

Measuring the 1D Lyman- α forest power at $z > 5$ (the end of Reionization)

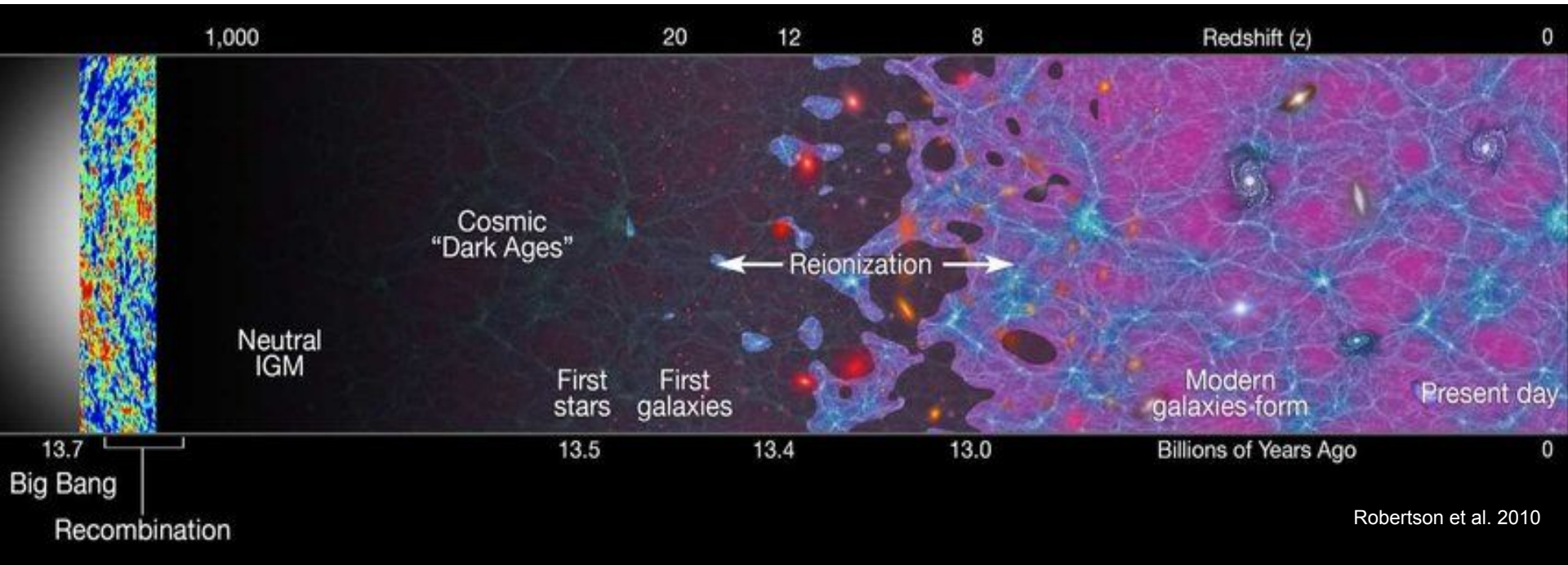
Molly Wolfson (OSU)
CCAPP Symposium – Sept 17, 2025



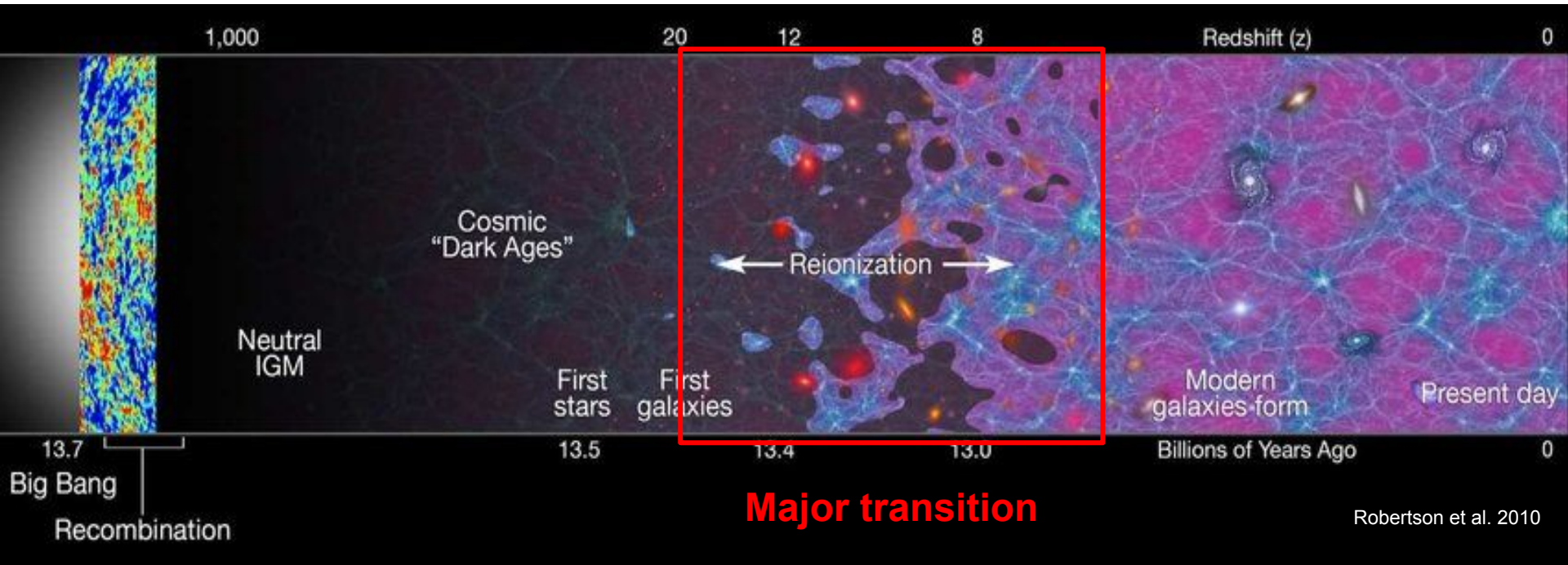
THE OHIO STATE UNIVERSITY

CENTER FOR COSMOLOGY AND
ASTROPARTICLE PHYSICS

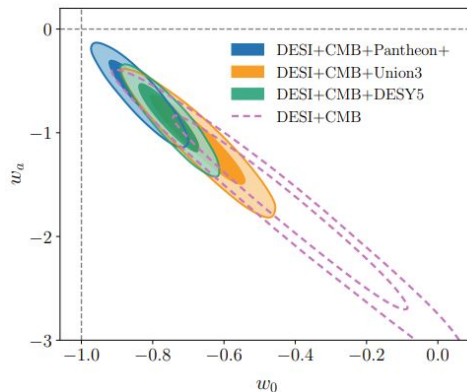
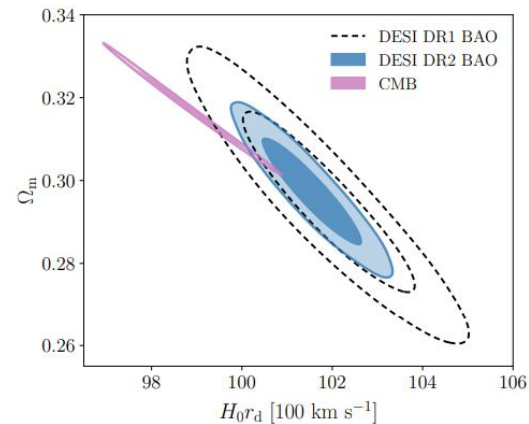
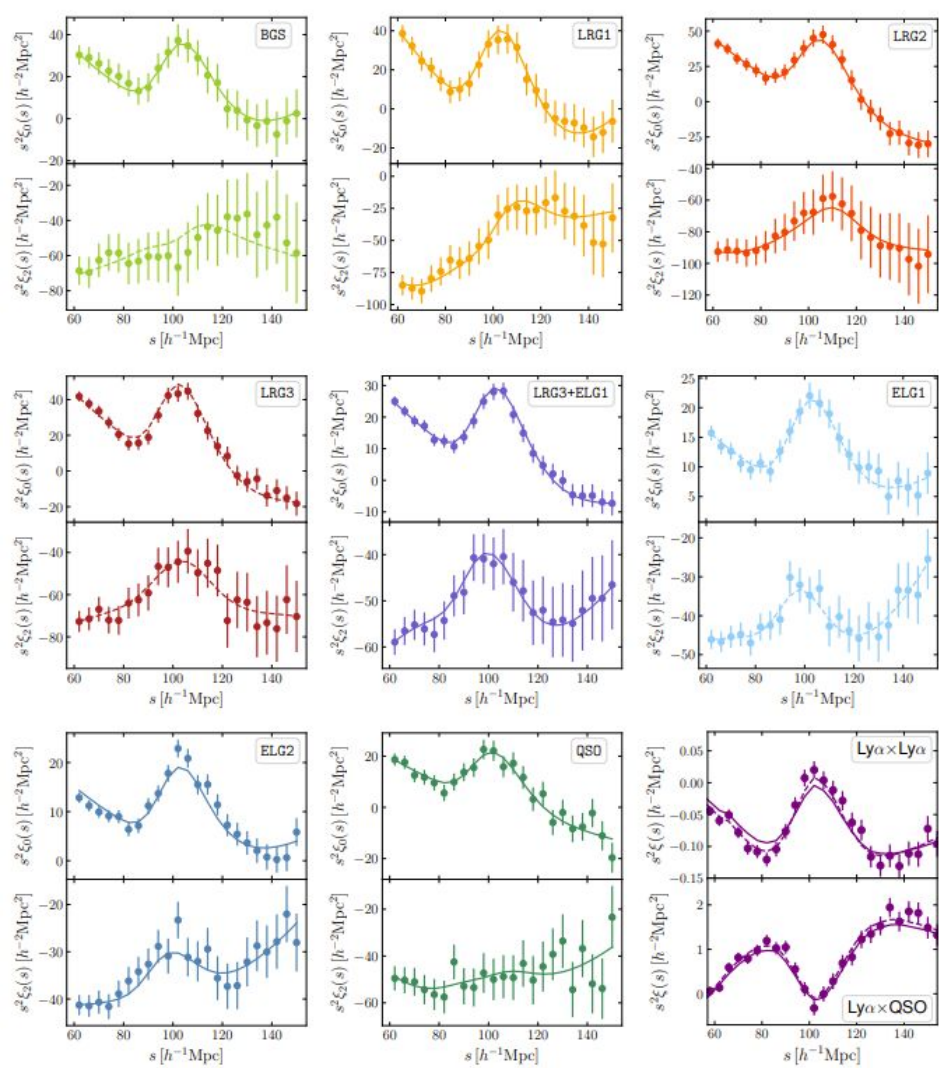
What is Reionization?



