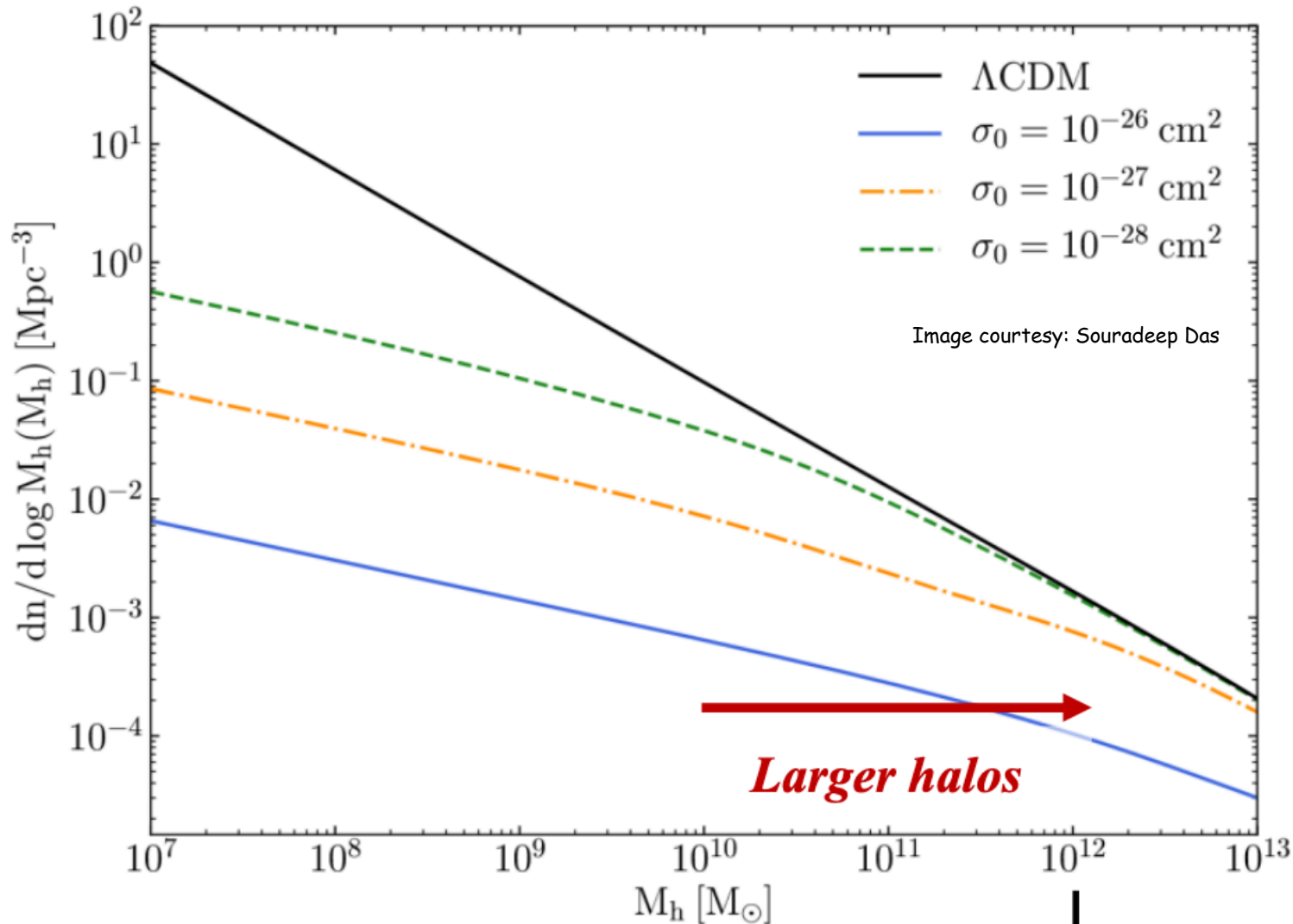
$$n = -2 : -31.14$$

$$n = -4 : -35.42$$

Halo mass function

Dark matter -
baryon
interactions
mainly
suppresses
low-mass halos

Larger cross-
sections imply
a higher
suppression



Do we have a new probe of this suppression
and consequently probe dark matter -
baryon scattering cross-section?

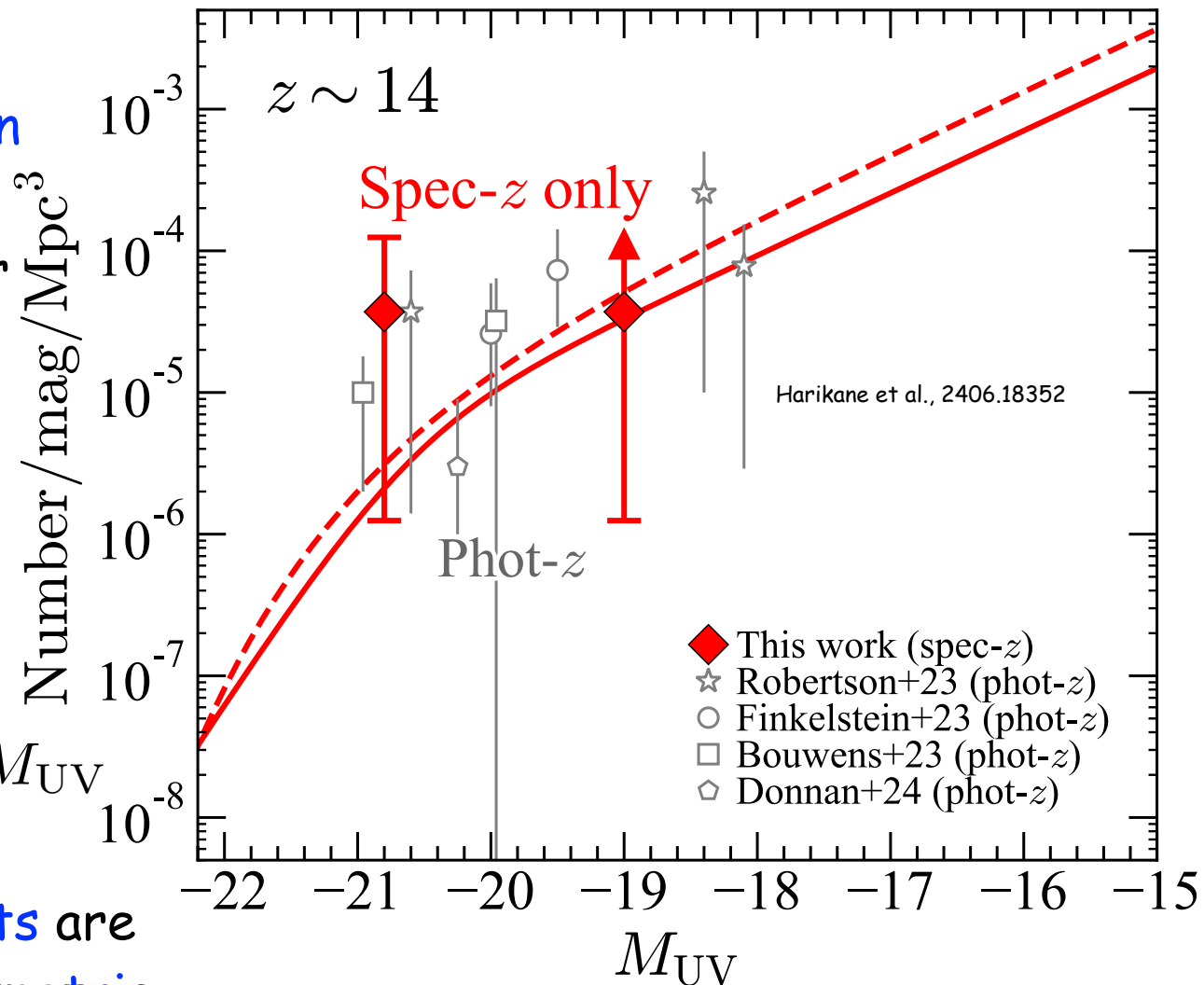
~Milky Way
halo mass

UV Luminosity Function

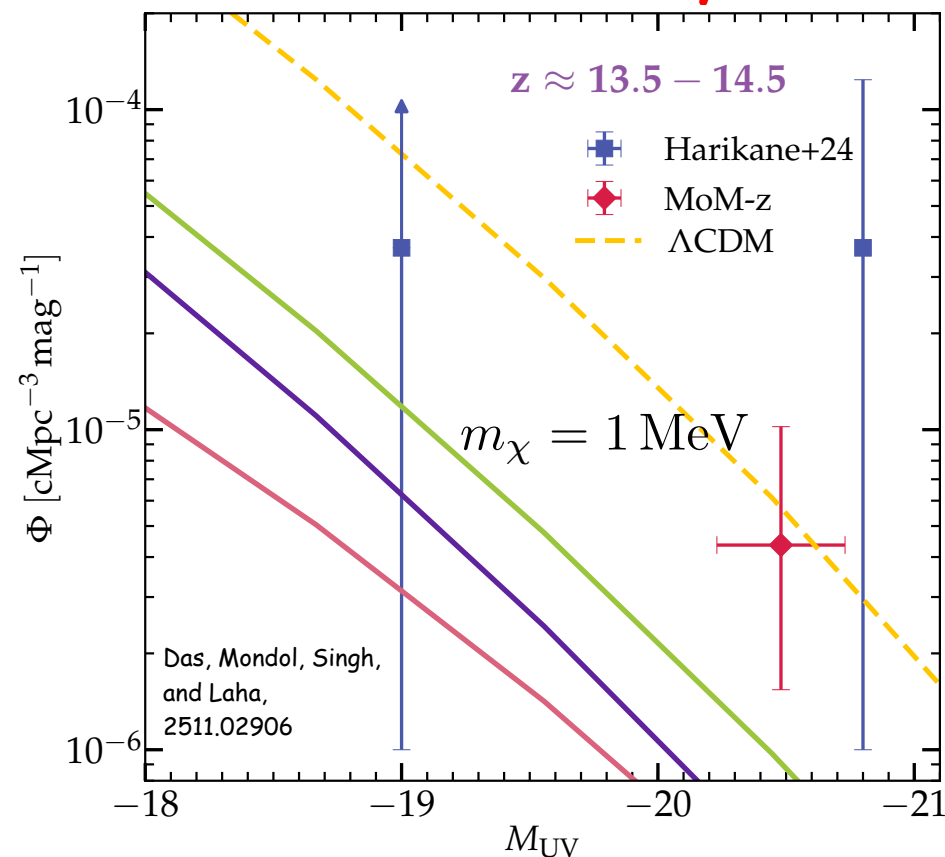
UV Luminosity Function (UVLF) quantifies the number of galaxies per unit volume per unit interval of M_{UV} at various redshifts

$$dn = \phi_{UV}(M_{UV}, z) dM_{UV}$$

Spectroscopic redshifts are very well known; photometric redshifts have larger uncertainties



Comparing UV Luminosity Function due to dark matter - baryon interactions with data



$$\log_{10}(\sigma_n^{\chi p} / \text{cm}^2)$$

$$n = 0 : -27.49$$

$$n = -2 : -33.48$$

$$n = -4 : -40.33$$

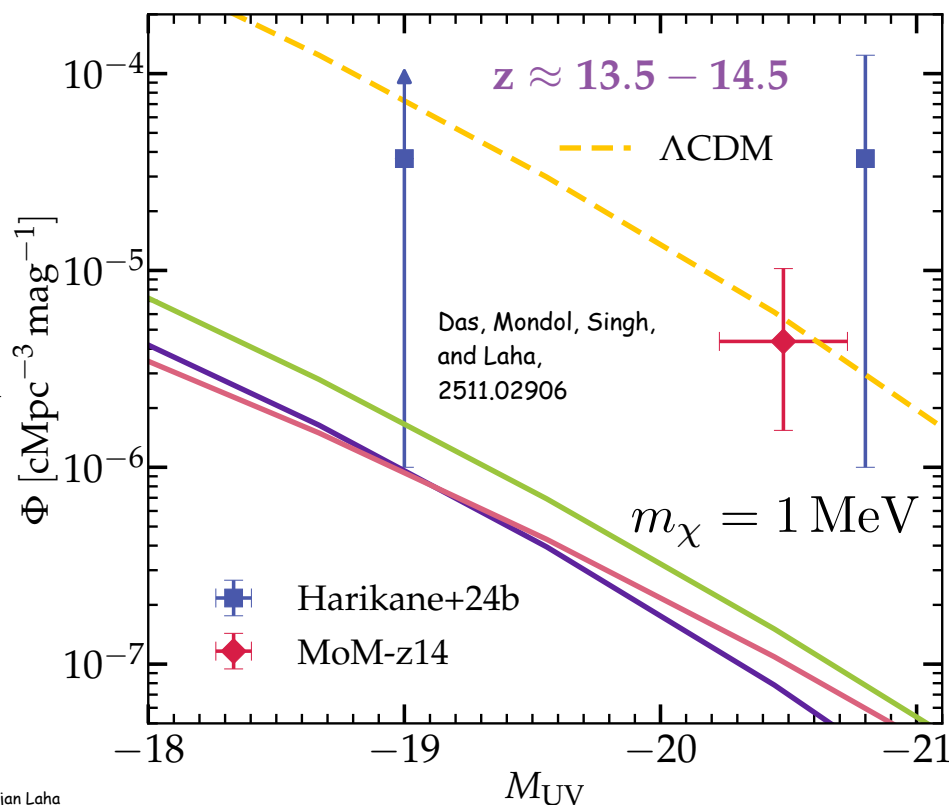
$$\log_{10}(\sigma_n^{\chi e} / \text{cm}^2)$$

