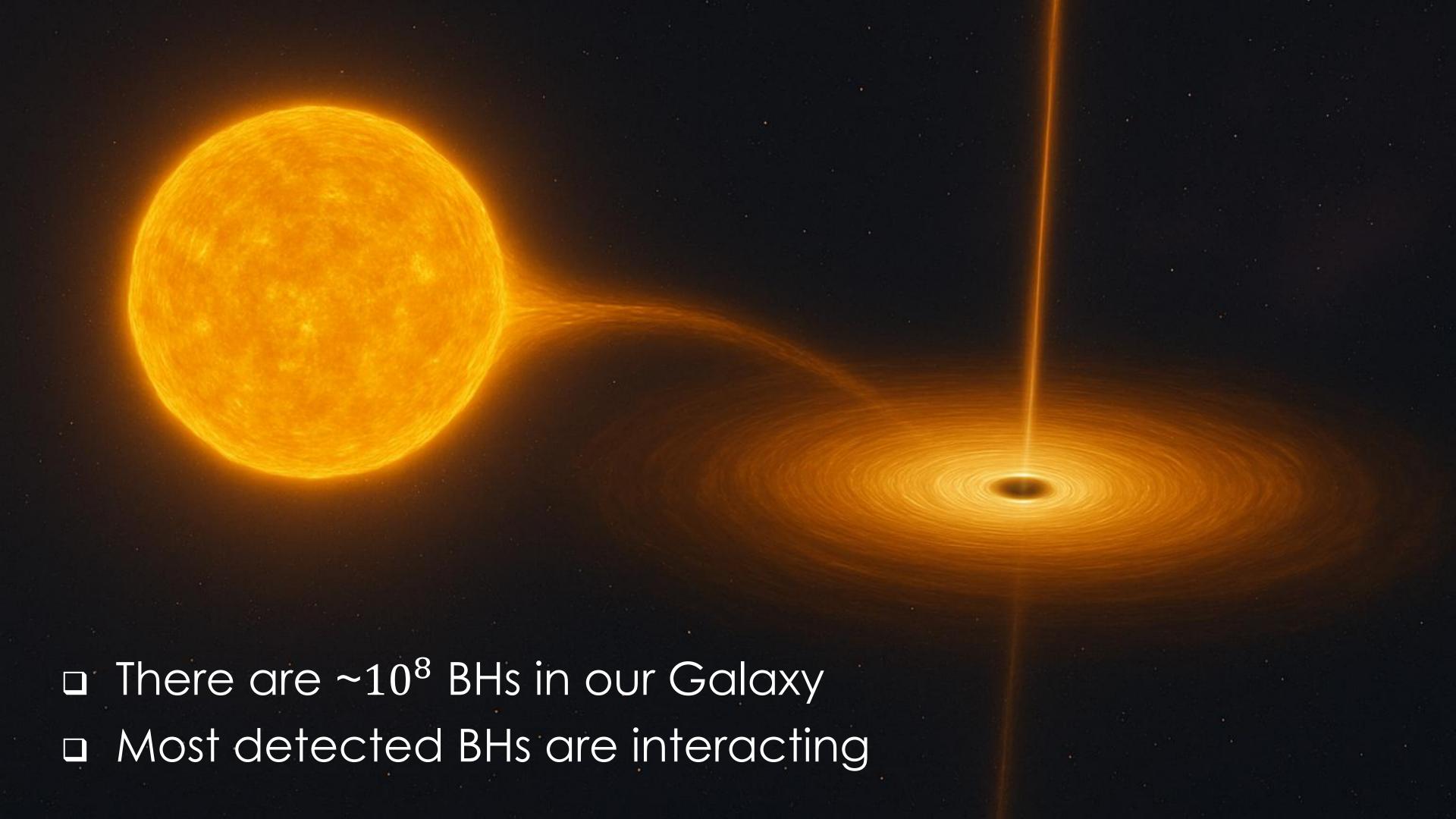
Toward the detection of massive dark companions in photometric surveys using GPR and PCA