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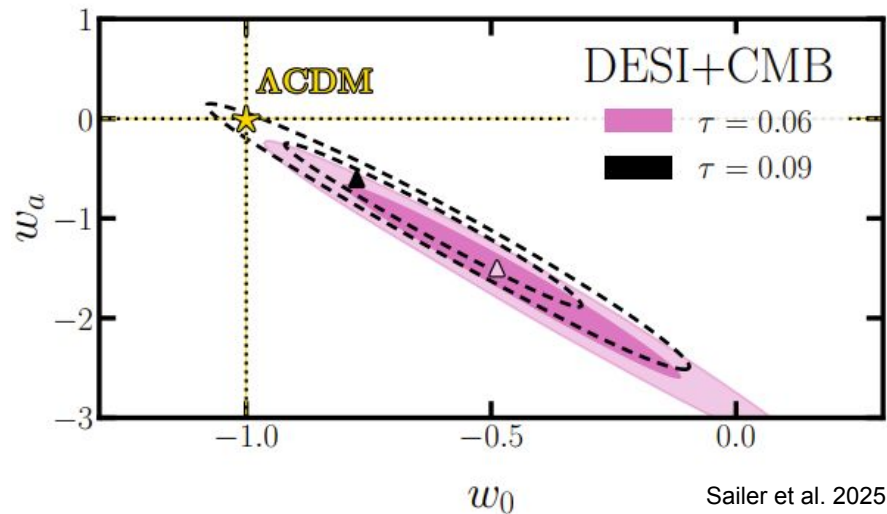
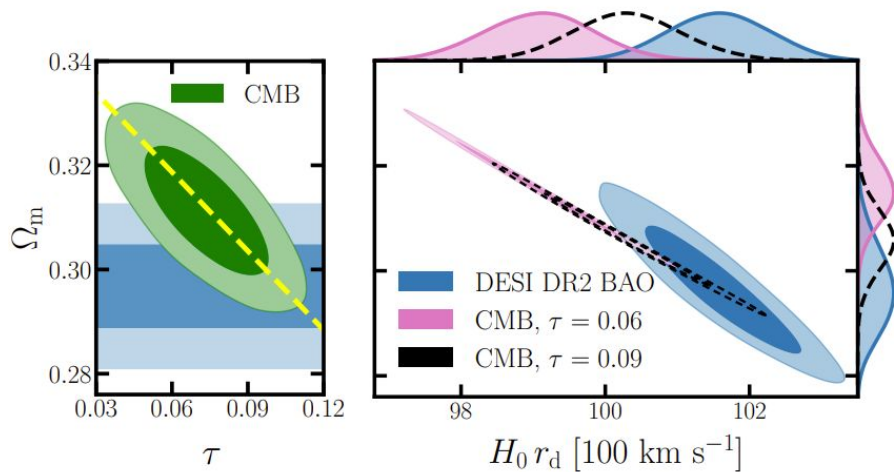


DESI BAO Measurement



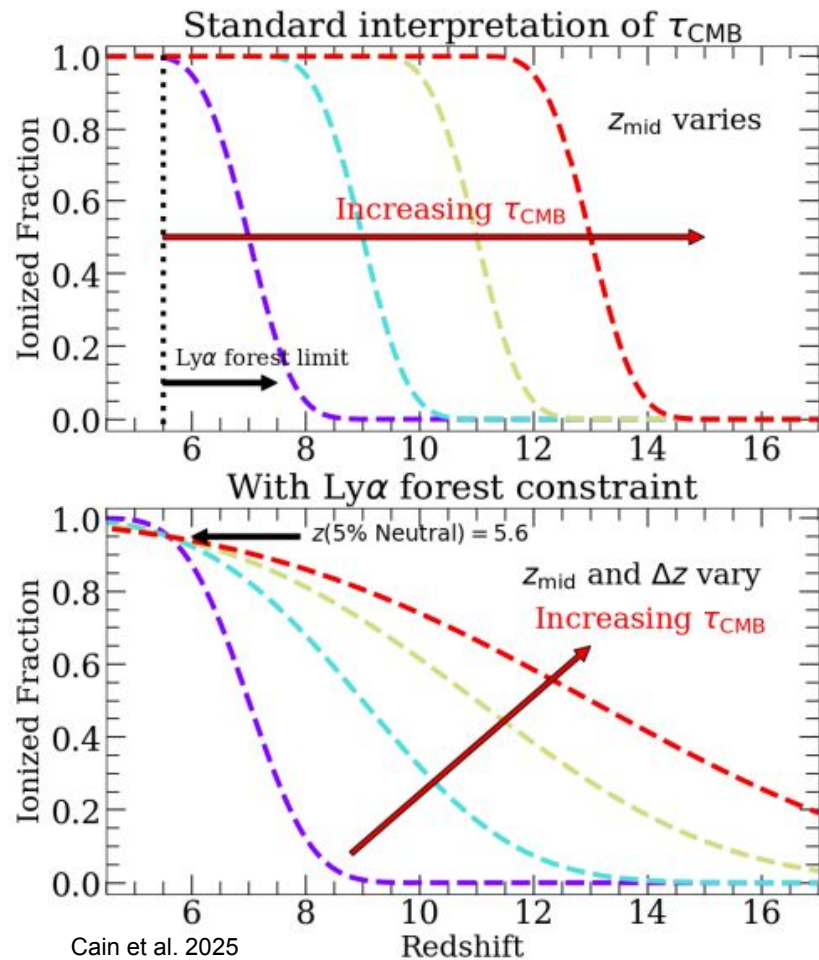
$$w(a) = w_0 + w_a(1 - a)$$

Can the optical depth to Reionization relieve the tension without time-evolving dark energy?

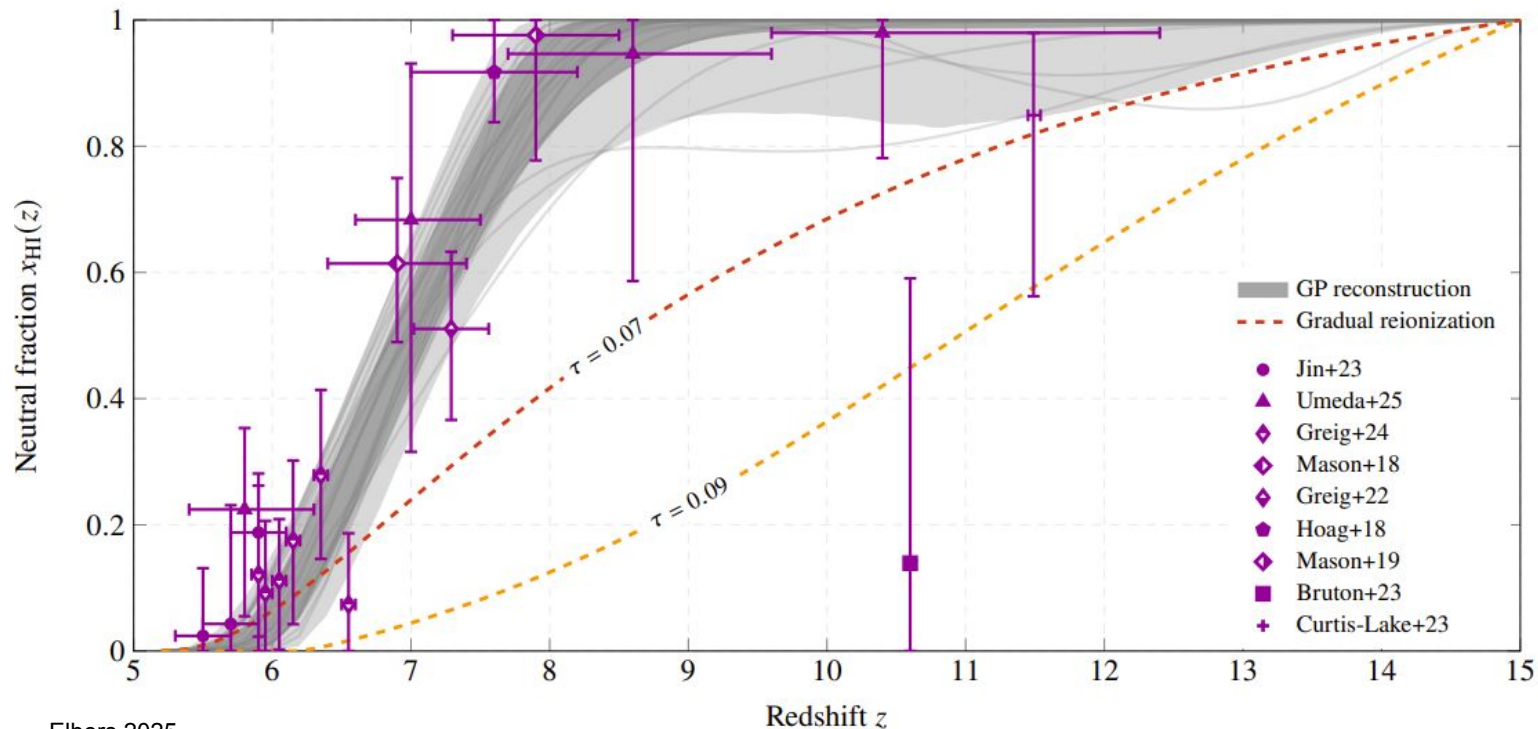


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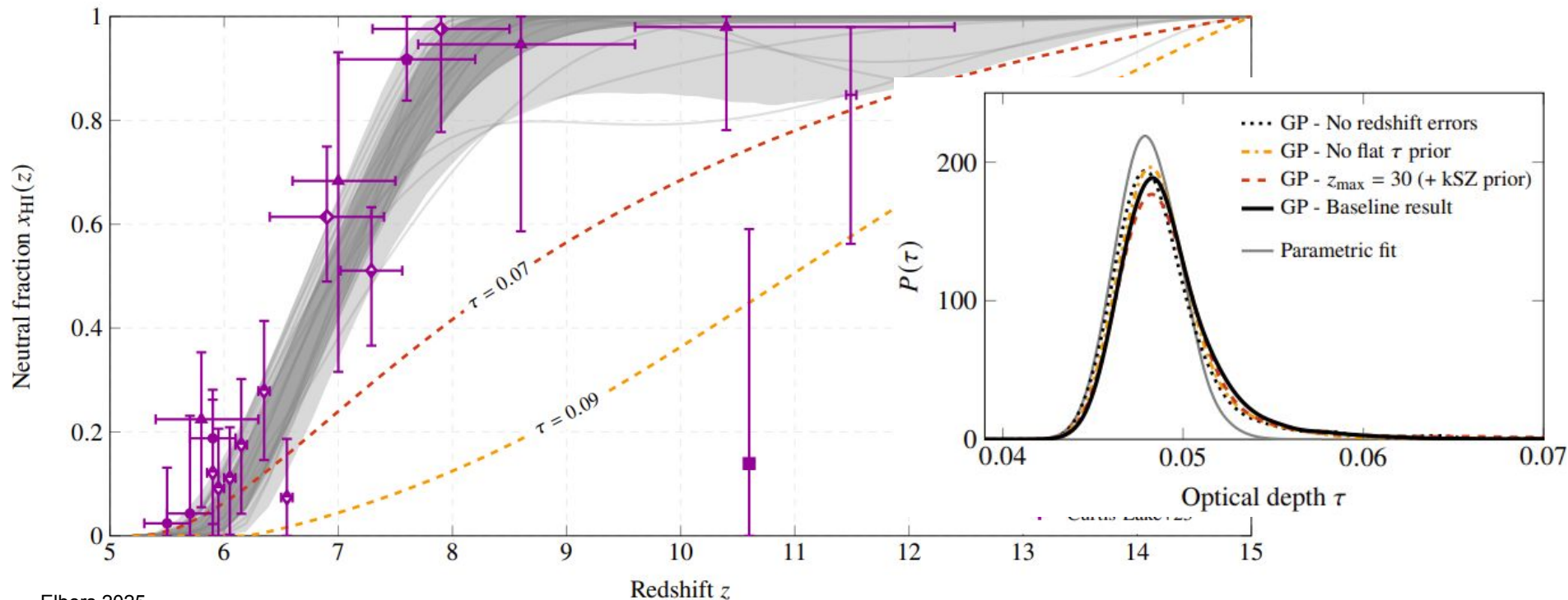
What does the optical depth to reionization (τ_{reion} or τ_{CMB}) mean in terms of reionization history?