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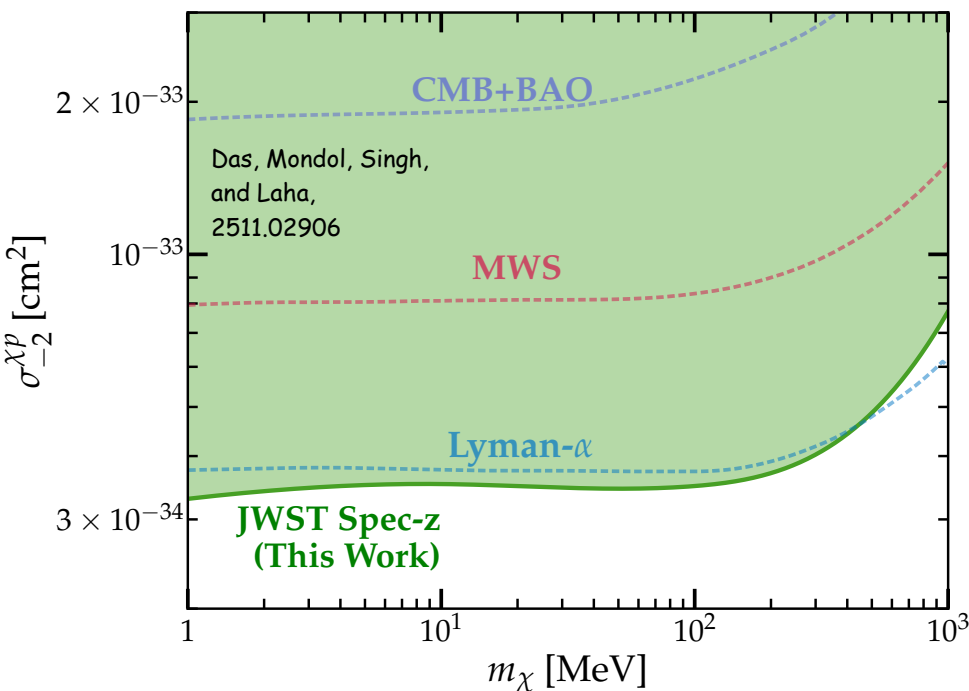
$$n = -2 : -31.14$$

$$n = -4 : -35.42$$

UVLF measurements disagree with theoretically calculated predictions due to dark matter - baryon interactions

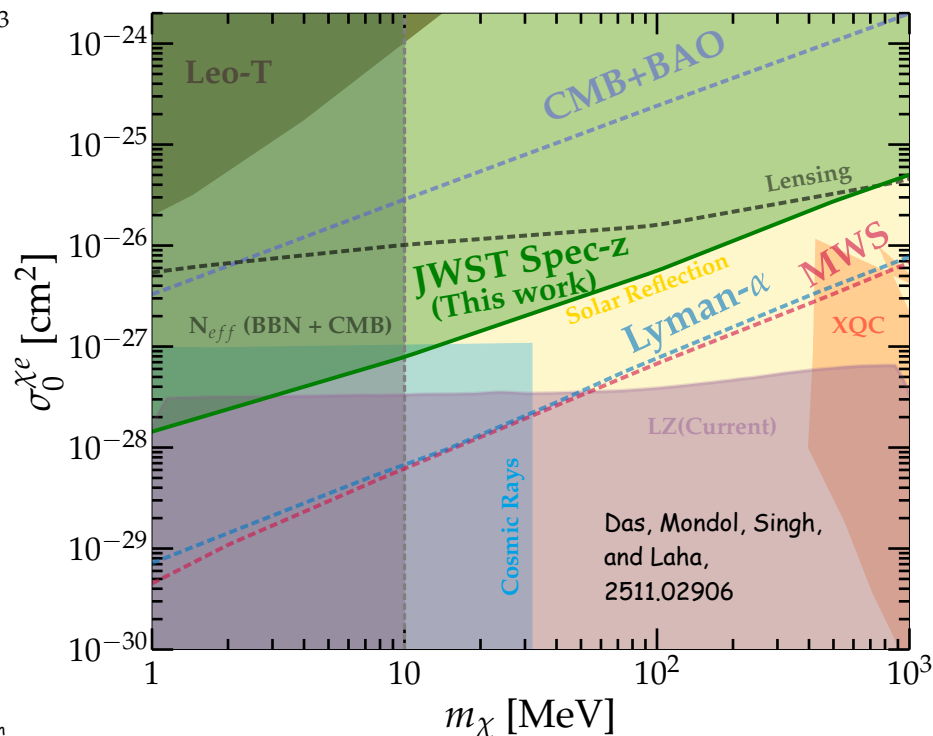


Results

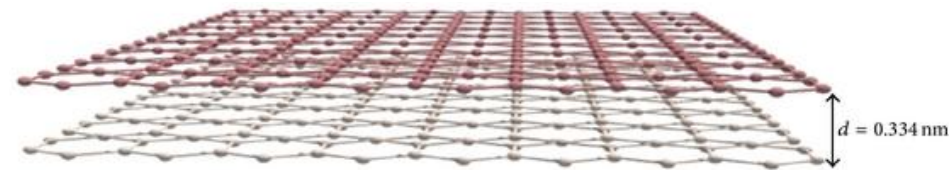


We derive the **strongest constraints** on dark matter - proton scattering for $\sigma_{\chi}^T = \sigma_0 v^{-2}$ using the data from **40 spectroscopically confirmed galaxies**

Our results for the dark matter - electron scattering for $\sigma_{\chi}^T = \sigma_0 v^0$ is better than that obtained from CMB + BAO, and it will **improve with discovery of more galaxies at these high redshifts**

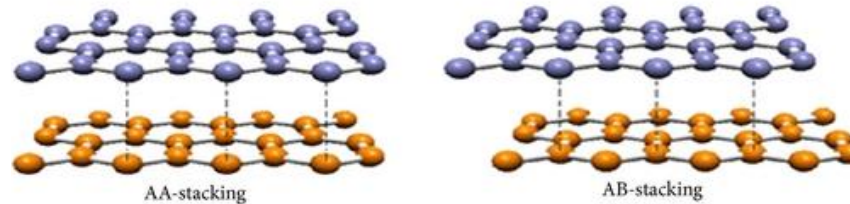


Part 2: Dive deeper with SUBMARINE: SUB-MeV dark matter diRect detectIon using bilayer graphene



Bilayer graphene

credit— arXiv: 1412.1359



arXiv: 2604.21969

Rinchen Sherpa, [Anuvab Sarkar](#), Tarak Nath Maity, Paramita Dutta, Ranjan Laha, and Anirban Das

Dive deeper with SUBMARINE: SUB-MeV dArk matter diRect detectIon using bilayer grapheNE

Dive deeper with SUBMARINE: SUB-Mev dArk matter diRect detectIon using bilayer grapheNE

Rinchen Sherpa ^{1,*} Anuvab Sarkar ^{1,2,†} Tarak Nath Maity 
,^{3,‡} Paramita Dutta ^{4,§} Ranjan Laha ^{1,¶} and Anirban Das ^{5,6,**}

¹*Centre for High Energy Physics, Indian Institute of Science, C. V. Raman Avenue, Bengaluru-560012, India*

²*Department of Physics, Ohio State University, 191 West Woodruff Avenue, Columbus, OH 43210, USA*

³*School of Physics, The University of Sydney and ARC Centre of Excellence for Dark Matter Particle Physics, NSW 2006, Australia*

⁴*Theoretical Physics Division, Physical Research Laboratory, Navrangpura, Ahmedabad-380009, India*

⁵*Theory Division, Saha Institute of Nuclear Physics, 1/AF, Bidhannagar, Kolkata-700064, India*

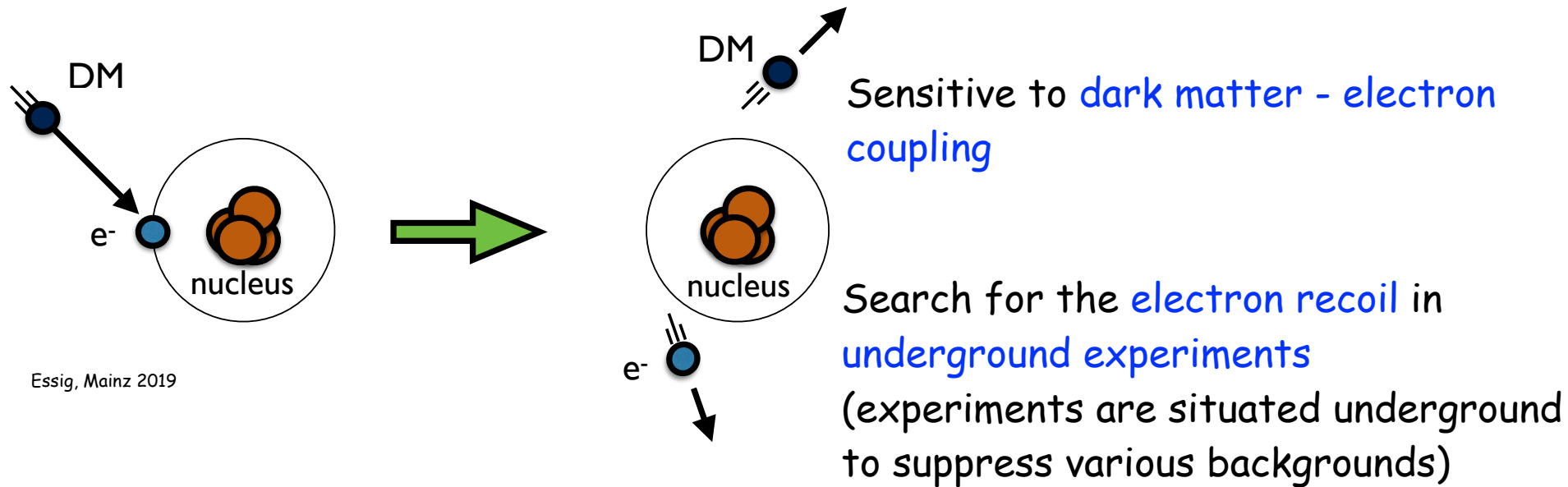
⁶*Homi Bhabha National Institute, Training School Complex, Anushaktinagar, Mumbai-400094, India*

(Dated: April 27, 2026)

Novel target materials with anisotropic response will play a key role in detecting low-mass dark matter in upcoming experiments. Bilayer graphene is one such material that has been proposed for the detection of sub-MeV mass dark matter particles via electronic excitations. In this work, we calculate scattering rate via a massive mediator in bilayer graphene. With an exposure as small as ~ 0.5 mg-year, bilayer graphene can probe new regions of the parameter space. The anisotropic response function of bilayer graphene leads to a sidereal-day modulation in the scattering rate, depending on its orientation with respect to the Galactic dark matter wind. We find significant modulation in the scattering rate for sub-MeV mass dark matter, demonstrating bilayer graphene's promise for a future experiment. We hope that our work will motivate the community to investigate bilayer graphene as a novel target material, and that it may lead us to discover the particle nature of dark matter.