Milan Pešta

CCAPP Fellows Symposium Sep 18, 2025



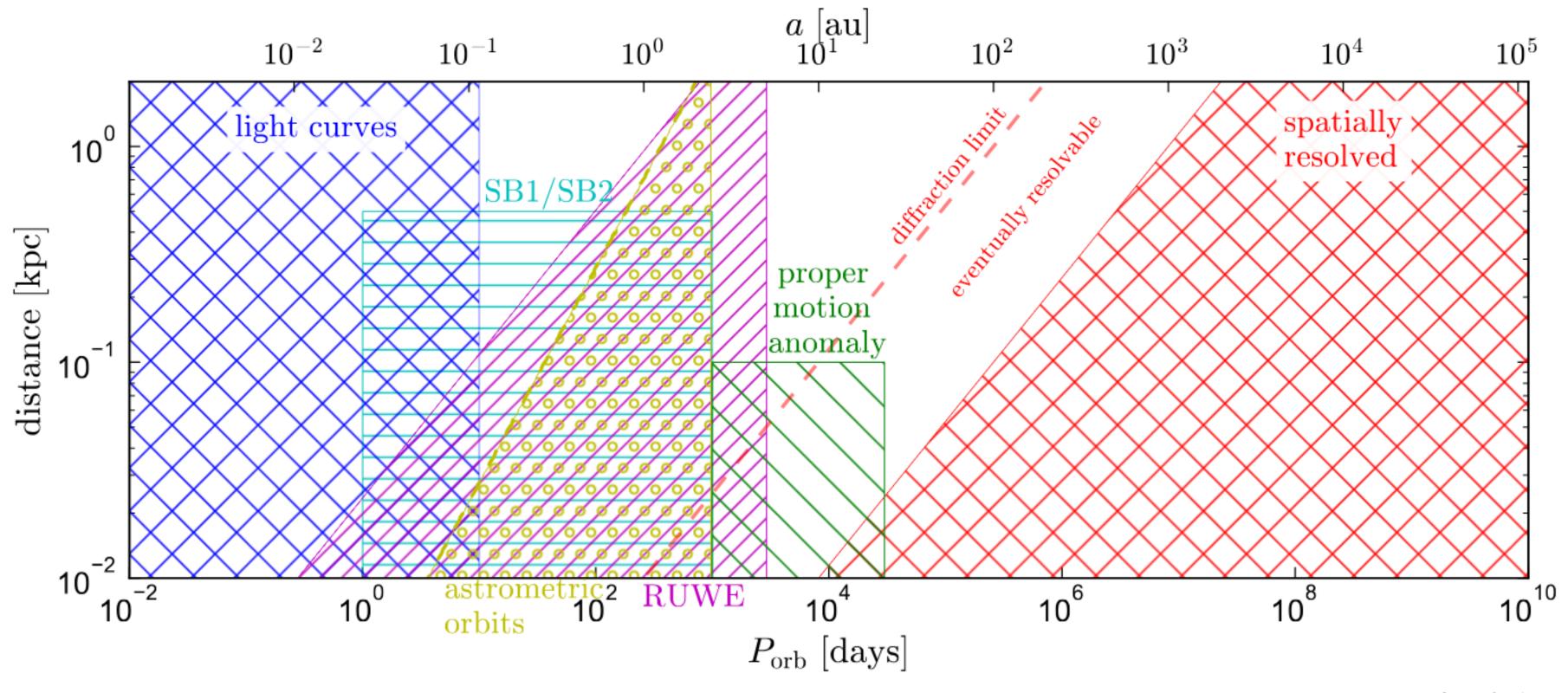


Large population dark companion binaries

- □ There are ~10<sup>8</sup> BHs in our Galaxy
- Most detected BHs are interacting

#### Methods of detection

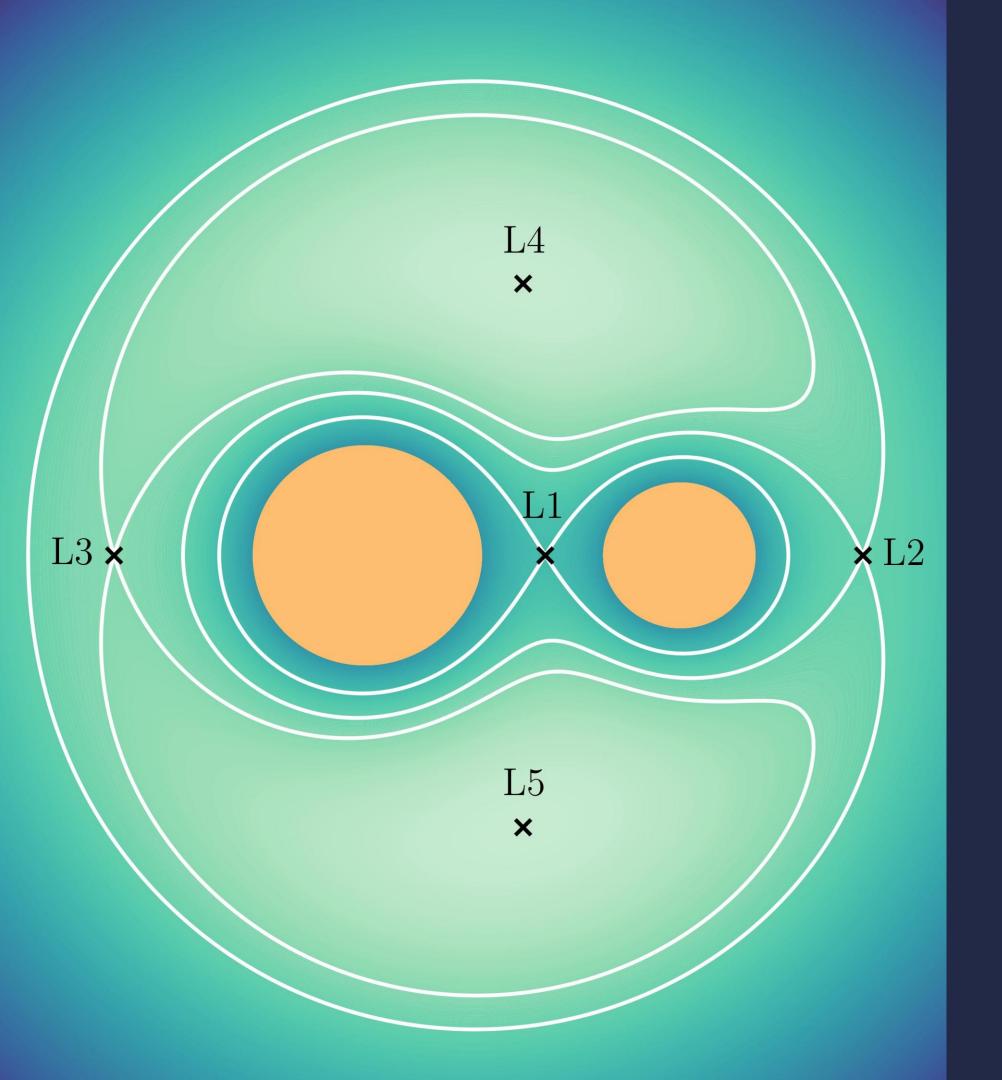
- High radial accelerations and binary mass functions (Thompson et al. 2019)
- □ Large wobbles in astrometric binary solutions (El-Badry et al. 2023, El-Badry et al. 2024)