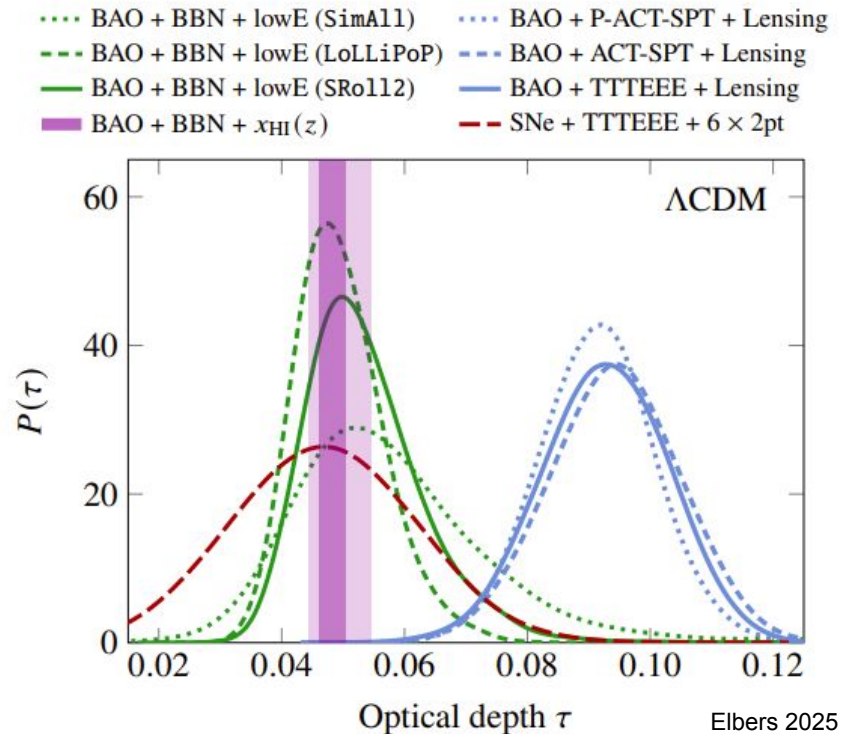
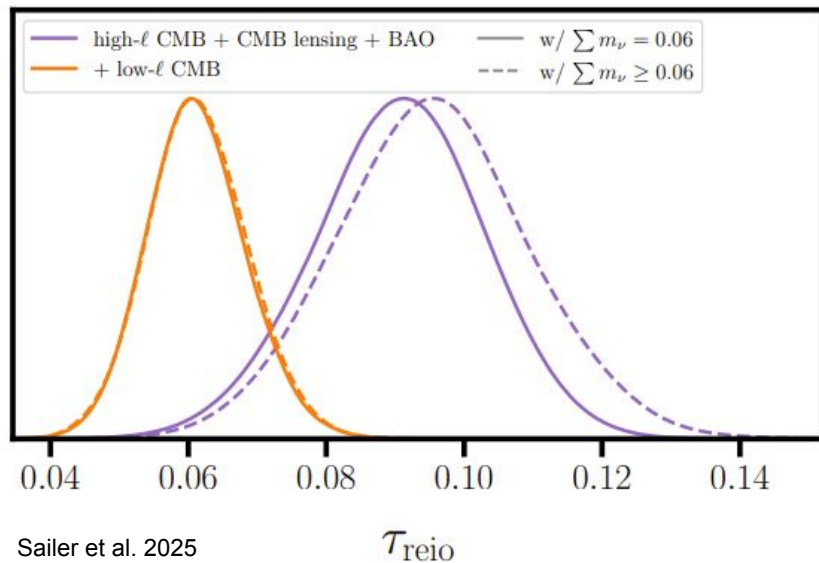
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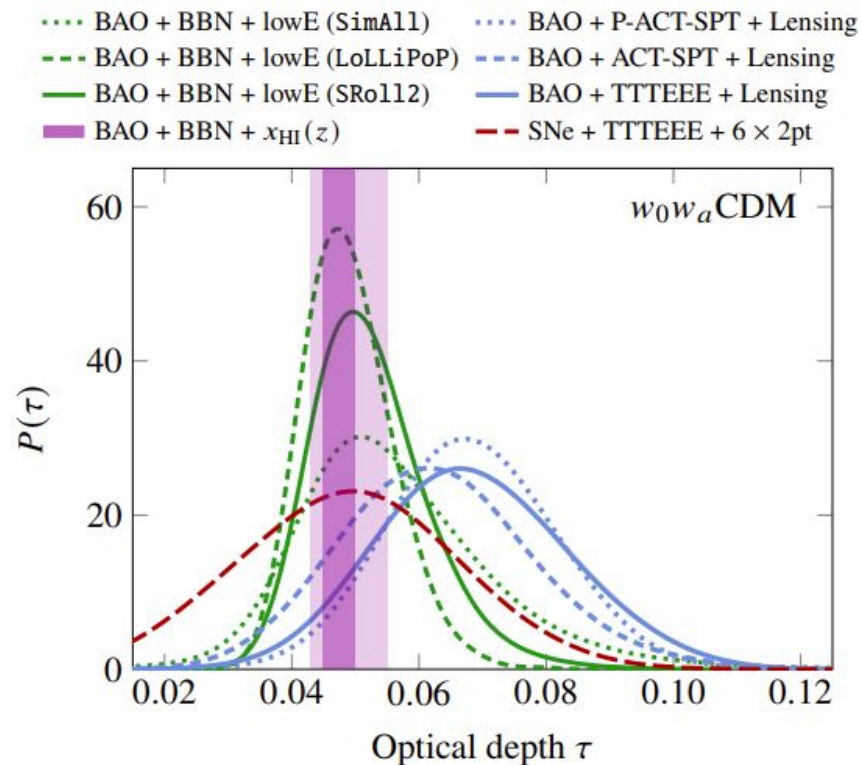
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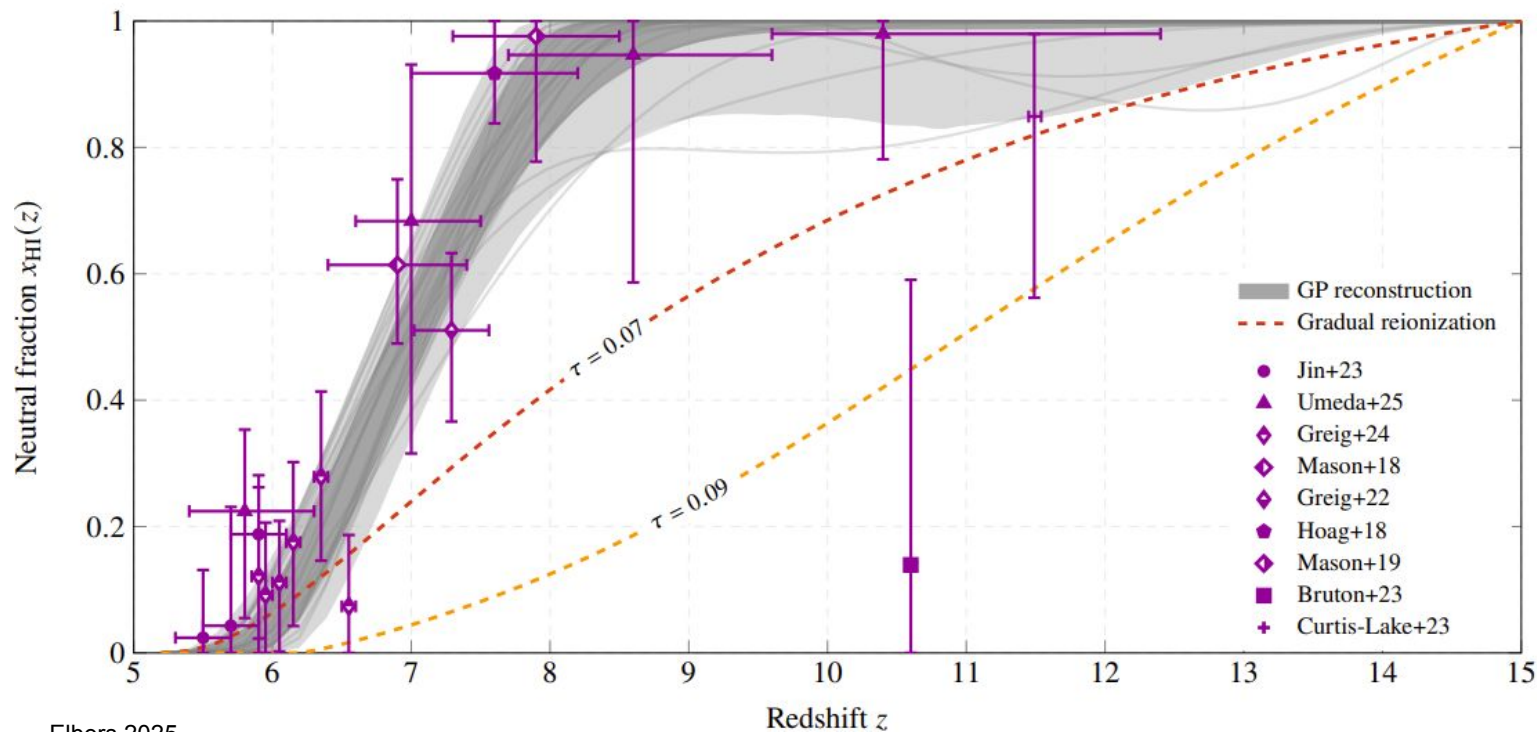
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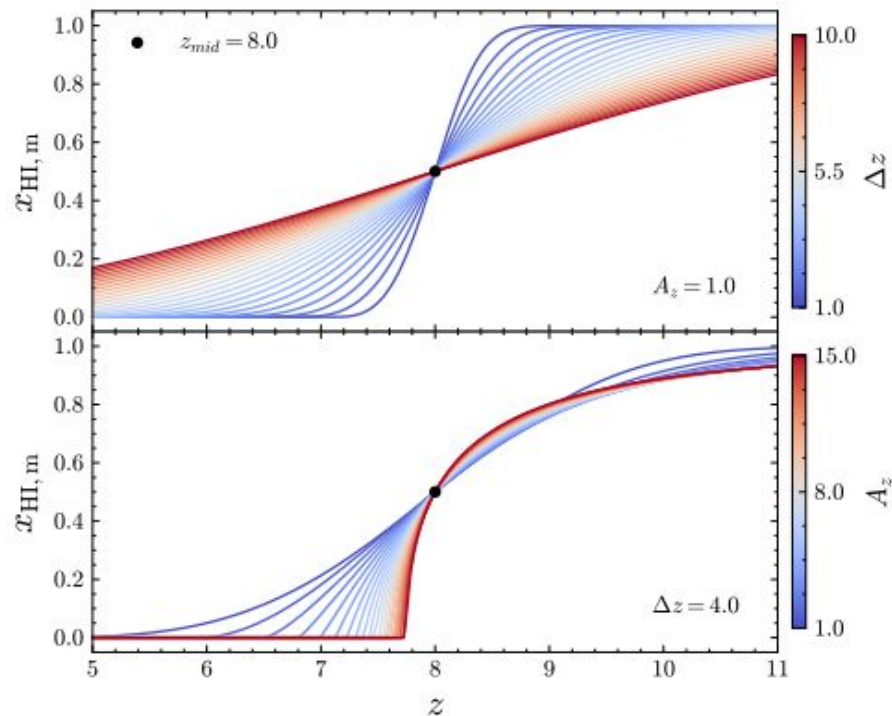
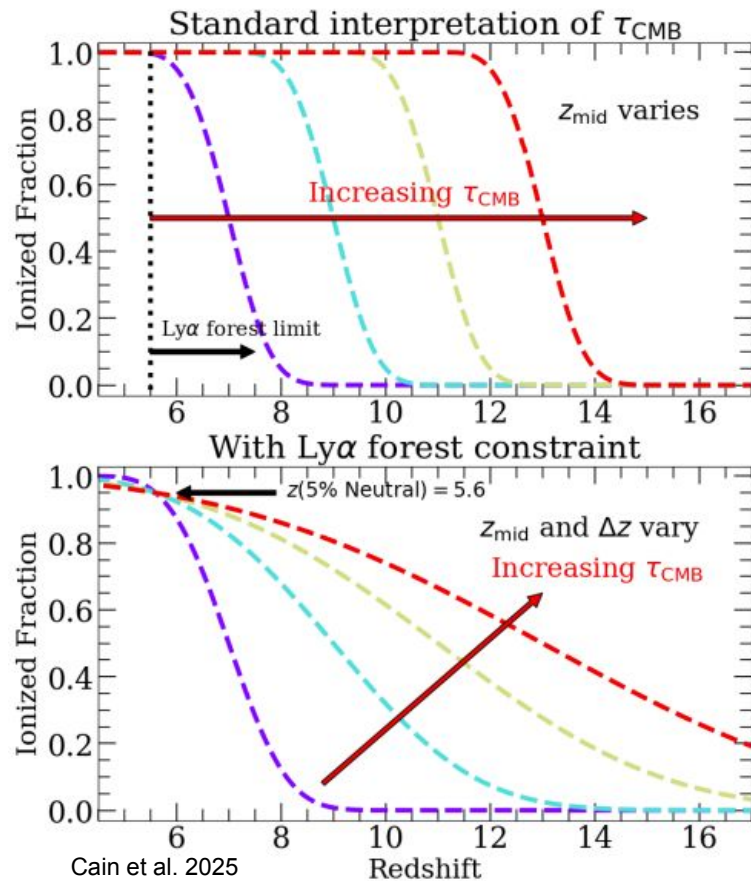
But what would this look like in w_0w_a CDM?