arXiv: 2604.21969

Dark matter - electron scattering



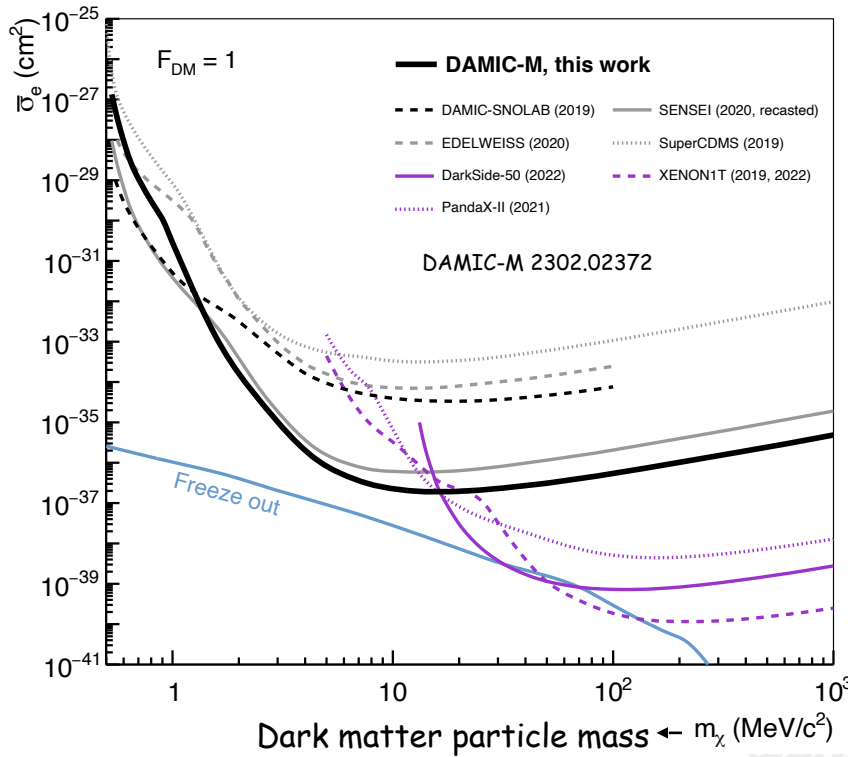
Essig, Mainz 2019

Generally **sensitive to lower dark matter masses** as compared to nuclear scattering

Many **on-going and near future laboratory experiments** are pursuing this search strategy, e.g., SENSEI, XENON (various versions), DarkSide-50, CDMS, EDELWEISS, and DAMIC

Tremendous progress during the last few years

Dark matter - electron scattering



Target materials: **silicon**



(Smallest target mass, however lowest DM mass threshold)



most sensitive to DM masses ~ 10 MeV

These upper limits assume the Standard Halo Model of dark matter velocity distribution

Target materials: **xenon**



(Largest target mass and heaviest DM mass threshold)



most sensitive to DM masses ~ 200 MeV

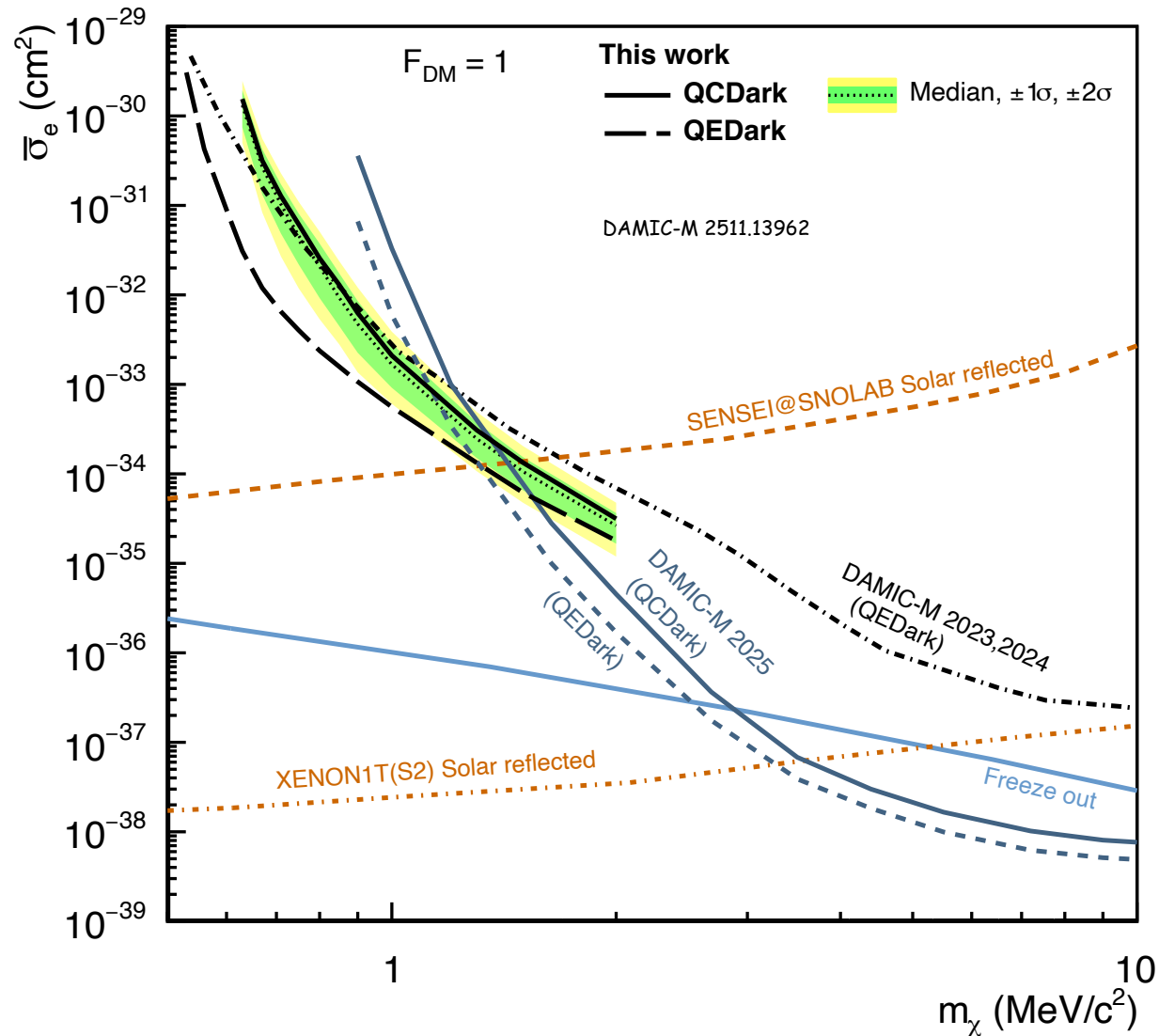
argon $\Rightarrow$ (Mid-range target mass mid-range DM mass threshold)



most sensitive to DM masses ~ 50 MeV

See Maity and Laha 2208.14471 for effects of dark matter substructures for xenon-based detectors; Maity et al 2011.12896 for effects due to modifications in halo velocity distributions; and many others

Dark matter - electron scattering



- How do we probe lighter dark matter particle masses?

Energy deposition from dark matter scattering

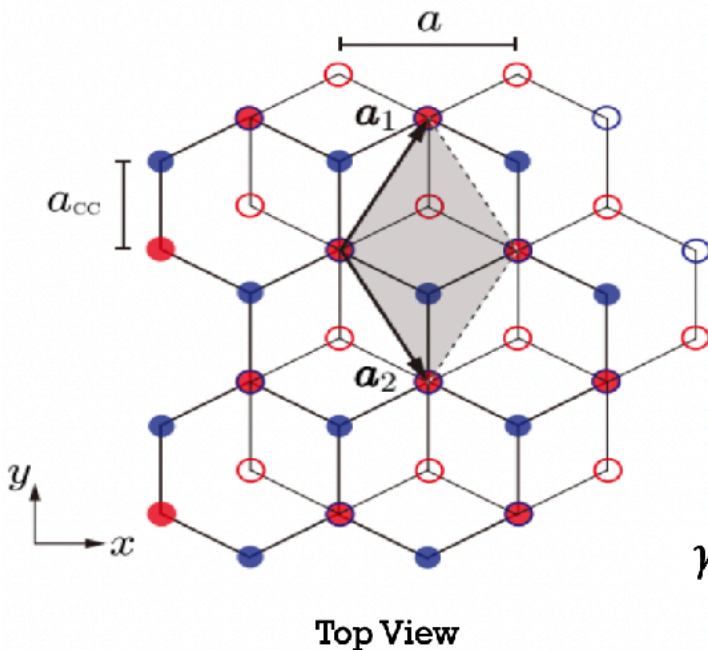
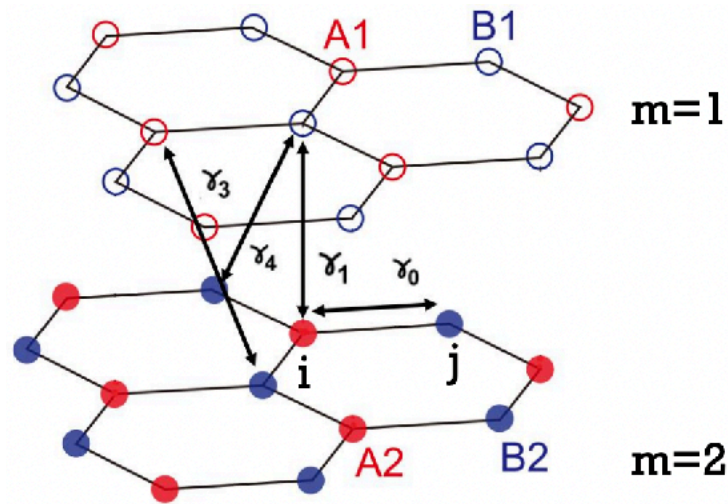
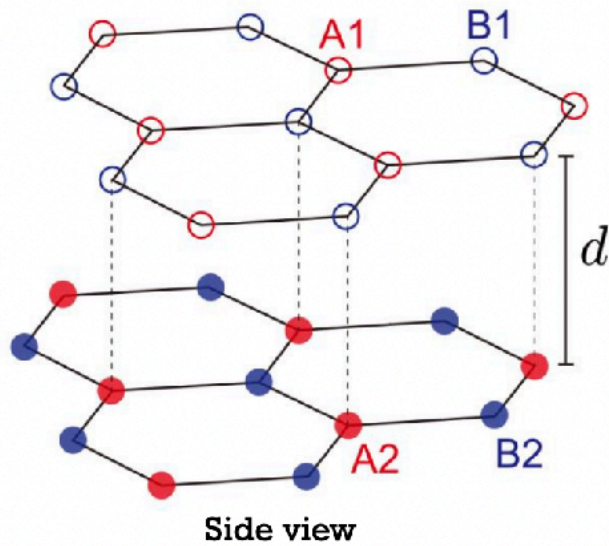
$$v_{DM} \simeq 10^{-3}c \quad p_{DM} \simeq 10^{-3}m_{DM} \quad E_{DM} \simeq 10^{-6}m_{DM}$$

Dark matter mass	Dark matter energy	Condensed Matter scale
20 MeV	~ 10 eV	Atomic ionization energy
2 MeV	~ 1 eV	Semiconductor band gap
100 keV	~ 50 meV	Optical phonon energy, superconductor band gap

- In order to probe dark matter particles with masses $\lesssim$ MeV, we need to use materials which are potentially sensitive to $\mathcal{O}(50 \text{ meV})$ energy deposition