El-Badry24

#### Methods of detection

- High radial accelerations and binary mass functions (Thompson et al. 2019)
- □ Large wobbles in astrometric binary solutions (El-Badry et al. 2023, El-Badry et al. 2024)
- Ellipsoidal variations
   (Gomel et al. 2021, Gomel et al. 2022)



Tidally distorted stars

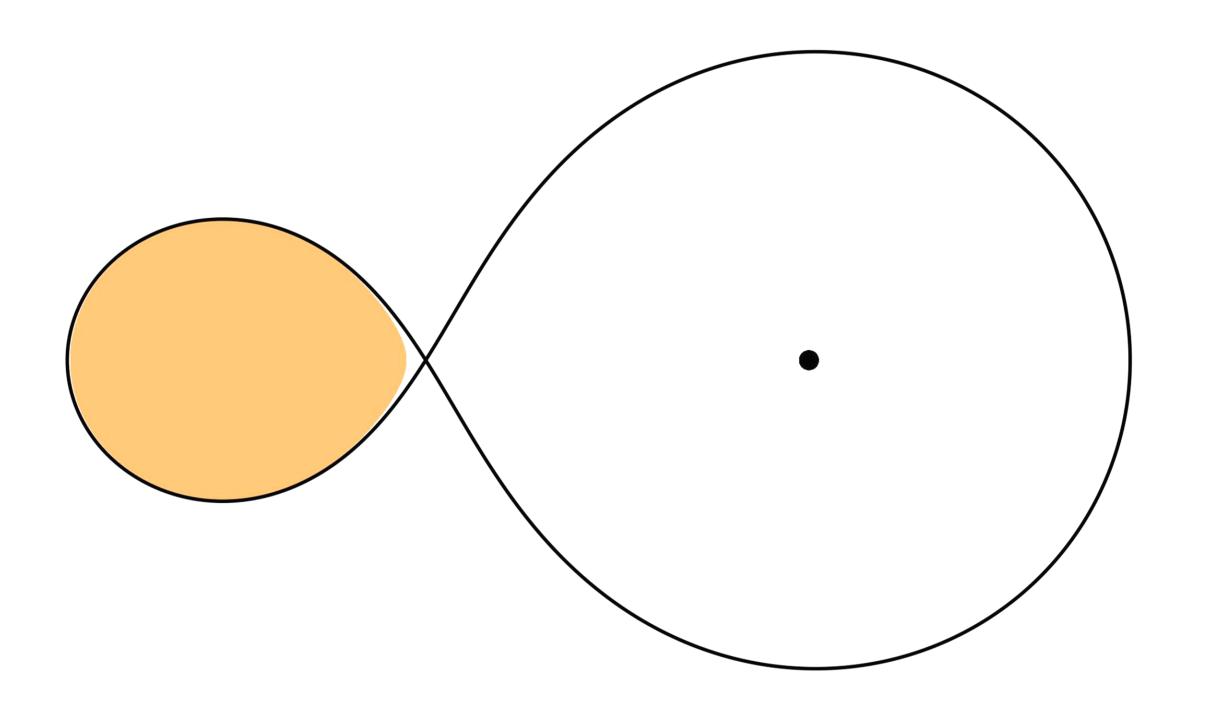


Visible surface area changes in time

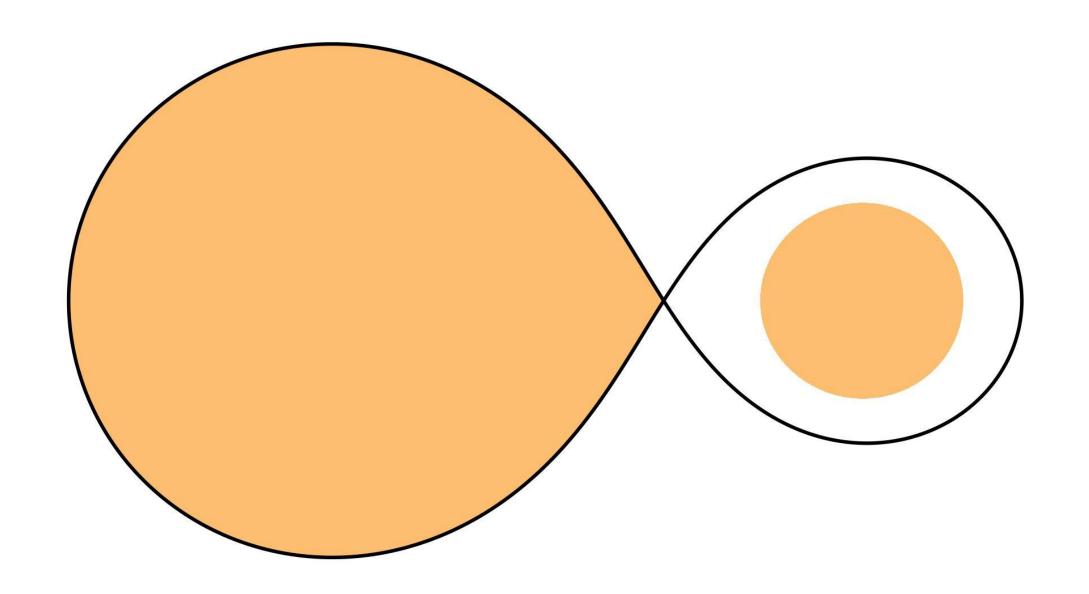


Ellipsoidal variations