Mapping out the end of Reionization provides key insight to cosmological models with BAO and CMB:



How else can we constrain the evolution of Reionization?

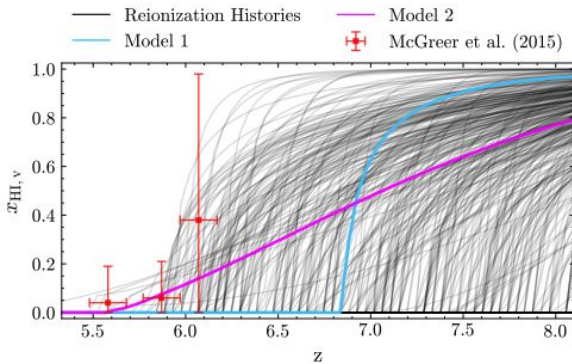


González-Hernández, Doughty, **Wolfson**, et al. submitted!

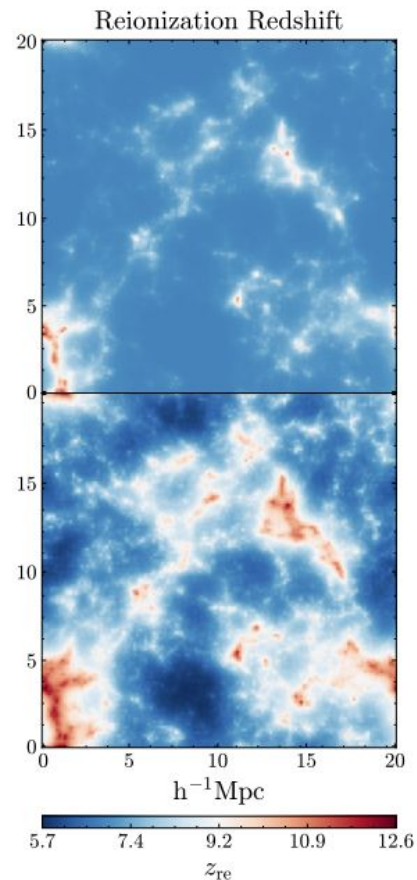
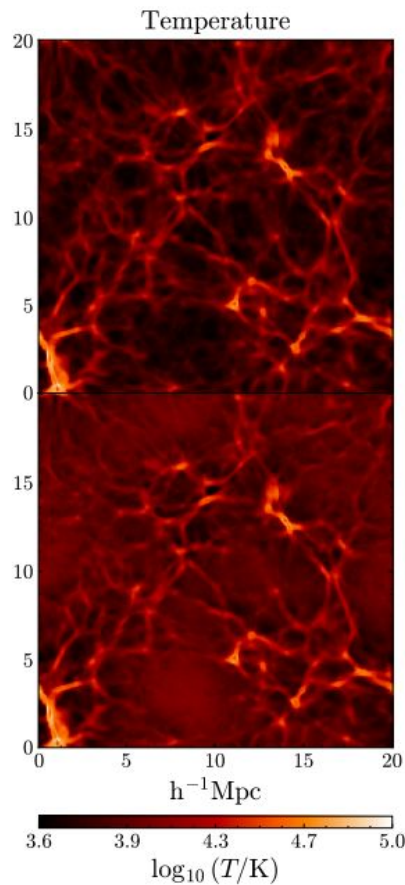
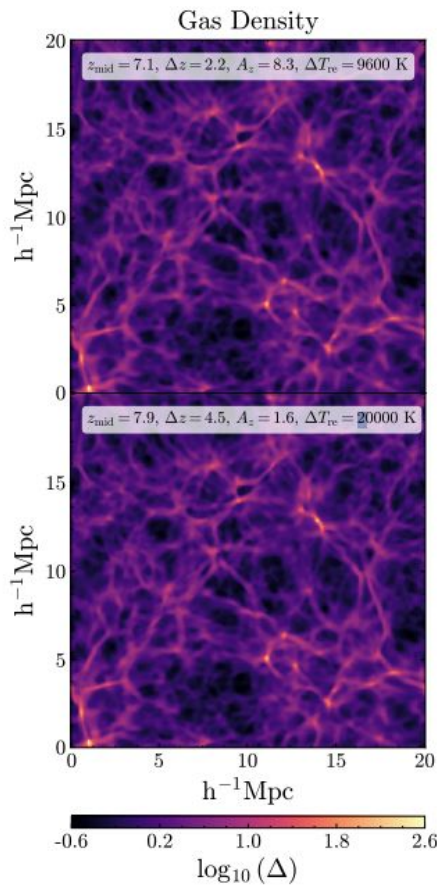
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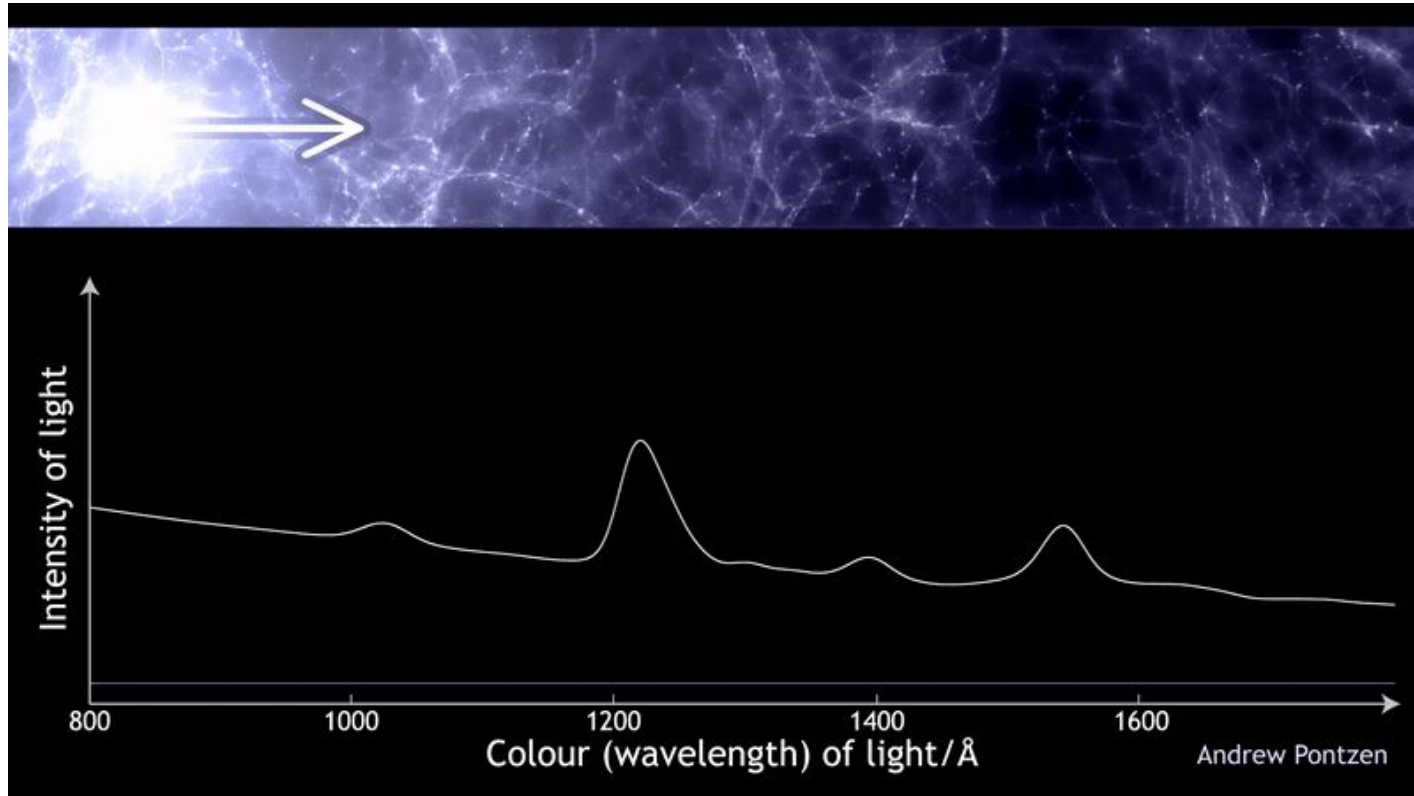
The intergalactic medium (at $z \gtrsim 5$)