Slide idea: Rinchen Sherpa and Anuvab Sarkar

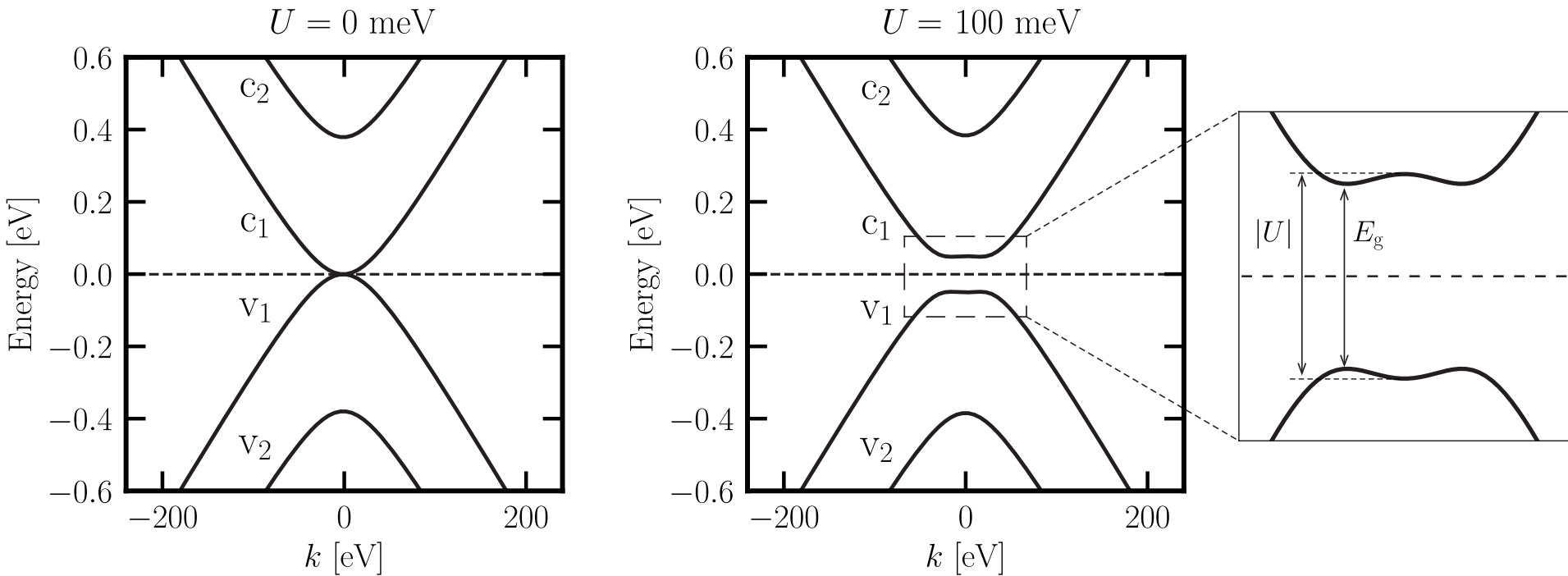
Our choice of material: bilayer graphene



$$\begin{aligned} \mathcal{H}_{t.b} = & -\gamma_0 \sum_{\substack{\langle i,j \rangle \\ m,\sigma}} \left(a_{m,i,\sigma}^\dagger b_{m,j,\sigma} + H.c. \right) \\ & -\gamma_1 \sum_{j,\sigma} \left(b_{1,j,\sigma}^\dagger a_{2,j,\sigma} + H.c. \right) \\ & -\gamma_4 \sum_{j,\sigma} \left(b_{1,j,\sigma}^\dagger b_{2,j,\sigma} + a_{2,j,\sigma}^\dagger a_{1,j,\sigma} + H.c. \right) \\ & -\gamma_3 \sum_{j,\sigma} \left(a_{1,j,\sigma}^\dagger b_{2,j,\sigma} + H.c. \right) \end{aligned}$$

$\gamma_0, \gamma_1, \gamma_3, \gamma_4$ are hopping parameters

Our choice of material: bilayer graphene



- Applying a voltage, U , between the two layers opens up a band gap, E_g , between the valence band and the conduction band

$$E_g \approx |U|$$

Sherpa, Sarkar, Maity, Dutta, Laha, and Das
arXiv: 2604.21969

- By varying the potential, one can change the band gap and this can be used to differentiate the signal from background

Dark matter scattering in bilayer graphene

$$R_\chi = \frac{1}{\rho_T} \frac{\rho_\chi}{m_\chi} \int d^3\mathbf{v} f_\chi(\mathbf{v}) \frac{V d^3\mathbf{p}'_\chi}{(2\pi)^3} \sum_f |\langle f, \mathbf{p}'_\chi | \Delta H_{\chi T} | i, \mathbf{p}_\chi \rangle|^2 2\pi \delta(E_f - E_i + E'_\chi - E_\chi)$$

Labels for the first equation:

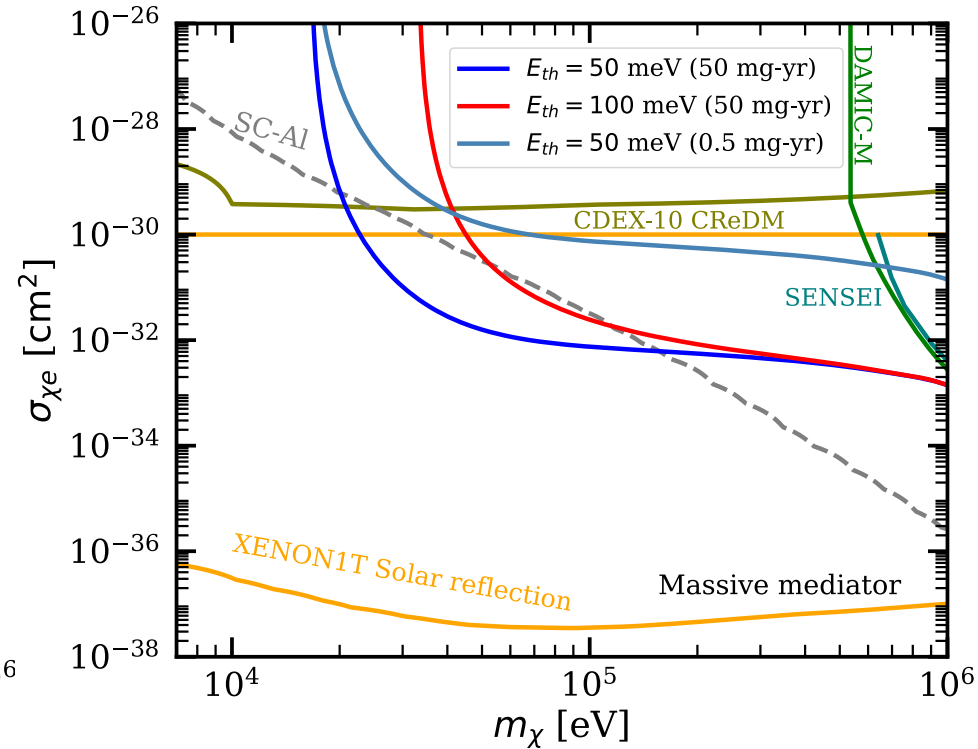
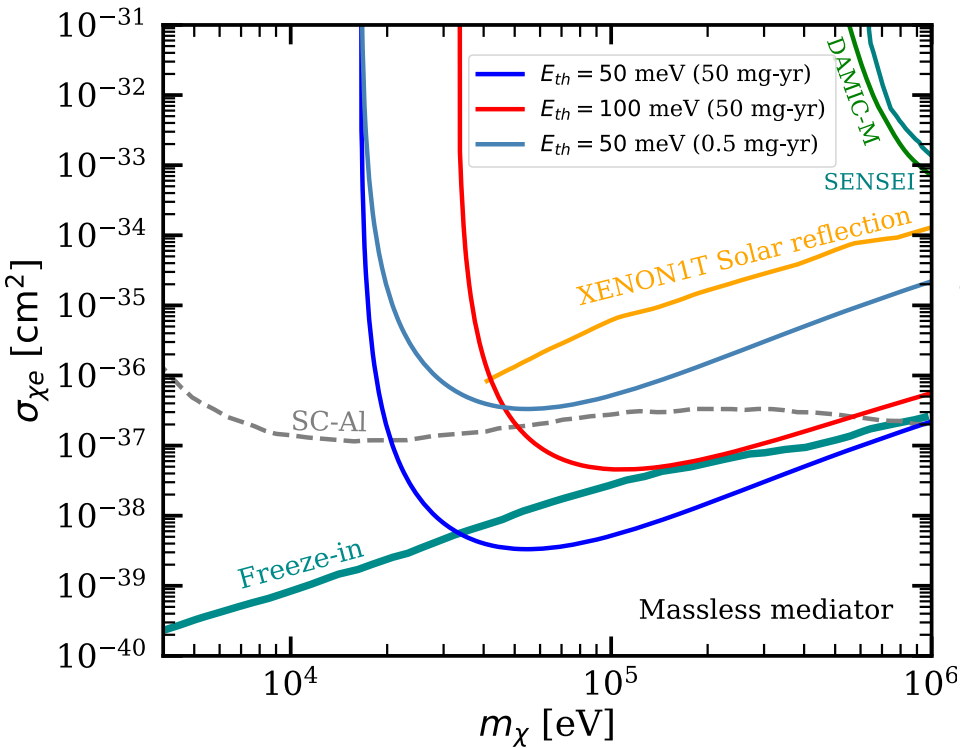
- Dark matter density** (points to ρ_χ)
- Dark matter velocity Distribution** (points to $f_\chi(\mathbf{v})$)
- Target volume** (points to V)
- Interaction Hamiltonian** (points to $\Delta H_{\chi T}$)
- Target density** (points to ρ_T)
- Dark matter mass** (points to m_χ)

$$R_\chi = \frac{1}{\rho_T} \frac{\rho_\chi}{m_\chi} \int d^3\mathbf{v} f_\chi(\mathbf{v}) \int \frac{d^3\mathbf{q}}{(2\pi)^3} d\omega \frac{\pi \bar{\sigma}(q)}{\mu_\chi^2} \delta(\omega + E'_\chi - E_\chi) \times \underbrace{\frac{2\pi}{V} \sum_f |\langle f | \mathcal{O}_T(\mathbf{q}) | i \rangle|^2 \delta(E_f - E_i - \omega)}_{S(\mathbf{q}, \omega)}$$

Sherpa, Sarkar, Maity, Dutta, Laha, and Das
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$S(\mathbf{q}, \omega)$ = **dynamic structure factor**, informs us about how the material responds to a momentum $\mathbf{q}$ and energy ω . It depends on the electron density in the material

Dark matter scattering in bilayer graphene



Sherpa, Sarkar, Maity, Dutta, Laha, and Das
arXiv: 2604.21969

Projected sensitivity of DM-electron scattering cross section in bilayer graphene for two applied voltages $U = 50$ meV (blue) and $U = 100$ meV (red) assuming an exposure of 3 events in 50 mg-yr and 0.5 mg-yr

One can probe new parts of the parameter space with an exposure of 0.5 mg-yr

My connection with CCAPP

I was a [Ph.D. student](#) in the Ohio State University from 2009 to 2014, working with Prof. John F. Beacom

I work on various topics in [theoretical astroparticle physics](#), [astrophysics](#), [cosmology](#), and [particle physics](#). Majority of the time, I think about dark matter, neutrinos, gamma-rays, cosmic-rays, beyond the Standard Model physics, gravitational waves, etc.

Other CCAPP folks with whom I collaborated: Basudeb Dasgupta, Kenny C. Y. Ng, Shunsaku Horiuchi, Kohta Murase, Sheldon Campbell, Eric G. Speckhard, Matthew D. Kistler, and Bei Zhou

During my Ph.D., we worked on a number of topics in [dark matter](#), [high-energy astrophysical neutrinos](#), and [supernova neutrinos](#)

My connection with CCAPP

The **wide variety of science topics** pursued in CCAPP helped me to work in these topics and learn even more research areas

Both **theoretical and experimental efforts** in various topics helped me

I made **life-long friends** and **collaborators**

Not only did my science improve, I **improved as a human being** during my time in CCAPP

Last two decades have been great for CCAPP, here's wishing for even **more success in the upcoming decades**

Currently, I am an Assistant Professor at the **Centre for High Energy Physics (CHEP), Indian Institute of Science (IISc), Bengaluru, India; please visit us.**

Conclusions

Searching for **beyond the Standard Model** in cosmology and particle physics is one of the major avenues of research