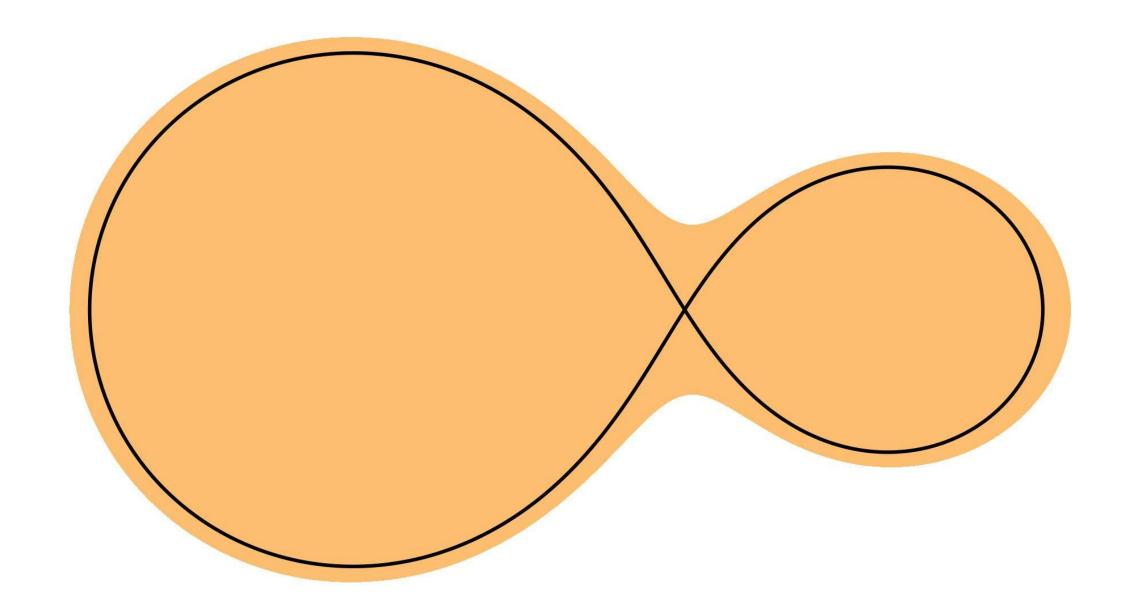
# Star + black hole/neutron star

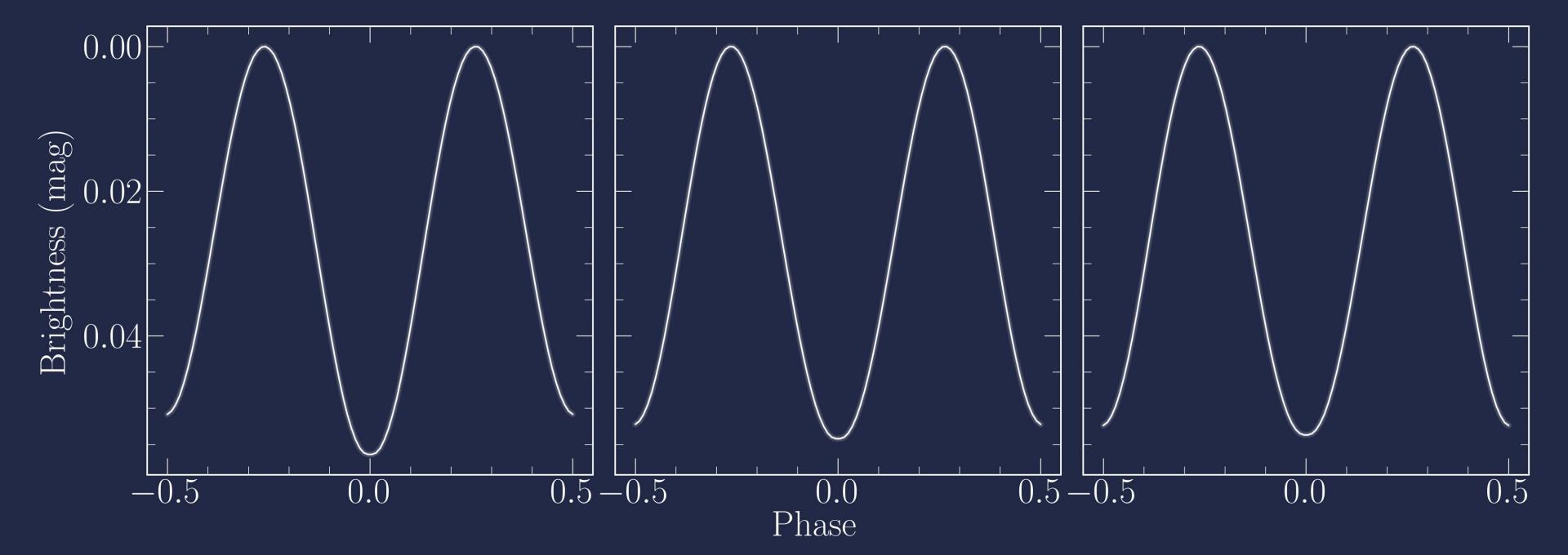


# Semidetached configuration



# Contact configuration





Contact binary q = 0.5

$$i = 25^{\circ}$$

Star + BH/NS

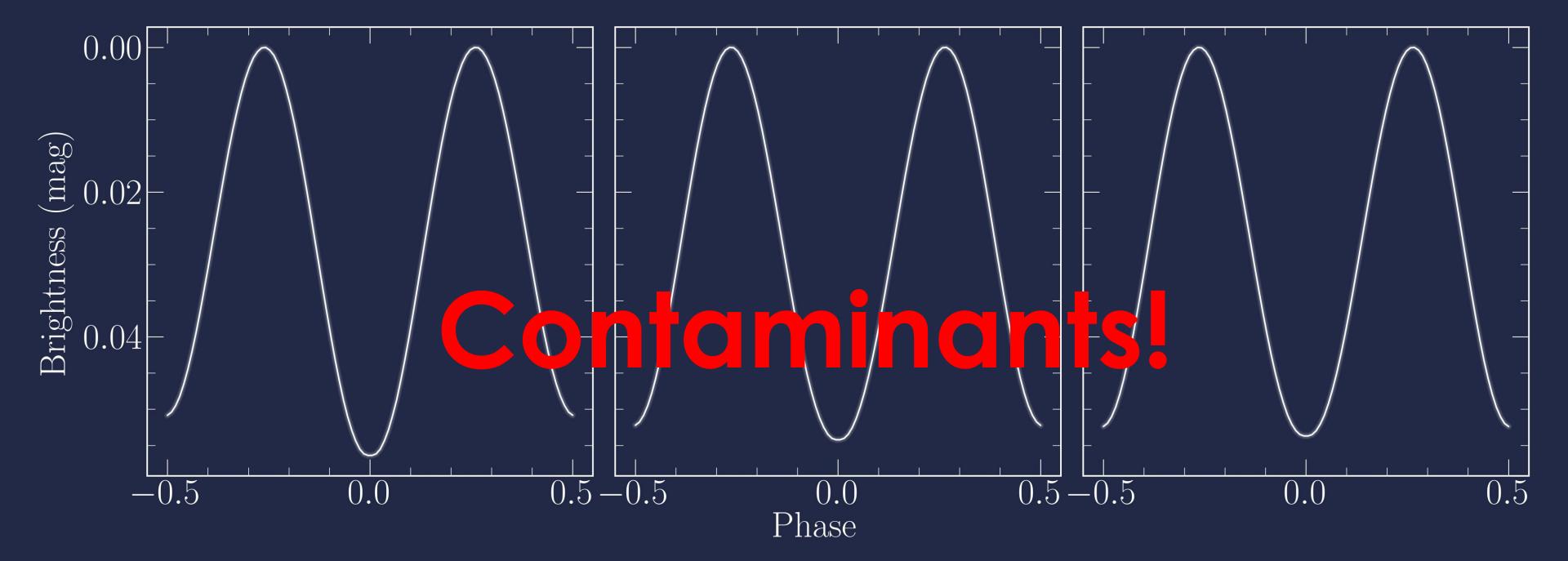
$$q = 2$$

$$i = 45^{\circ}$$

Semidetached binary

$$q = 0.5$$

$$i = 35^{\circ}$$



Contact binary 
$$q = 0.5$$
  $i = 25^{\circ}$ 

$$Star + BH/NS$$

$$q = 2$$

$$i = 45^{\circ}$$