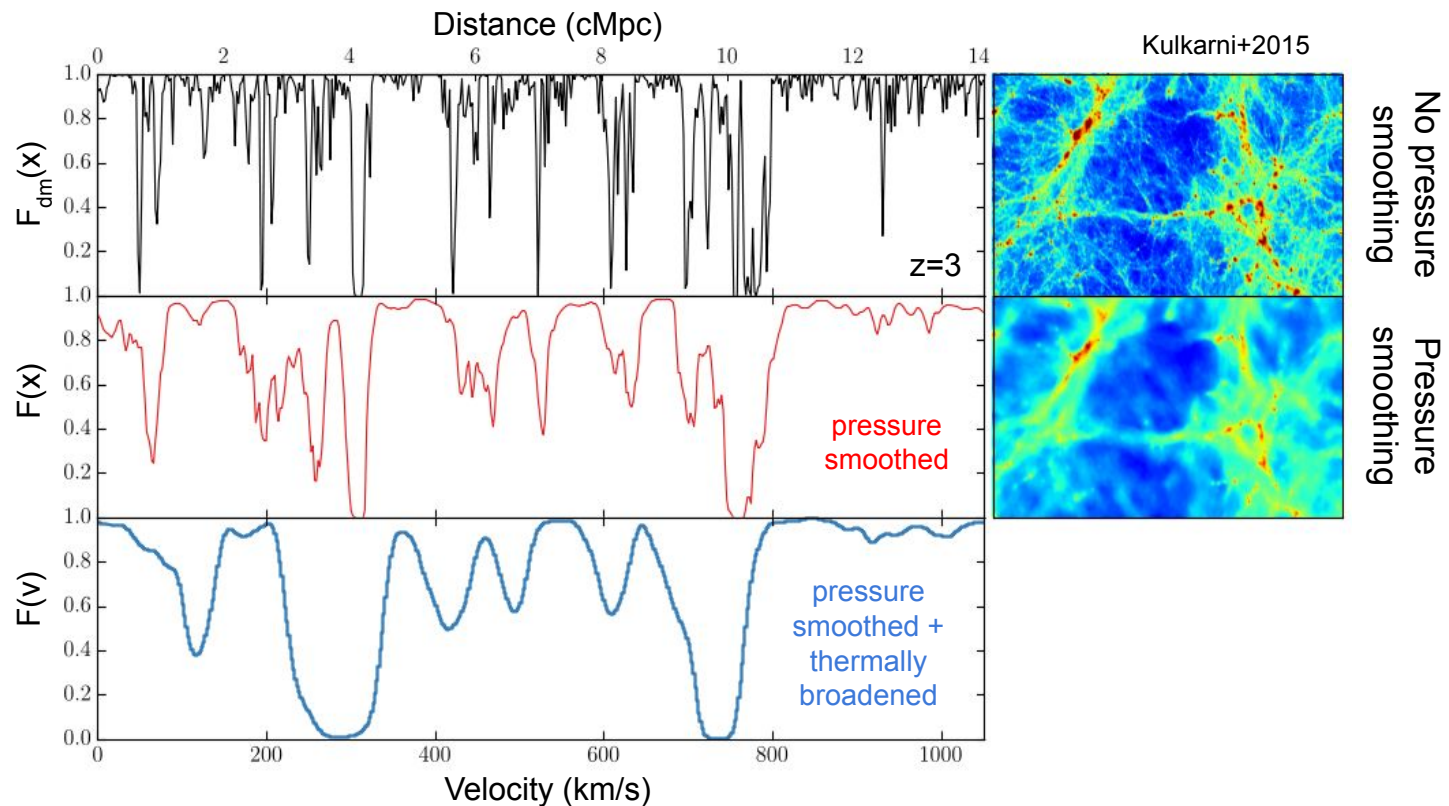
This is $z = 5$



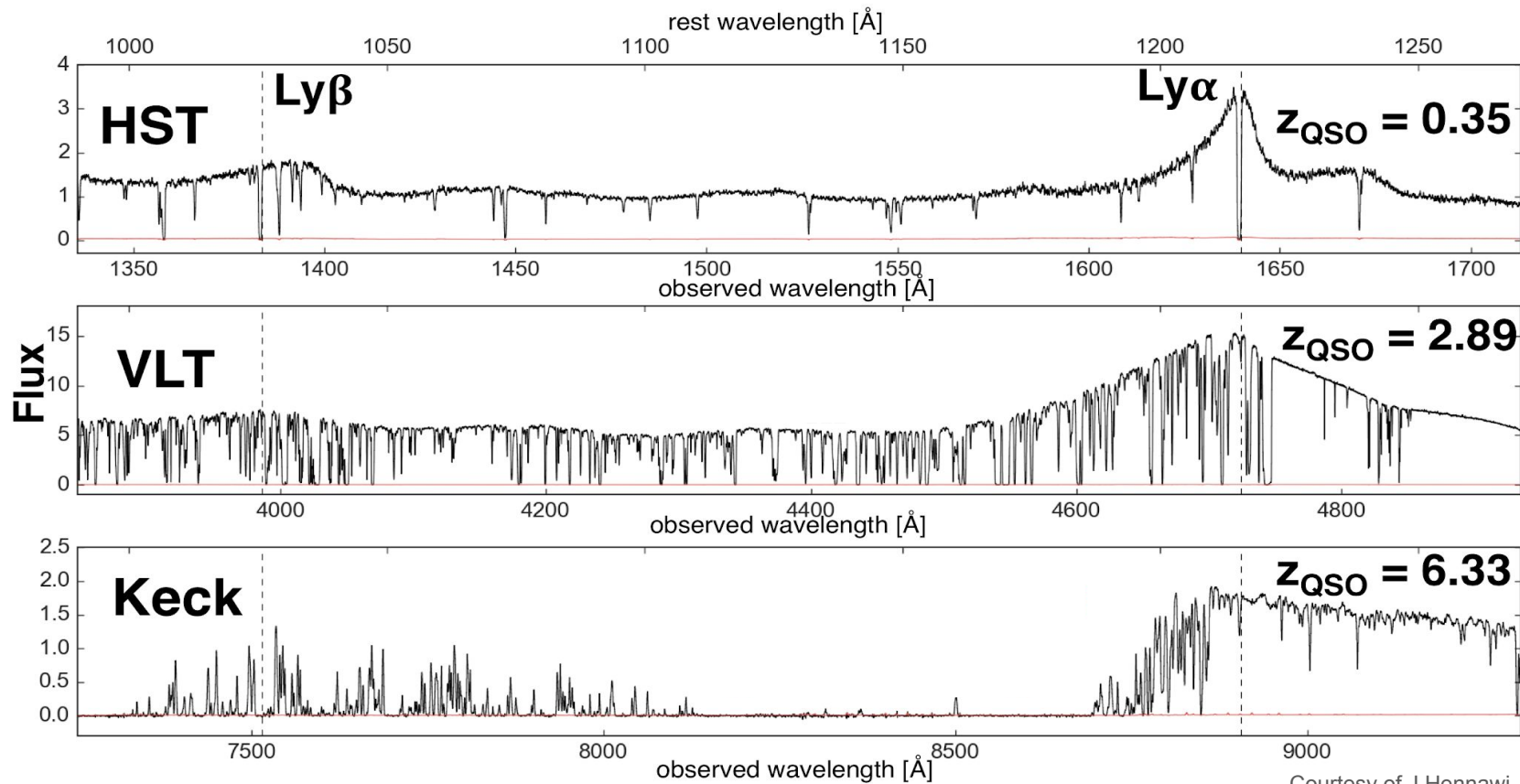
Probing the IGM with the Lyman- α forest:



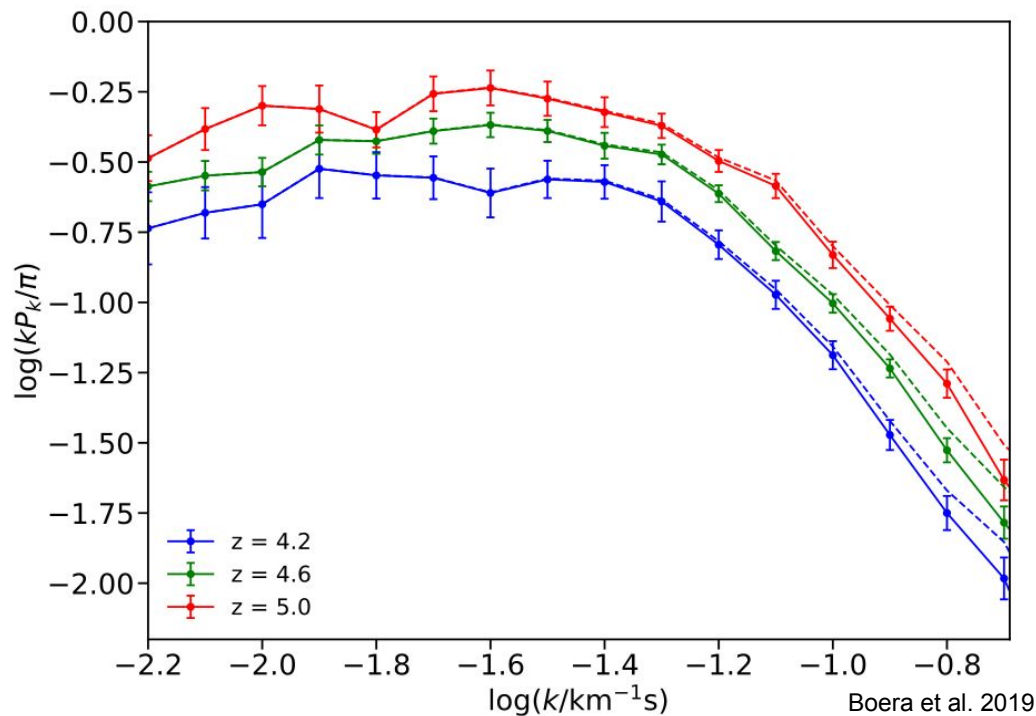
Lyman alpha absorption lines are set by the physics of the IGM, including...



Lyman- α forest flux at high- z :



1D Lyman- α forest power spectrum: $P(k) = \frac{1}{2\pi} \langle |\tilde{\delta}(k)|^2 \rangle$

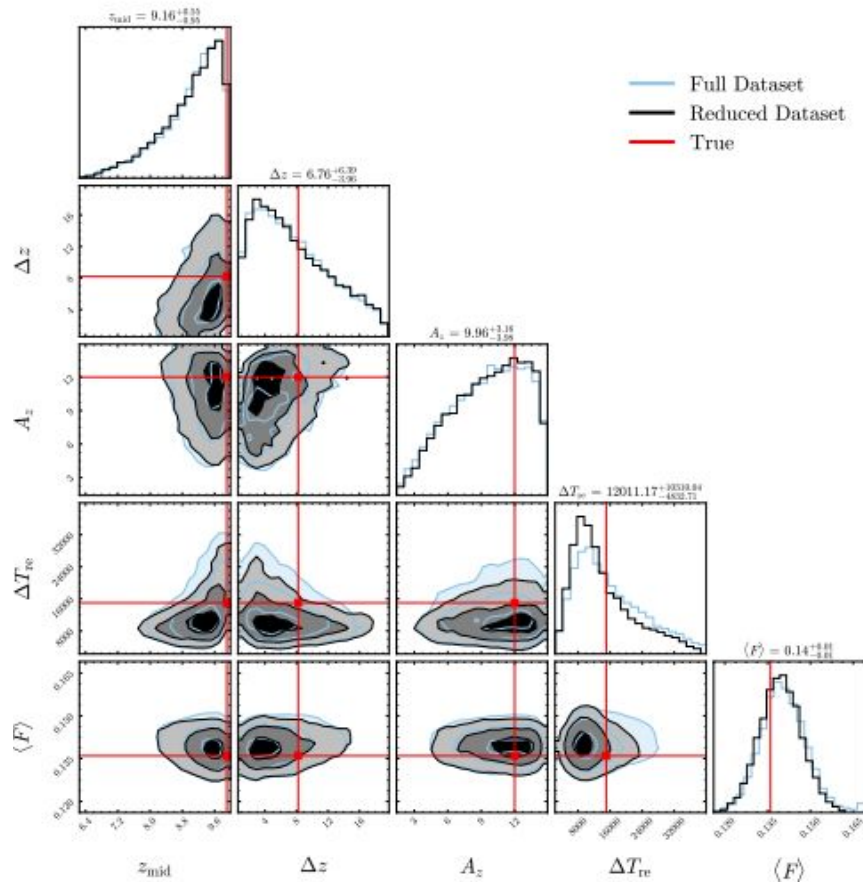
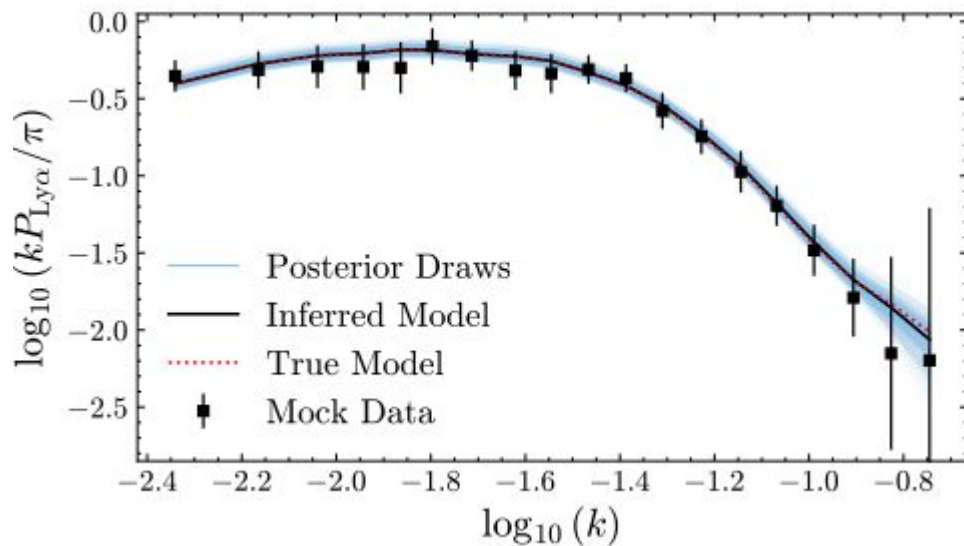