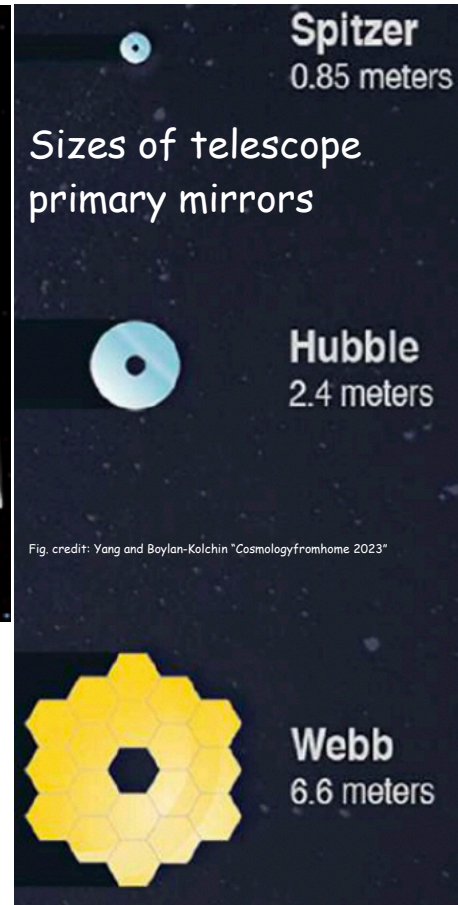
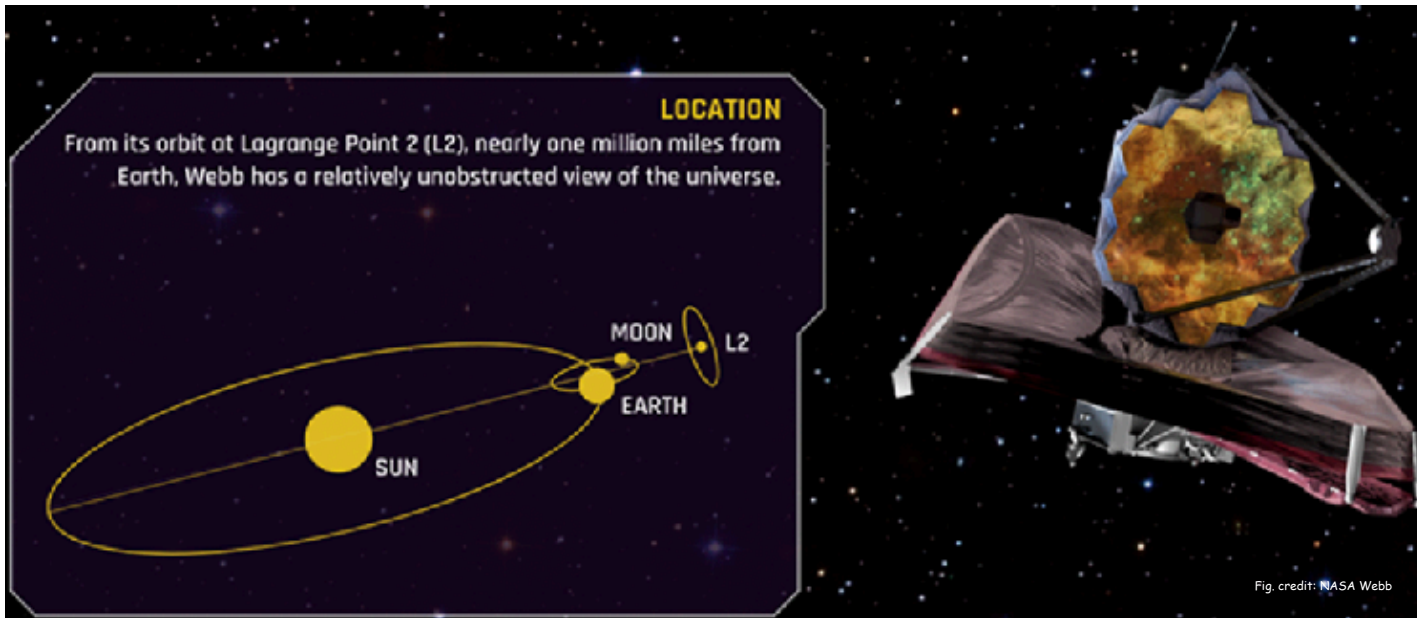
I discussed two different ideas to explore this research area:

- (i) We demonstrated that **JWST observations** can **set the most stringent and competitive constraints** on a variety of particle physics models of dark matter - baryon interactions
- (ii) We demonstrated that **bilayer graphene** will be an excellent probe of **sub-MeV dark matter particles scattering with electrons**

Best wishes to CCAPP

Questions & comments: ranjanlaha@iisc.ac.in

JWST (James Webb Space Telescope)



Four different instruments on-board: **NIRSpec**, **NIRCam**, **MIRI**, and **NIRISS**

NIRSpec: Near InfraRed Spectrograph

NIRCam: Near InfraRed Camera

MIRI: Mid InfraRed Instrument

NIRISS: Near InfraRed Imager and Slitless Spectrograph

How does this affect structure formation?

We assume that **dark matter** consists of a **single particle** and **100% of it is interacting with baryons**

χ = dark matter

$$R_{\chi-b} \propto \sigma_{\chi}^T$$

= conformal momentum-exchange rate due to dark matter - baryon interactions

We model the **dark matter** and **baryons** as a fluid

aH = conformal Hubble parameter

$$\delta := \frac{\delta\rho}{\bar{\rho}},$$

Density contrast

$$\theta := \nabla \cdot \mathbf{v}$$

Divergence of velocity

c_{χ} = sound speed in dark matter fluid

Continuity $\dot{\delta}_{\chi} = -\theta_{\chi} + 3\dot{\phi}$

Pressure term: DM is no longer cold

Momentum transfer

Euler $\dot{\theta}_{\chi} = -aH\theta_{\chi} + \boxed{k^2 c_{\chi}^2 \delta_{\chi}} + \boxed{R_{\chi-b}(\theta_b - \theta_{\chi})} + k^2 \psi$

Heat Flow $\dot{T}_{\chi} = -2aHT_{\chi} + \boxed{2R'_{\chi-b}(T_{\gamma} - T_{\chi})}$

k = wavenumber of perturbations

Heat transfer

Image courtesy: Souradeep Das

dot represents derivative w.r.t. conformal time

ϕ, ψ = metric perturbations in the conformal Newtonian gauge

How does this affect structure formation?

We model the **dark matter** and **baryons** as a fluid

$$\dot{\delta}_b = -\theta_b + 3\dot{\phi}$$

$$\dot{\theta}_b = -aH\theta_b + k^2 c_b^2 \delta_b + R_{b-\chi}(\theta_\chi - \theta_b) + R_{b-\gamma}(\theta_\gamma - \theta_b) + k^2 \psi$$

$$\dot{T}_b = -2aHT_b + 2R'_{b-\chi}(T_\chi - T_b) + 2R'_{b-\gamma}(T_\gamma - T_b)$$

$$R_{b-\gamma} \propto \sigma_{\text{Thomson}}$$

$$R'_{\chi-b} \propto R_{\chi-b}$$

$$R'_{\chi-b} \propto R_{\chi-b}$$

Momentum and **heat** is exchanged between dark matter and baryons

These modified cosmological perturbation equations are solved using the **class_dmb** code, which is a modified version of **CLASS** (Cosmic Linear Anisotropy Solving System), and one obtains the **linear matter power spectrum** $P(k)$

Halo mass function

$$\frac{dn}{d \log M_h}(z) = M_h \frac{\rho_{m,0}}{M_h^2} f(\sigma(M_h)) \left| \frac{d \ln \sigma}{d \ln M_h} \right|$$

n = number density of halos with mass M_h at redshift z

$\rho_{m,0}$ = co-moving matter density

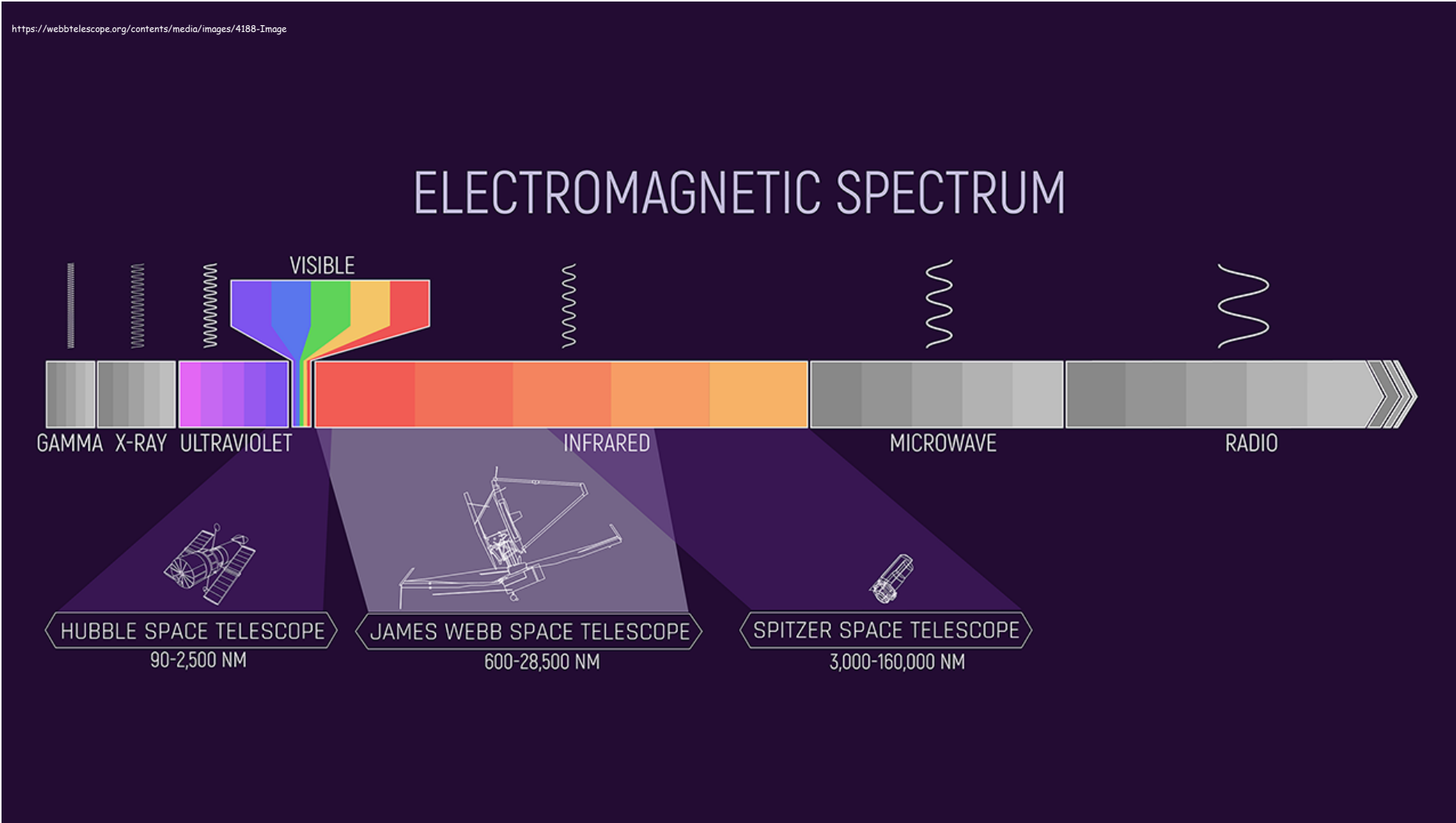
$\sigma^2(R) = \frac{1}{2\pi^2} \int_0^\infty dk k^2 W^2(kR) P(k)$ = variance of the smoothed density contrast within a sphere of radius R

$W(kR)$ = Fourier transform of a window function, called kernel or filter function

$f(\sigma)$ = fitting function

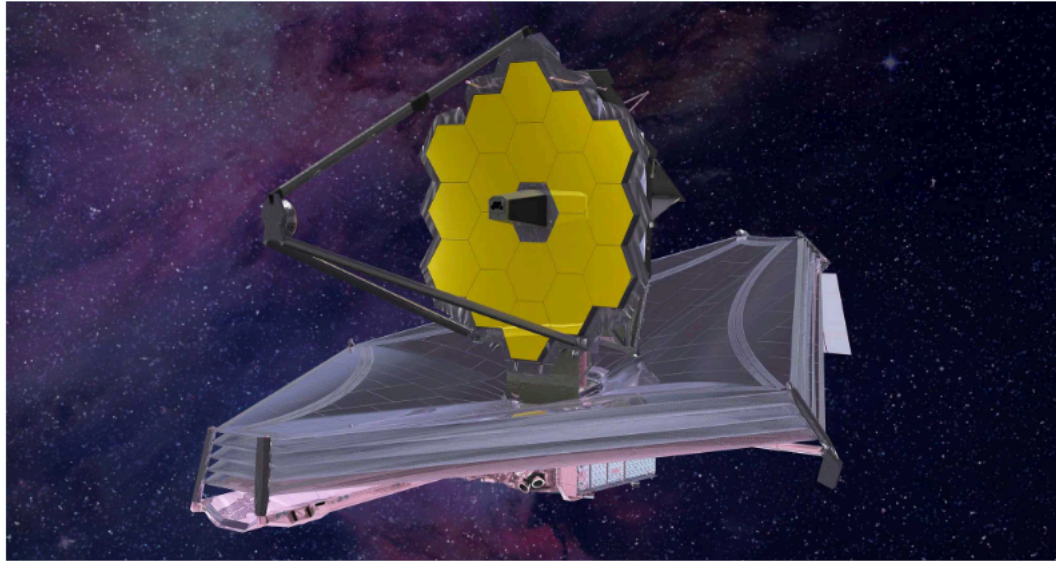
Extended Press-Schechter formalism in order to have a statistical measure of the halo mass distribution