Semidetached binary q = 0.5  $i = 35^{\circ}$ 

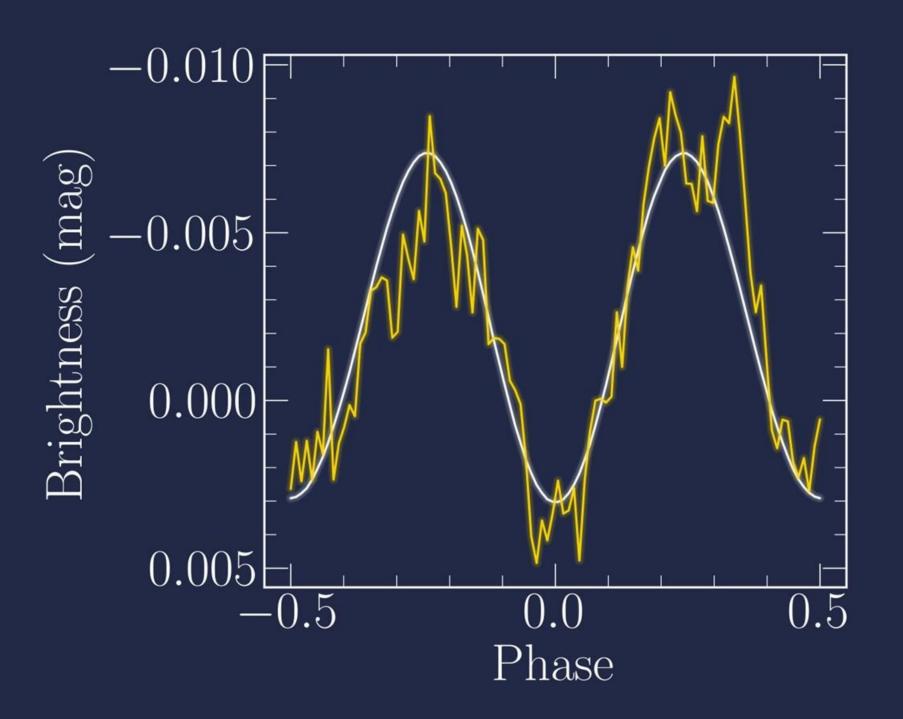
□ Machine learning

- □ Machine learning
- □ Problem: no training data

- □ Machine learning
- □ Problem: no training data
- □ Solution: synthetic data

## Synthetic light curves

- PHOEBE (Prša et al. 2016,
   Conroy et al. 2020)
- Dark companion binaries,
   contact binaries,
   semidetached binaries
- Wide range of physical and orbital parameters
- Correlated and uncorrelated
   Gaussian noise