Large Scales

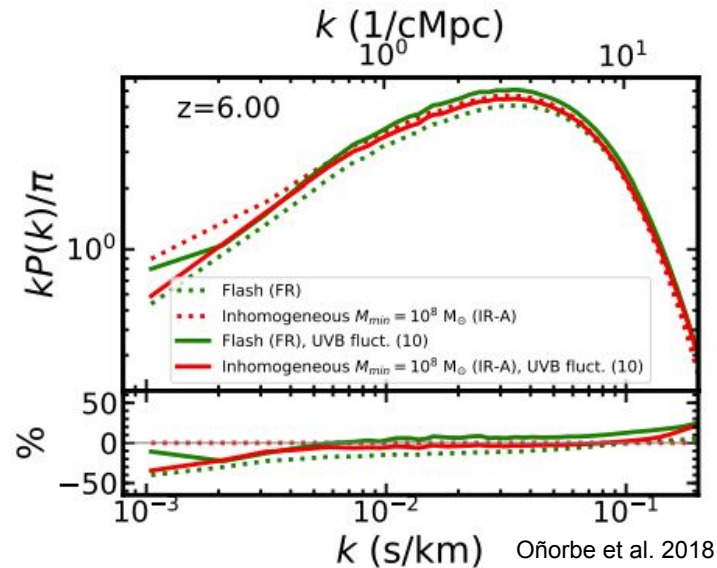
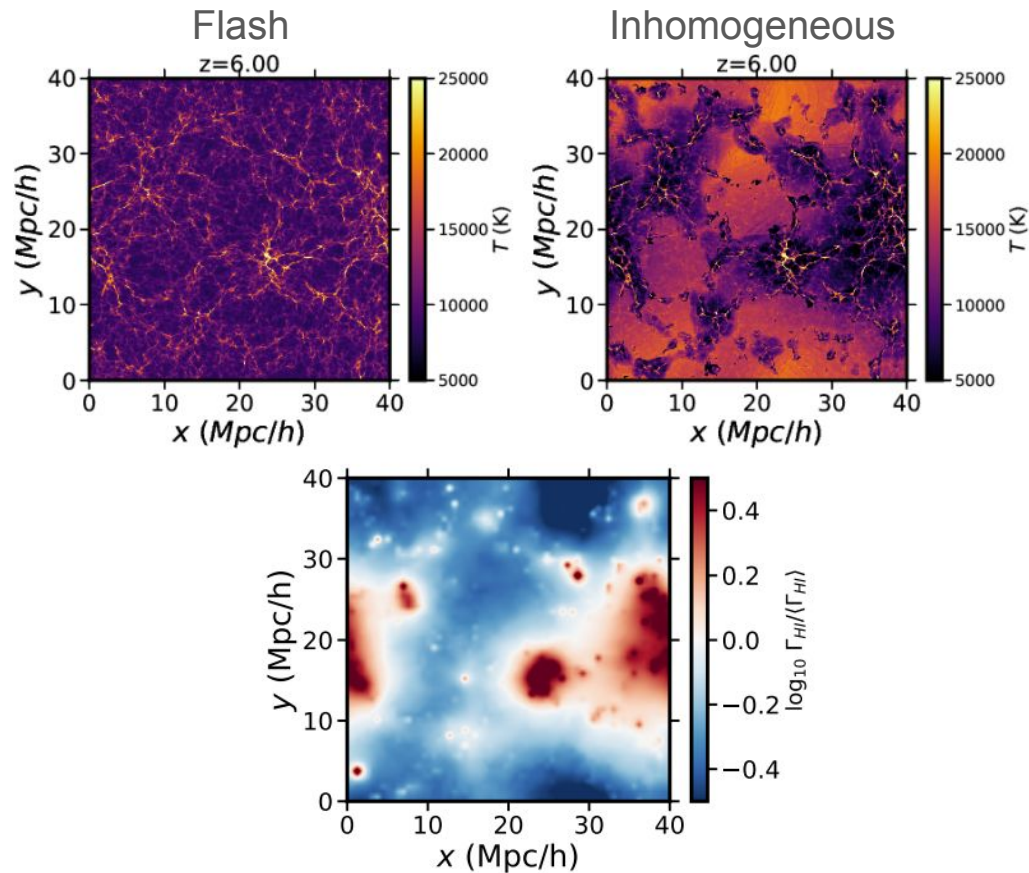
Small Scales

Using the 1D Lyman- α forest power spectrum to constrain Reionization:

Simulation data:



Large-scales of the power spectrum are also of interest for Reionization:



How to measure the power spectrum:

$$P(k) = \frac{1}{2\pi} \langle |\tilde{\delta}(k)|^2 \rangle$$

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Also have to correct for noise and
window function

$$P_F(k) = \frac{P_{\text{data}}(k) - P_N(k)}{W_R^2(k, R, dv_p)}$$

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$$P_F(k) = \frac{P_{\text{data}}(k) - P_N(k)}{W_R^2(k, R, dv_p)}$$

$$\begin{aligned}\xi(r) &= \langle \delta(x) \delta(x+r) \rangle, \\ P(k) &= \int_{-\infty}^{\infty} \xi(r) e^{-ikr} \, dr\end{aligned}$$

How to measure the power spectrum:

$$\mathcal{L}_{sp}(\mathbf{P}) = \frac{1}{(2\pi)^{N_{sp}^{\text{pix}}/2} \sqrt{\det(C)}} \exp\left(-\frac{\delta^T C^{-1} \delta}{2}\right)$$

C = correlation matrix
(from values of ξ)

δ = delta flux field

Following Palanque-Delabrouille et al. 2013 SDSS measurement

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$$\begin{aligned} C_{ij}^S &= \int_{-\infty}^{+\infty} P_{1D}(k) \cdot \exp[-ik\Delta v \times (i - j)] dk \\ &= \int_0^{+\infty} P_{1D}(k) \cdot 2 \cos[k\Delta v \times (i - j)] dk. \end{aligned}$$

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$$C_{ij}^S(\mathbf{P}) = \sum_{\ell=1}^{N_\ell} P_\ell \cdot \int_{k_{\ell-1}}^{k_\ell} 2 \cos[k \Delta v \times (i - j)] dk$$

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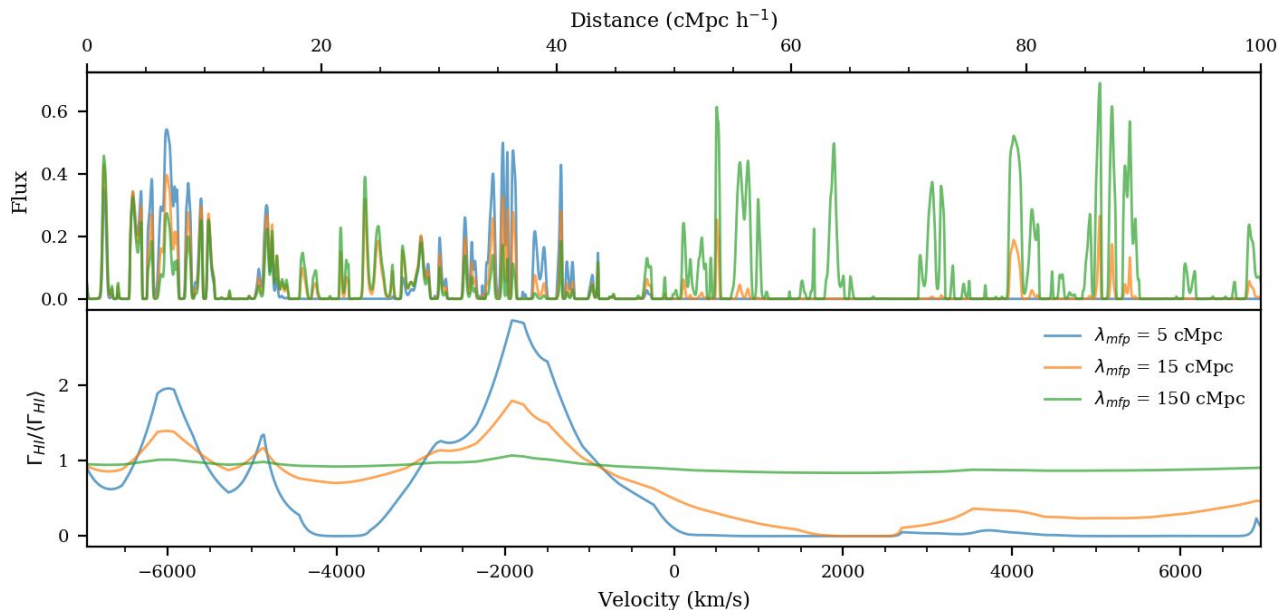
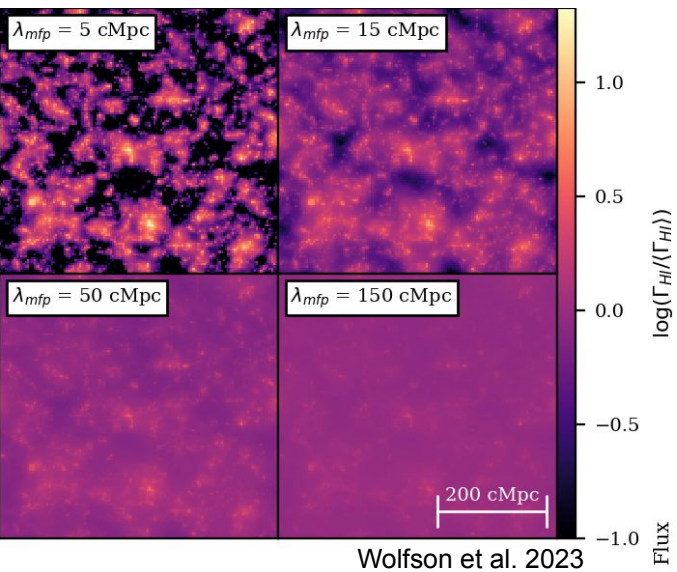
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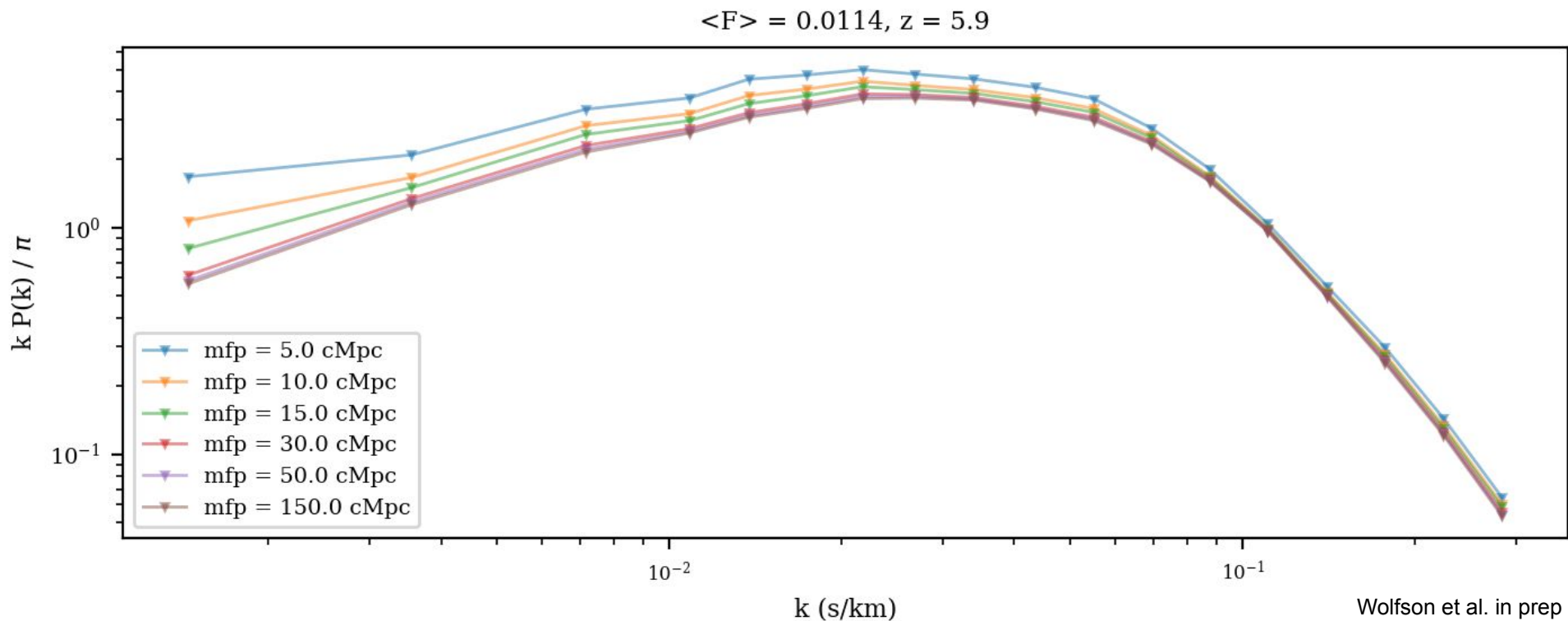
$$C_{ij}^S(\mathbf{P}) = \sum_{\ell=1}^{N_\ell} P_\ell \cdot \int_{k_{\ell-1}}^{k_\ell} 2 \cos[k \Delta v \times (i - j)] \times \\ W(k, R_i, \Delta v) W(k, R_j, \Delta v) dk$$