JWST (James Webb Space Telescope)



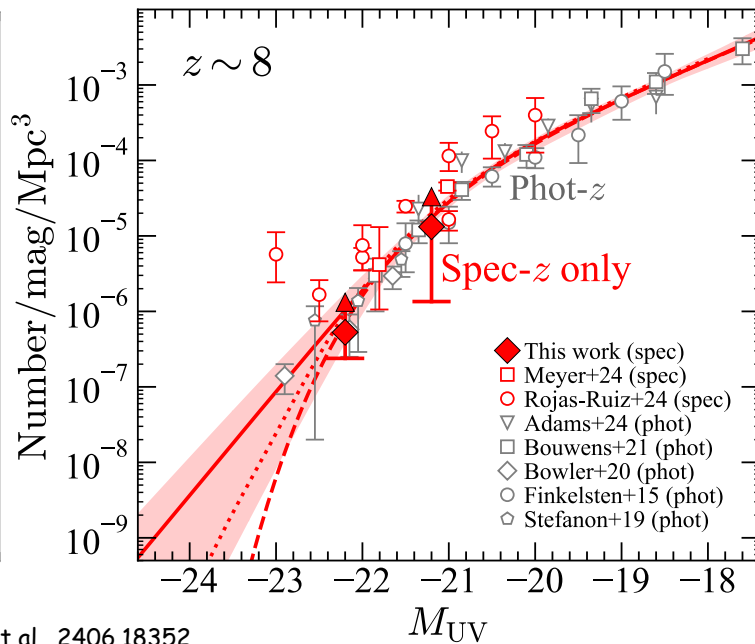
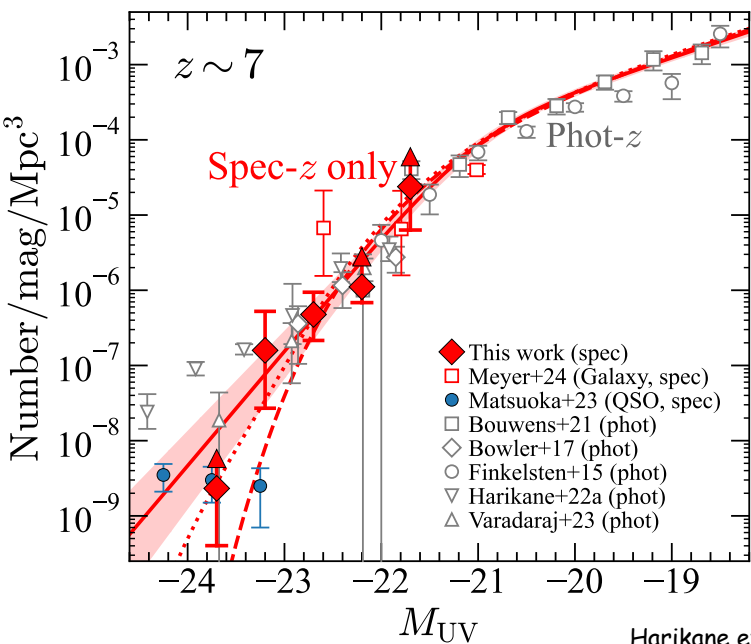
JWST is an **infra-red telescope** covering wavelengths **600 nm to 28500 nm**

James Webb Space Telescope

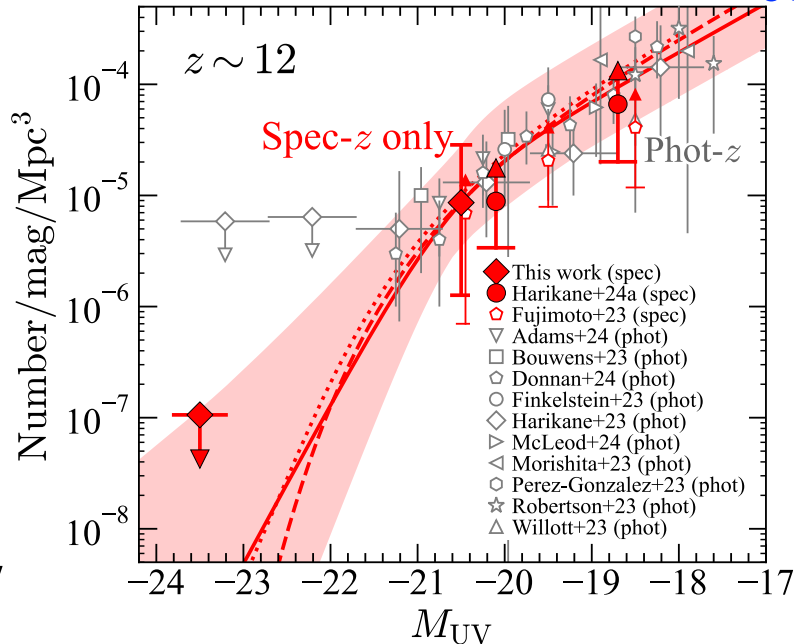
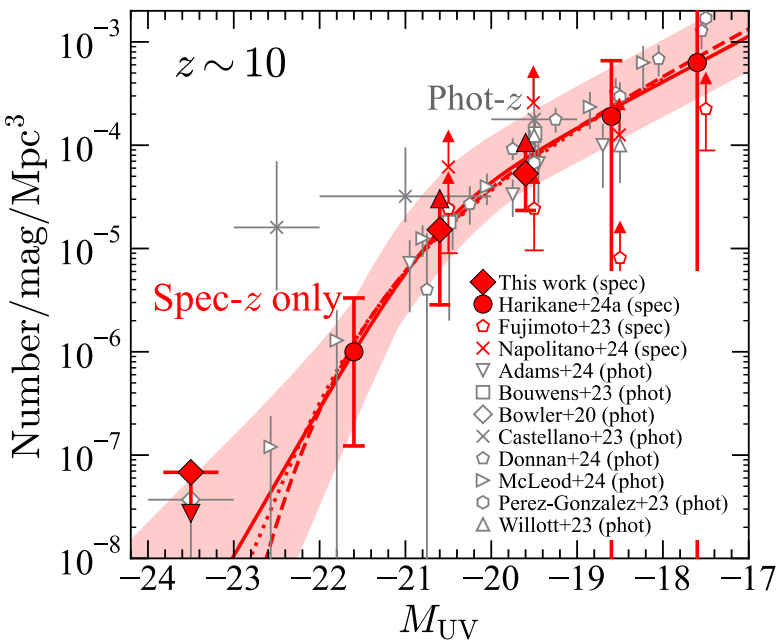


Credit: Northrop Grumman

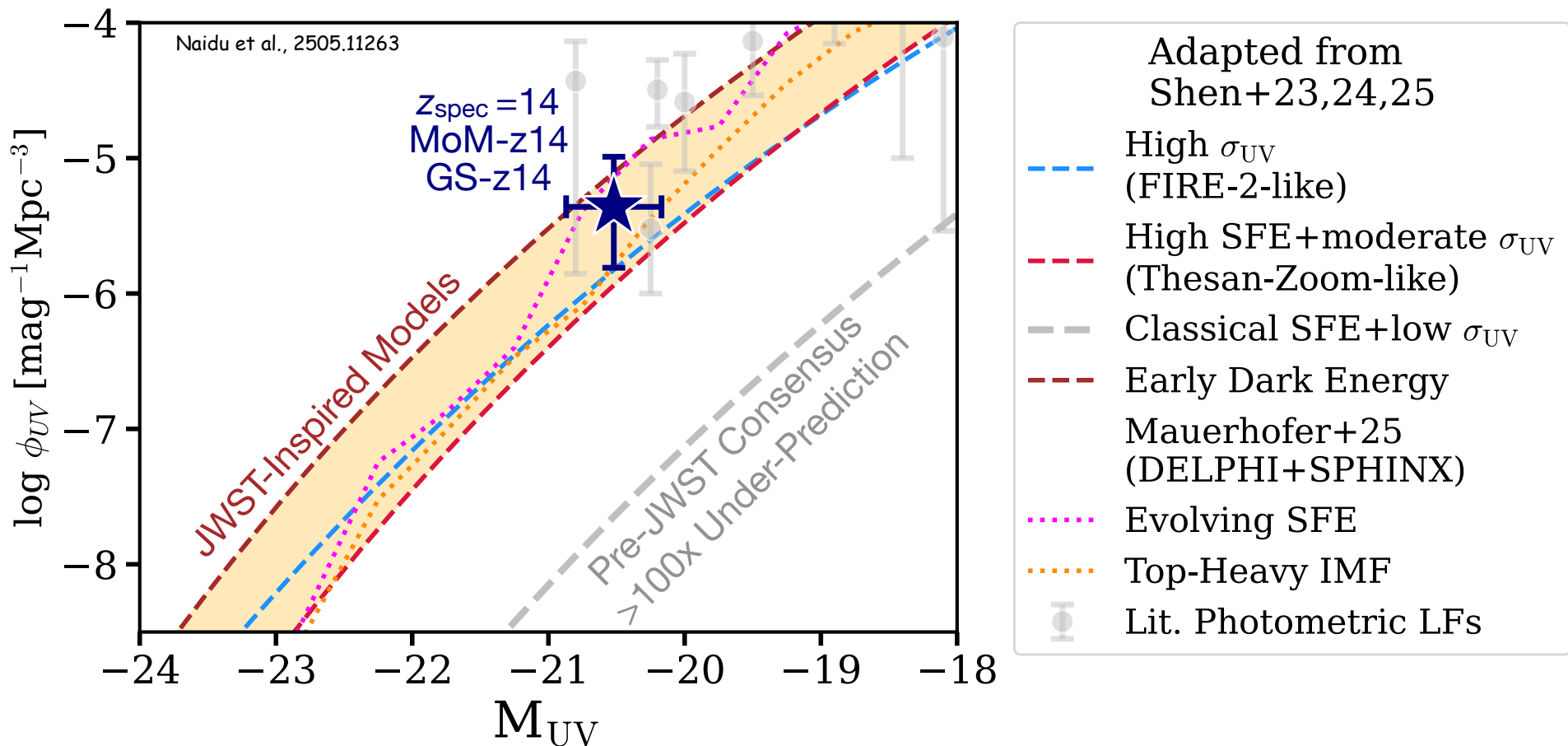
UV Luminosity Function



UVLF
measurements
have been
conducted in
various
redshifts
using JWST
observations