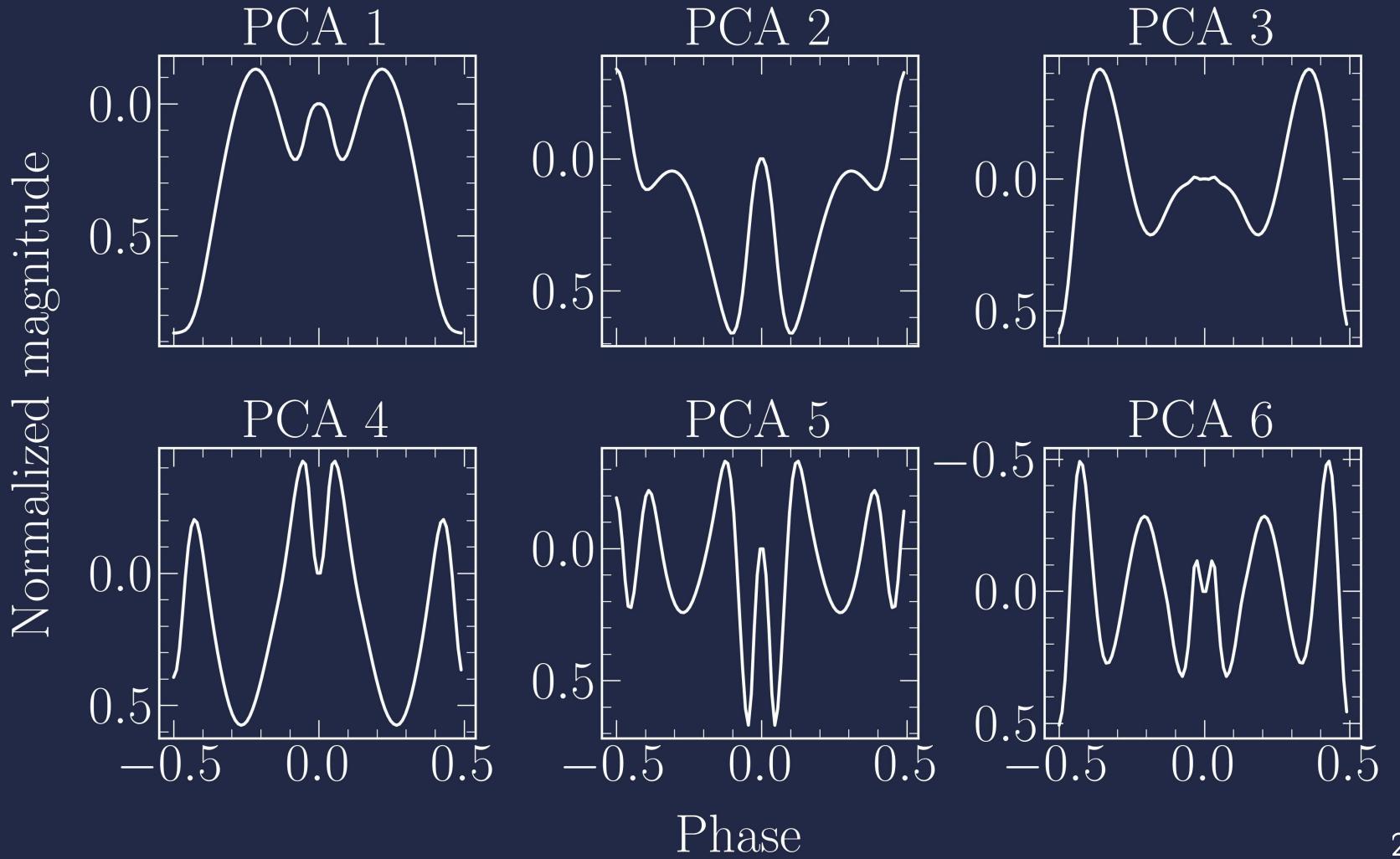


## Dimensionality reduction

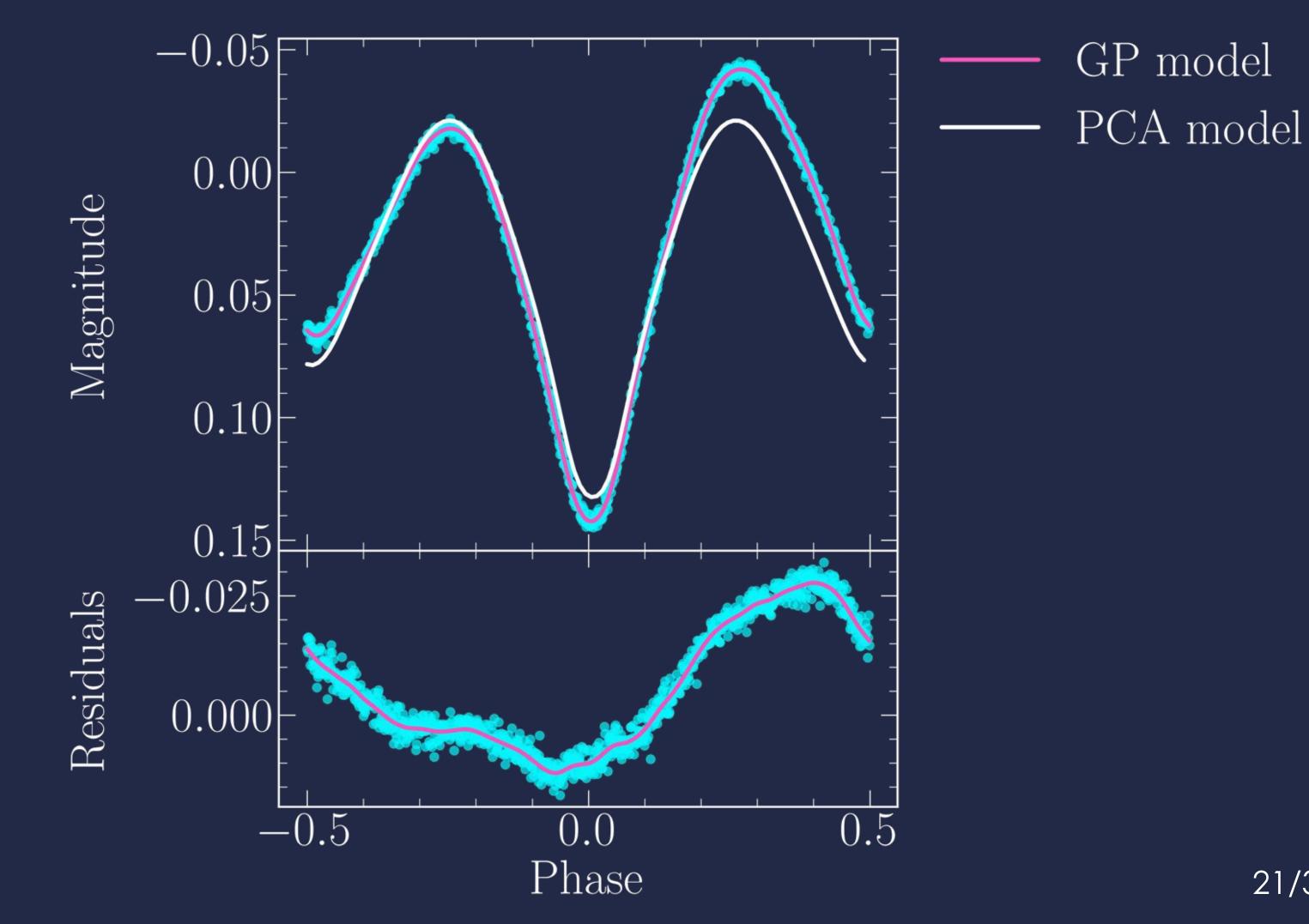
- Easier to visualize and interpret
- Can reveal underlying structure and patterns
- Effective at mitigating the curse of dimensionality
- Naturally applicable to time series