Following Palanque-Delabrouille et al. 2013 SDSS measurement

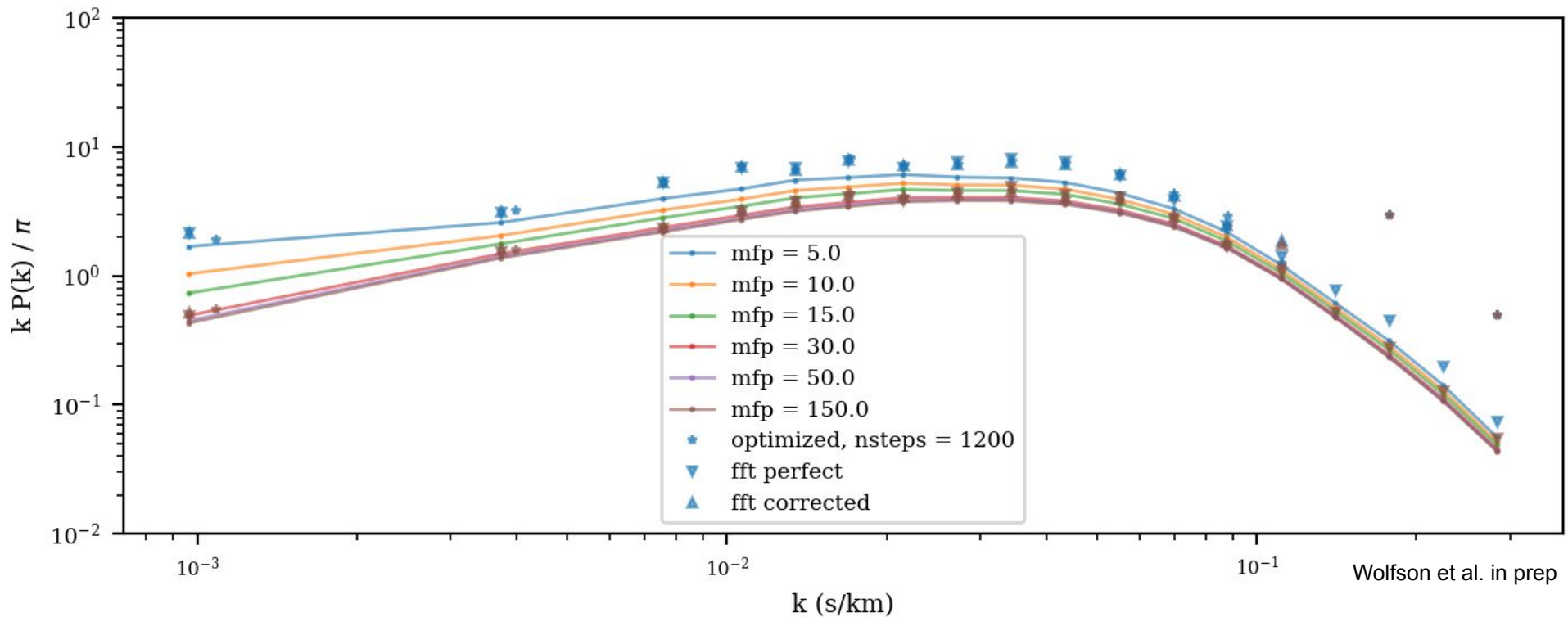
Implementing this on mock data with fluctuating UVBs:



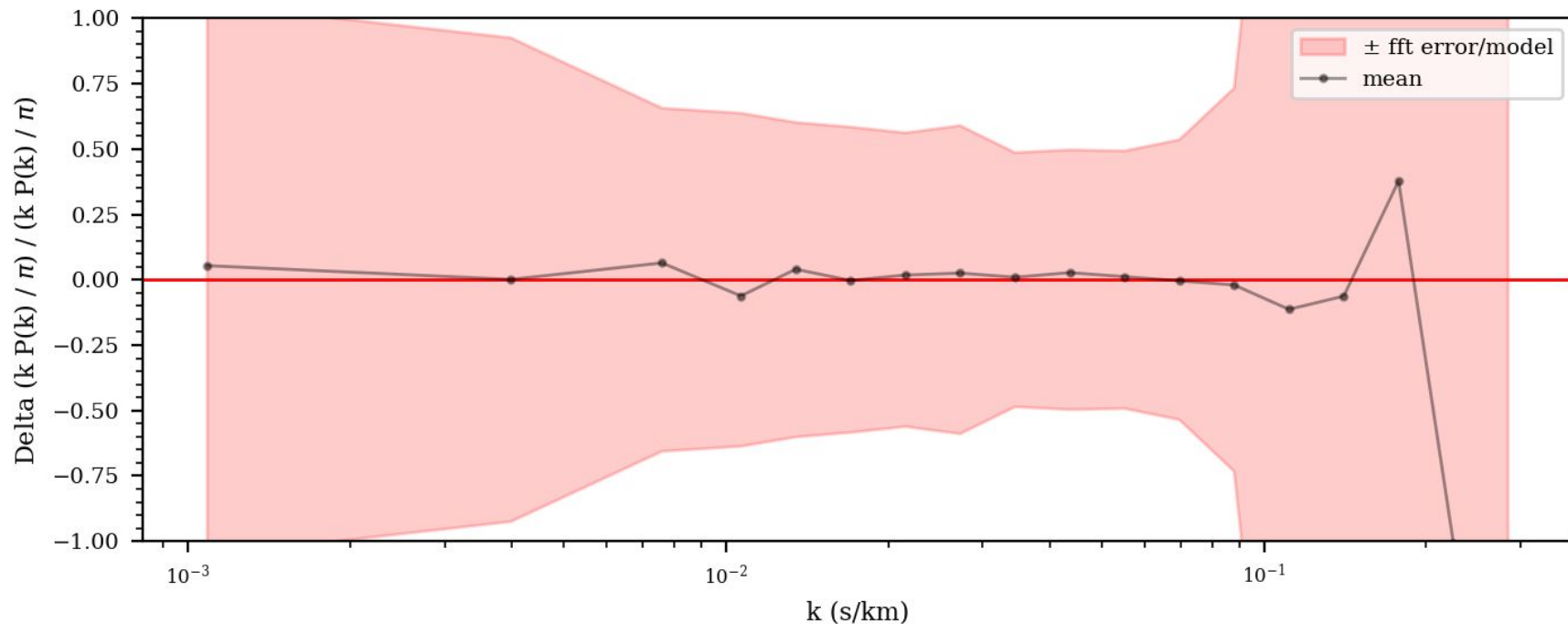
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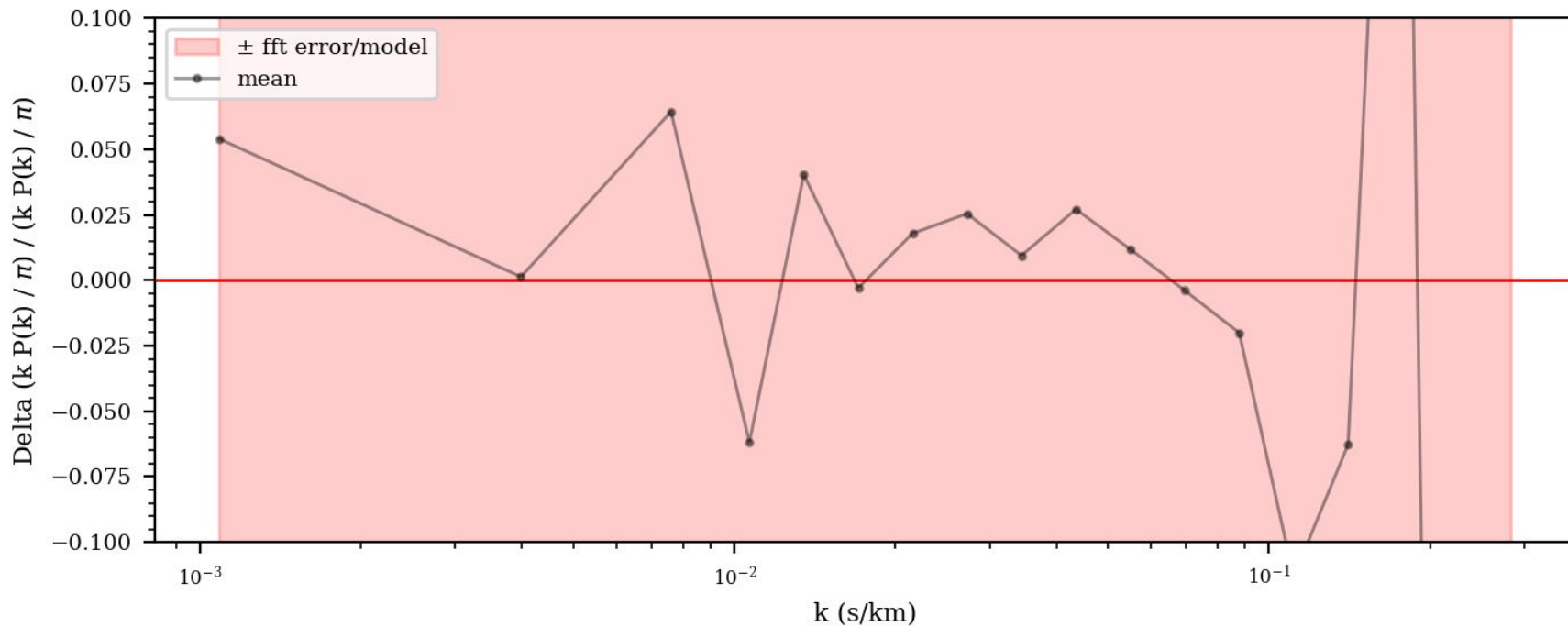
Mock measurement from my implementation:



Difference between the optimization on realistic mock data
and FFT on perfect mock data:



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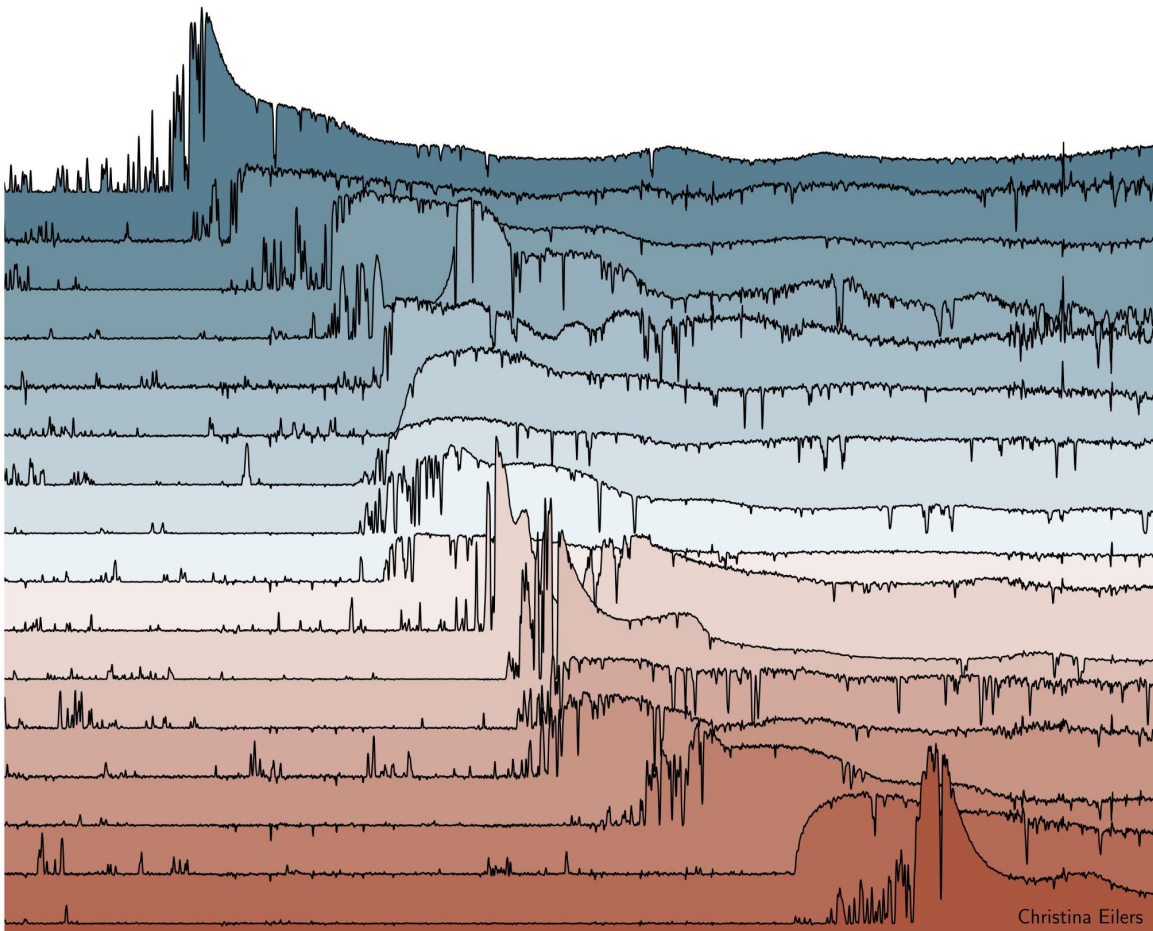


Data measurement to come!