UV Luminosity Function



Highest redshift galaxy **MoM-z14** $z_{\text{spec}} = 14.44 \pm 0.02$

Second highest redshift galaxy **JADES-GS-z14-0**

Carniani et al., 2409.20533

$z_{\text{spec}} = 14.1796 \pm 0.0007$

Conclusions for part 1

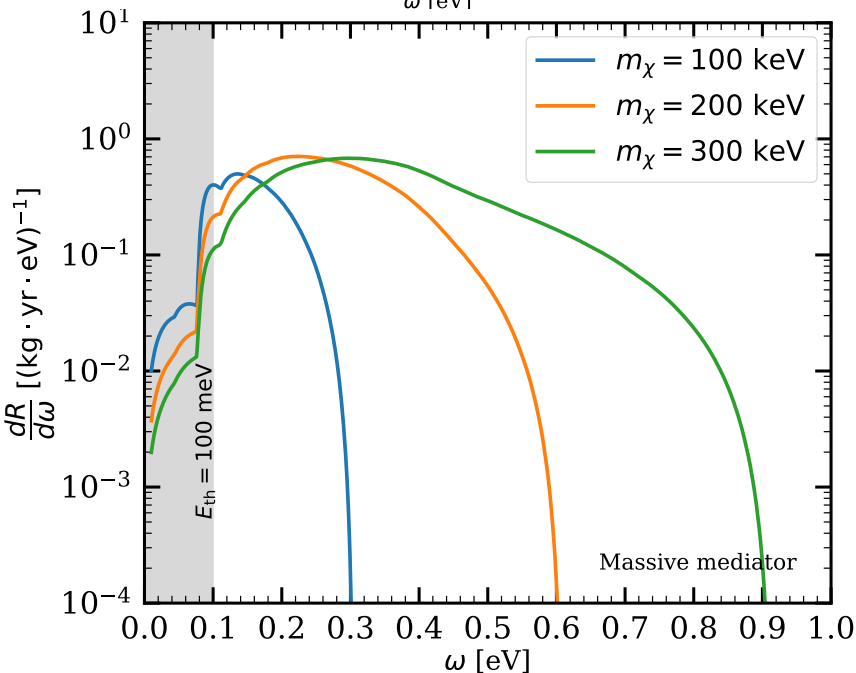
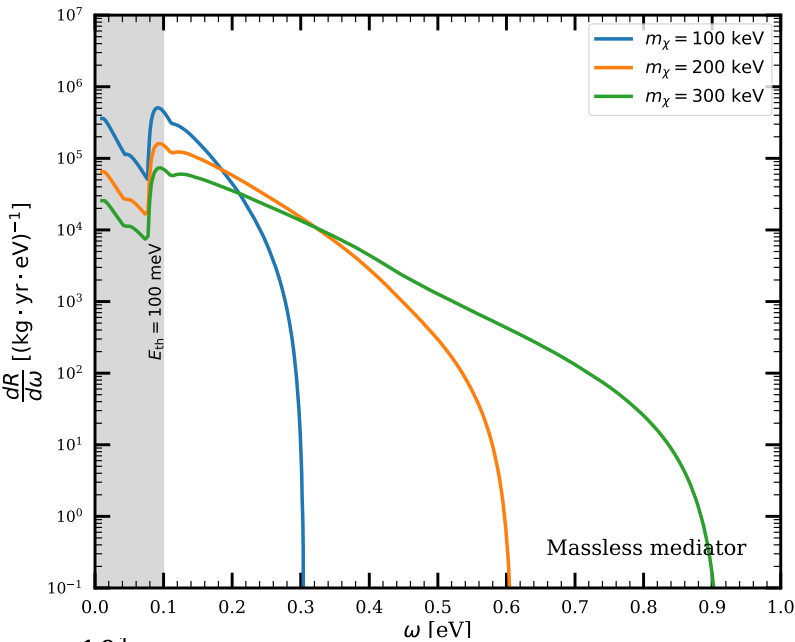
- JWST has opened up a new [infra-red view](#) of our Universe
- Given its leading sensitivity, one can try to conduct [searches for dark matter using its observations](#)
- A major result from various JWST observations is the [discovery of numerous bright galaxies at high redshifts](#)
- A significant dark matter - baryon interactions will suppress the production of galaxies at high redshifts
- Using UV luminosity function derived from JWST data-set, we derive the [leading/competitive constraints on dark matter - baryons interactions](#) for a variety of particle physics models

Dark matter - electron scattering

Dark matter - electron scattering in bi-layer graphene

Results

Dark matter scattering in bi-layer graphene



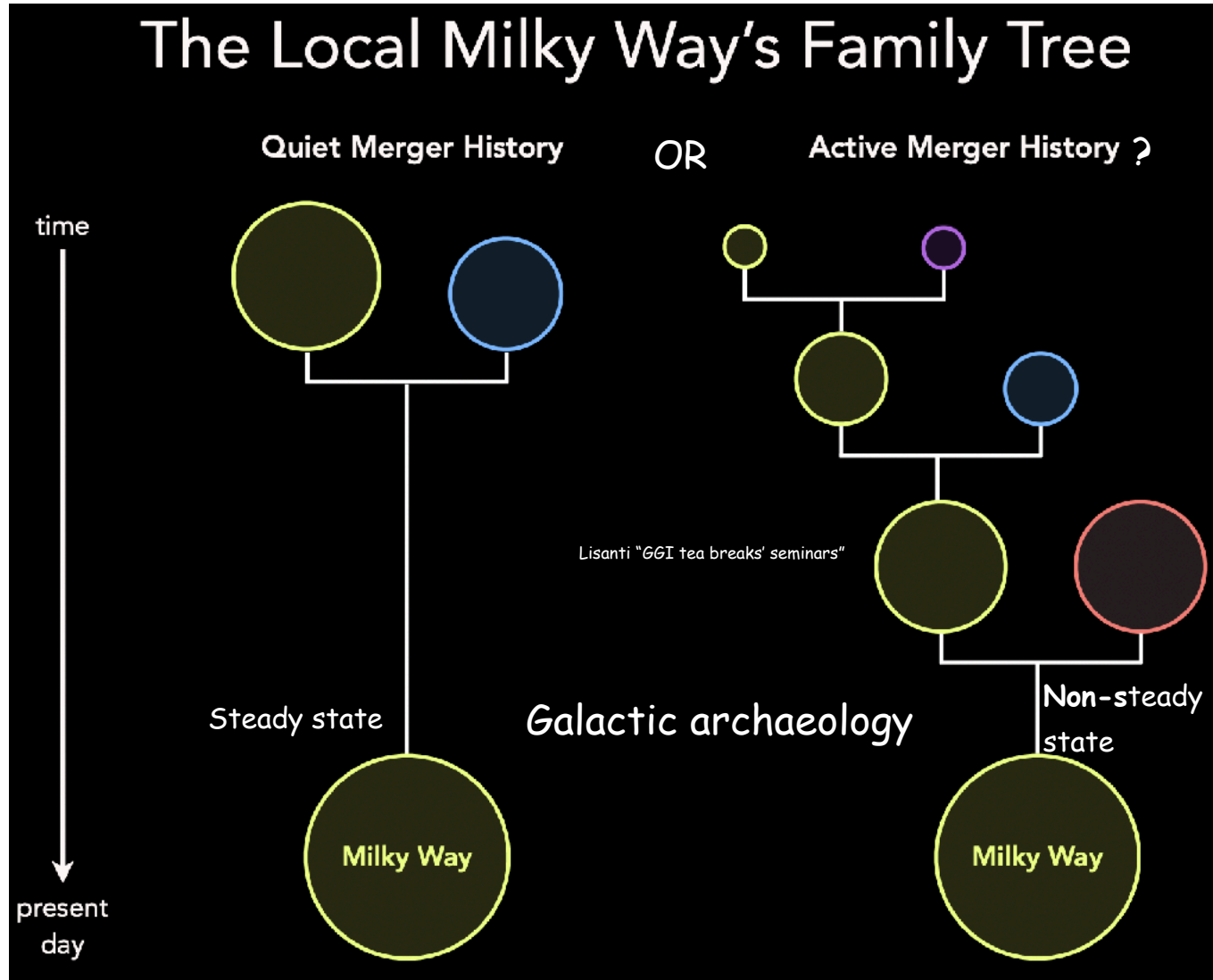
Recoil spectrum of electrons in bi-layer graphene due to dark matter scattering. The three lines represent various dark matter masses. The energy threshold in these two plots is 100 meV. These plots assume a mass-less mediator and a massive mediator.

The dark matter - electron scattering cross-section is $\sigma_{\chi e} = 10^{-38} \text{ cm}^2$

Sherpa, Sarkar, Maity, Dutta, Laha, and Das (in preparation)

How does the Milky Way form?

- Structure formation in Λ CDM (cold dark matter) cosmology is bottom up



Dark matter - electron scattering

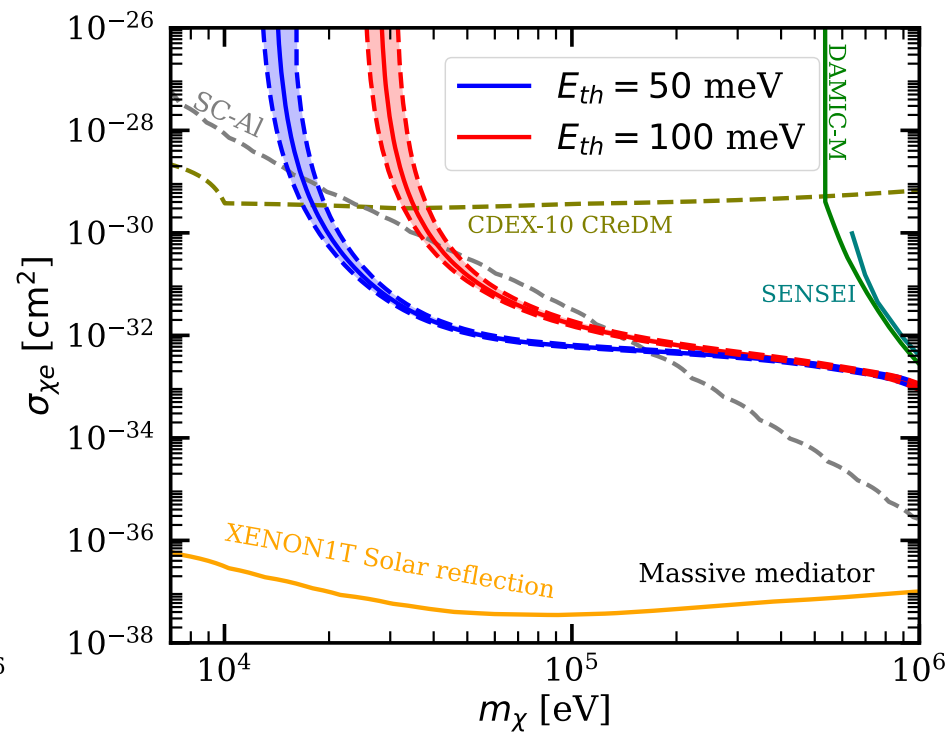
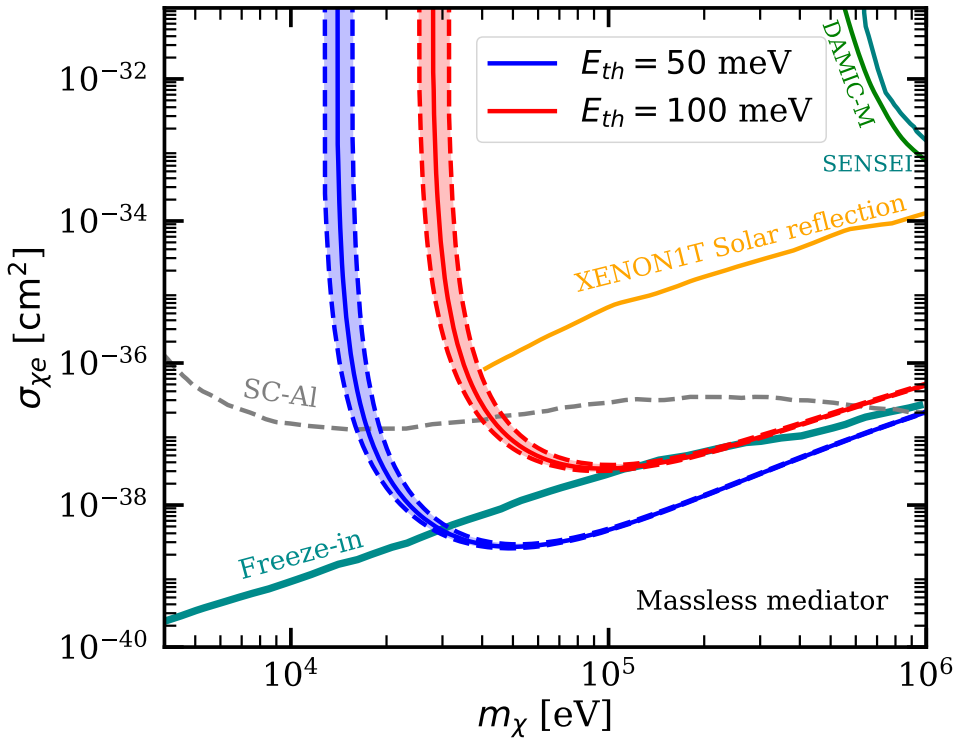
- We know that dark matter moves inside the Milky Way with a typical velocity $\sim 220 \text{ km s}^{-1}$
- But, what is the velocity distribution of dark matter? It depends on the Milky Way formation history
- Typically, we assume that the velocity distribution of dark matter follows the Maxwell-Boltzmann distribution (also called Standard Halo Model)

$$f_{\text{gal}}^{\text{MB}}(\mathbf{v}) \propto \exp\left(-\frac{|\mathbf{v}|^2}{2\sigma_v^2}\right) \Theta(v_{\text{esc}} - |\mathbf{v}|)$$

where $\sigma_v \approx 156 \text{ km s}^{-1}$

- How does different velocity distributions affect dark matter - electron scattering in bi-layer graphene?
- How do we probe dark matter velocity distribution using dark matter - electron scattering in bi-layer graphene?

Dark matter scattering in bi-layer graphene



Sherpa, Sarkar, Maity, Dutta, Laha, and Das
(in preparation)

Using results from the [DREAMS simulation suite](#), we study the effect of the uncertainty in the dark matter velocity on the [projected sensitivity of DM-electron scattering cross section](#) in bi-layer graphene for two applied voltages $U = 50 \text{ meV}$ (blue) and $U = 100 \text{ meV}$ (red) assuming an exposure of 3 events in 50 mg-yr

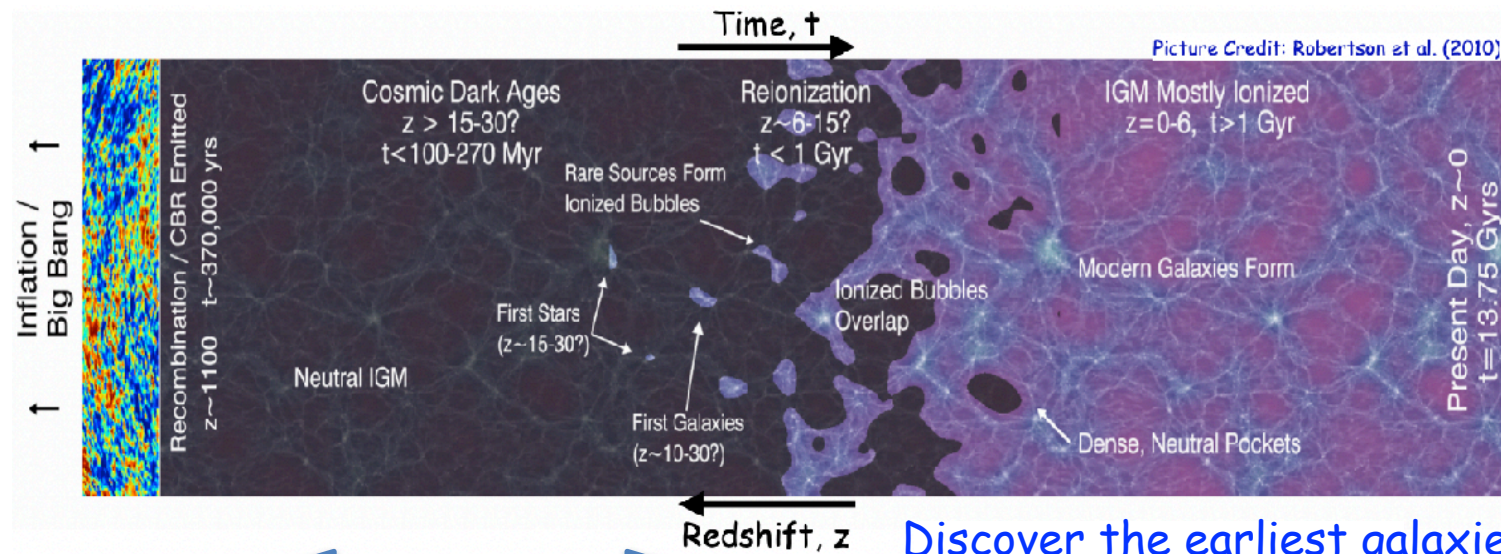
Cosmology

--- Planck 2018 6-parameter fit to flat Λ CDM cosmology ---

baryon density of the Universe	$\Omega_b = \rho_b / \rho_{\text{crit}}$	$\dagger 0.02237(15) h^{-2} = \dagger 0.0493(6)$
cold dark matter density of the Universe	$\Omega_c = \rho_c / \rho_{\text{crit}}$	$\dagger 0.1200(12) h^{-2} = \dagger 0.265(7)$
$100 \times$ approximation to r_*/D_A	$100 \times \theta_{\text{MC}}$	$\dagger 1.04092(31)$
reionization optical depth	τ	$\dagger 0.054(7)$
$\ln(\text{power prim. curv. pert.})$ ($k_0 = 0.05 \text{ Mpc}^{-1}$)	$\ln(10^{10} \Delta_{\mathcal{R}}^2)$	$\dagger 3.044(14)$
scalar spectral index	n_s	$\dagger 0.965(4)$

PDG 2024

How do we probe Λ CDM **more precisely** or in **newer regimes** or answer **outstanding questions** about it?



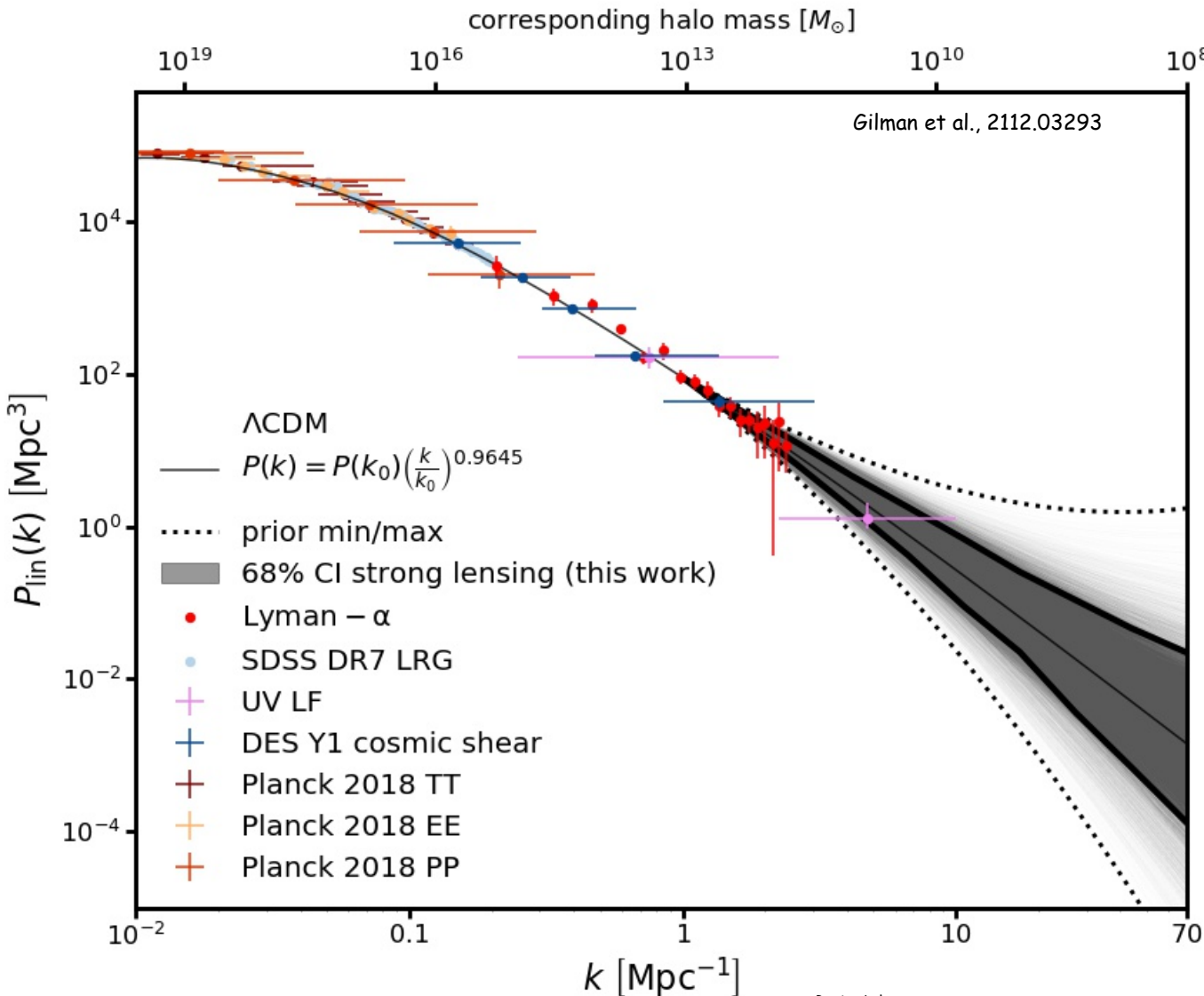
This region is not probed at all (before 2022)
Do we have **new data** regarding this region?

Discover the earliest galaxies observable and answer **fundamental questions** about **particle physics and astrophysics/ cosmology**

Linear matter power spectrum

$$\langle \delta(\mathbf{k}) \delta^*(\mathbf{k}') \rangle \equiv (2\pi)^3 \delta(\mathbf{k} - \mathbf{k}') P(k) \quad k \approx 1/(\text{length scale})$$

Quantifies the **strength of density fluctuations** at a given scale



A large number of **cosmological observables** have been used to probe the linear matter power spectrum

Some details taken from Souradeep Das' and Abhijeet Singh's slides

From Halo mass to UV Luminosity Function

Halo mass

Mass accretion rate

$$\dot{M}_{\text{halo}} = C \left(\frac{M_{\text{halo}}}{10^{12} M_{\odot} h^{-1}} \right)^{\gamma} \frac{H(z)}{H_0}$$

$$\gamma = 1.000 + 0.329a - 0.206a^2$$

$$\log_{10} C = 2.730 - 1.828a + 0.654a^2$$

Star Formation
Rate (SFR)

UV Luminosity

$$L_{\nu}^{\text{UV}} = \frac{1}{\kappa_{\text{UV}}} \text{SFR}$$

$$\kappa_{\text{UV}} = 1.15 \times 10^{-28} M_{\odot} \text{ s erg}^{-1} \text{ yr}^{-1}$$

Dust-corrected
UV luminosity

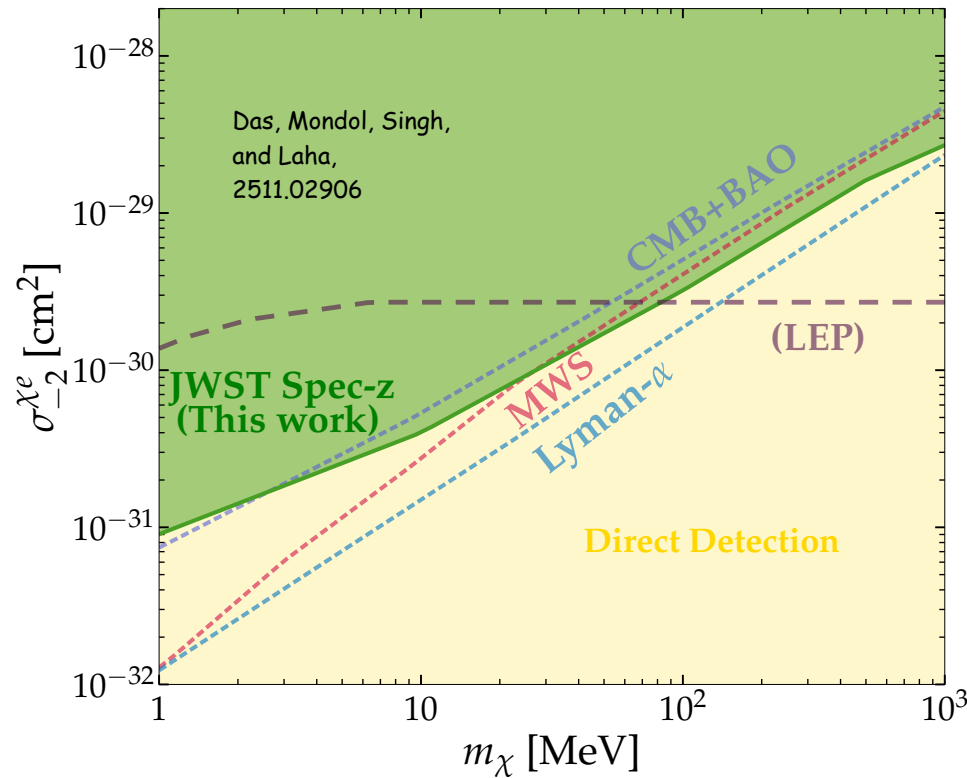
$$\text{SFR} = \text{SFE} \cdot f_b \cdot \dot{M}_h$$

$$\text{SFE} = \frac{\epsilon}{\left(\frac{M_h}{M_c} \right)^{\alpha_*} + \left(\frac{M_h}{M_c} \right)^{\beta_*}}$$

$$M_{\text{UV}}^{\text{obs}} = M_{\text{UV}} + A_{\text{UV}}$$

$$A_{\text{UV}} = -0.34(21 + M_{\text{UV}}^{\text{obs}}) + 0.79$$

Results



Upcoming observations will discover more galaxies at higher redshifts, thus it will significantly strengthen our results

We derive the competitive constraints on dark matter - electron scattering cross-sections for a variety of velocity-dependencies using the data from 40 spectroscopically confirmed galaxies