XQR-30

XQR-30 (xqr30.inaf.it):

- dedicated ~250 hours of observations
- Uses VLT/X-Shooter (R ~ 8800 in the visible)
- 30 new observations of some of the most luminous $z > 5.8$ quasars observed
- Supplemented with 12 archival observations

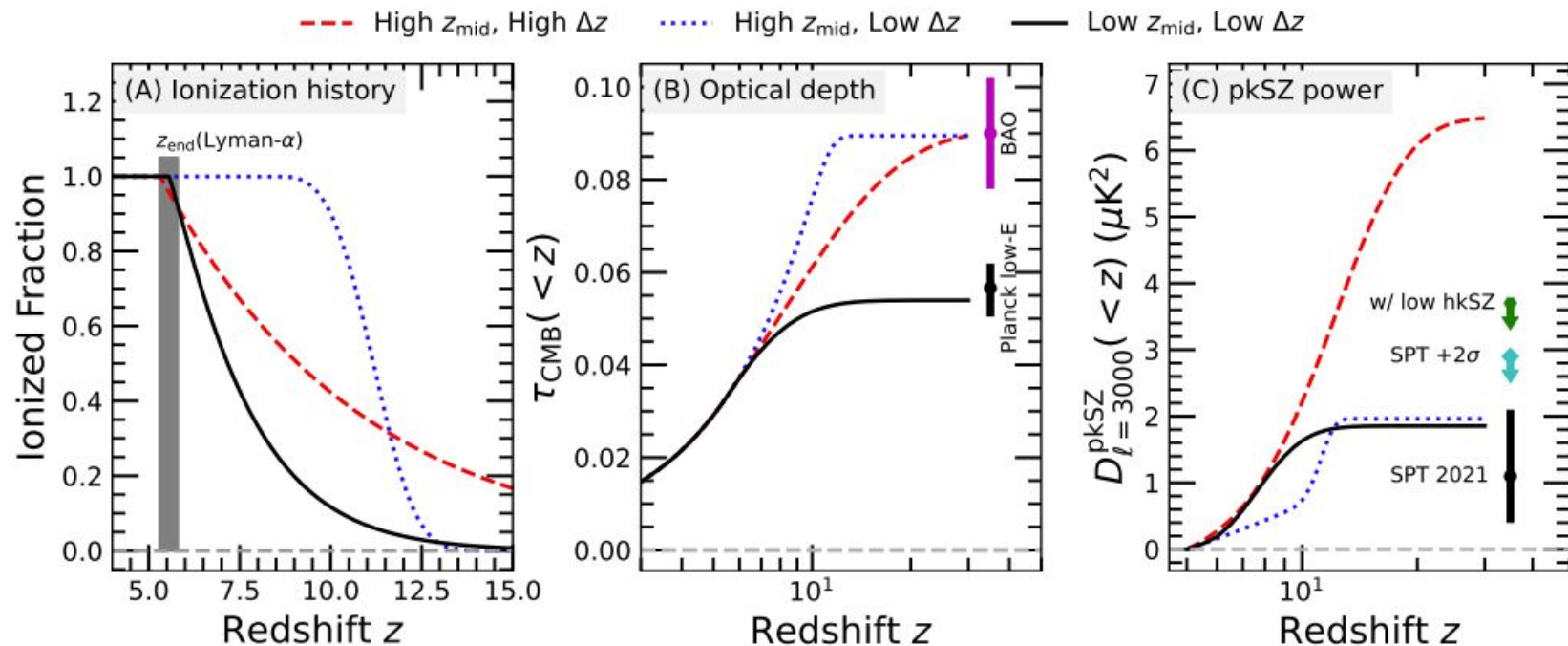


Takeaways:

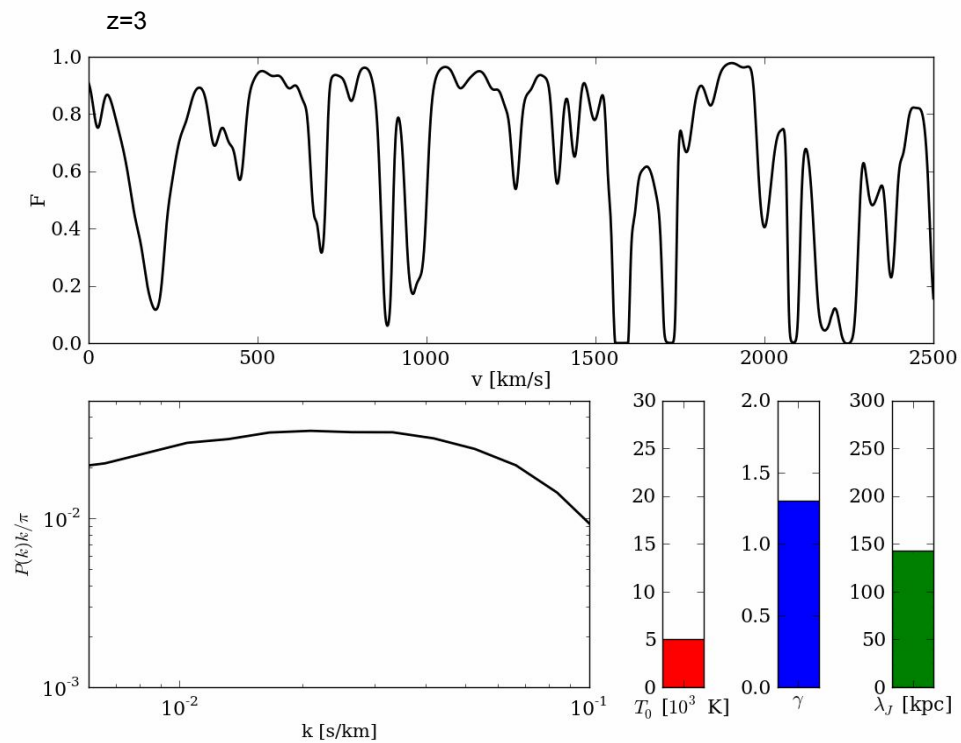
- There is a lot of interest in fully constraining the timing, duration, and asymmetry of Reionization
- The 1D Lyman- α forest power spectrum can be a powerful probe the effect of reionization on both large and small scales
- Measuring the power from data is tricky, so sophisticated computational methods are needed
- I have implemented a likelihood method to measure the power from data that is robust from tests on mock data with a variety of large-scale power
- Measurement on data expected very soon!

Extra Slides

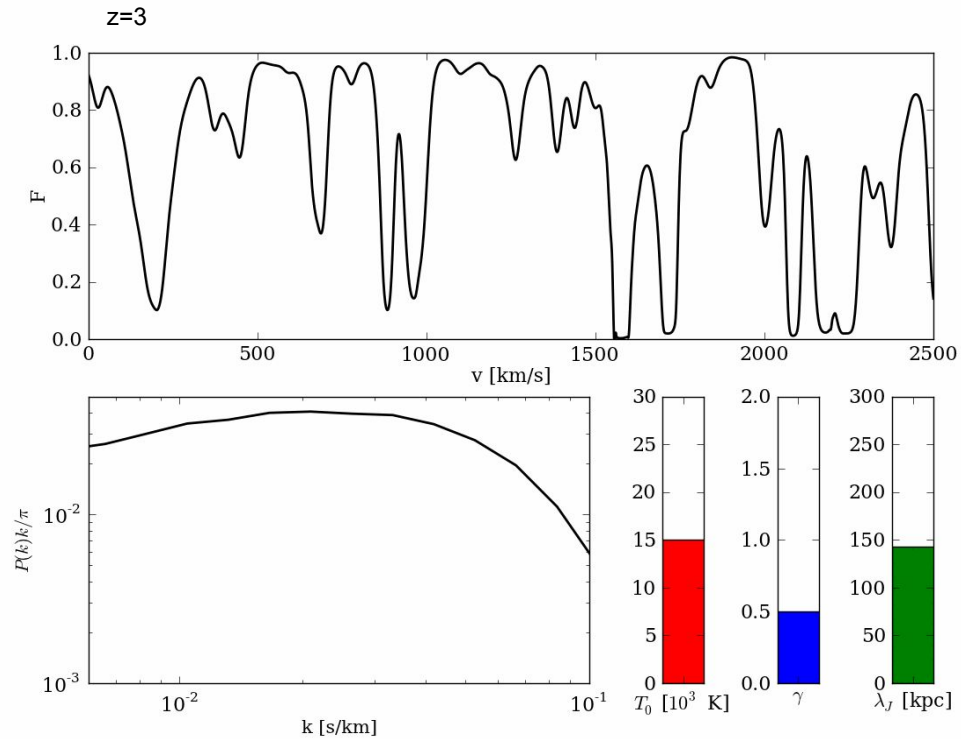
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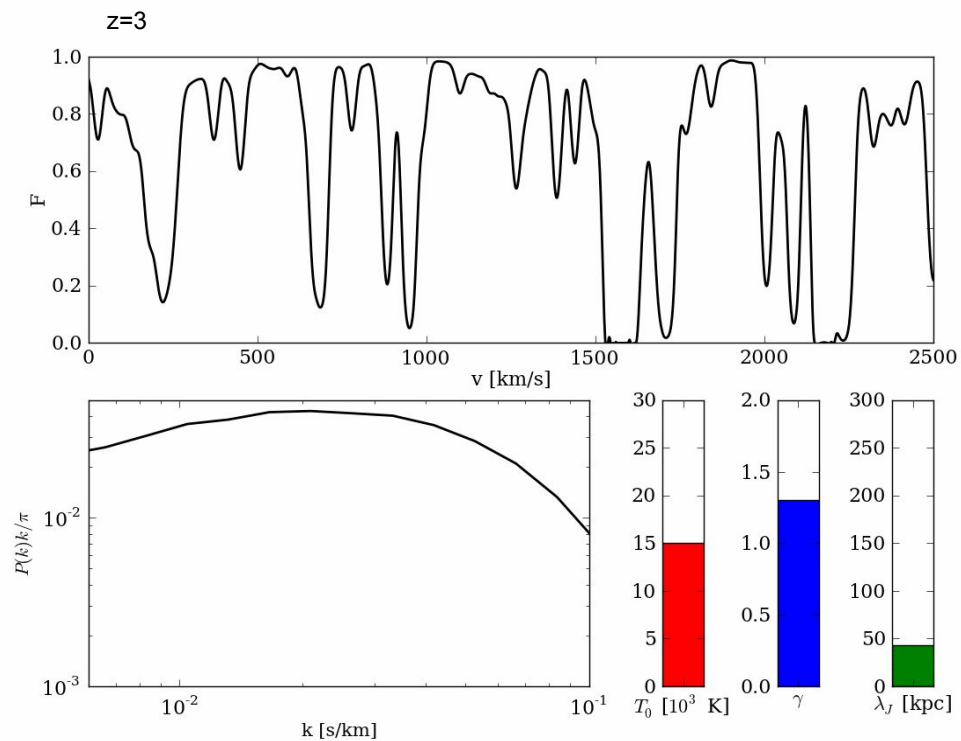
Changing T_0



Changing γ



Changing λ_p



How to measure the power spectrum: $P(k) = \frac{1}{2\pi} \langle |\tilde{\delta}(k)|^2 \rangle$

Computing the power from the Fourier transform of the delta-Flux field is difficult. Any non-regular grid spacing (for example from masking pixels in the spectrum from high column density systems or sky lines)

The data measurement also needs to be corrected for the noise and window function (arising from finite spectrograph resolution and pixel spacing):

$$P_F(k) = \frac{P_{\text{data}}(k) - P_N(k)}{W_R^2(k, R, dv_p)}$$

Rather than this, one could instead exploit the fact that the power is the Fourier transform of the auto-correlation function, ξ

$$\xi(r) = \langle \delta(x) \delta(x+r) \rangle,$$
$$P(k) = \int_{-\infty}^{\infty} \xi(r) e^{-ikr} dr$$