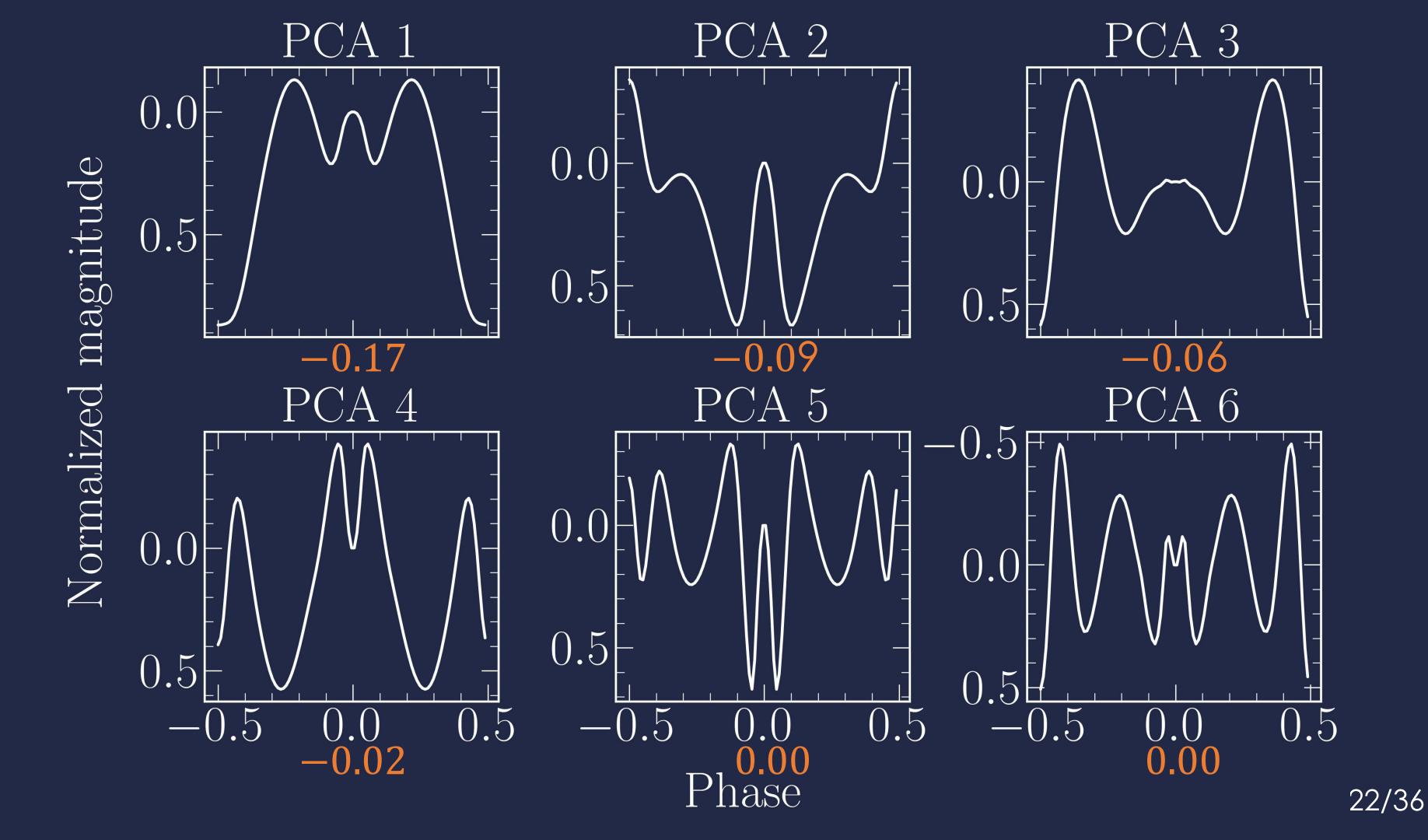
# Gaussian processes + principal component analysis

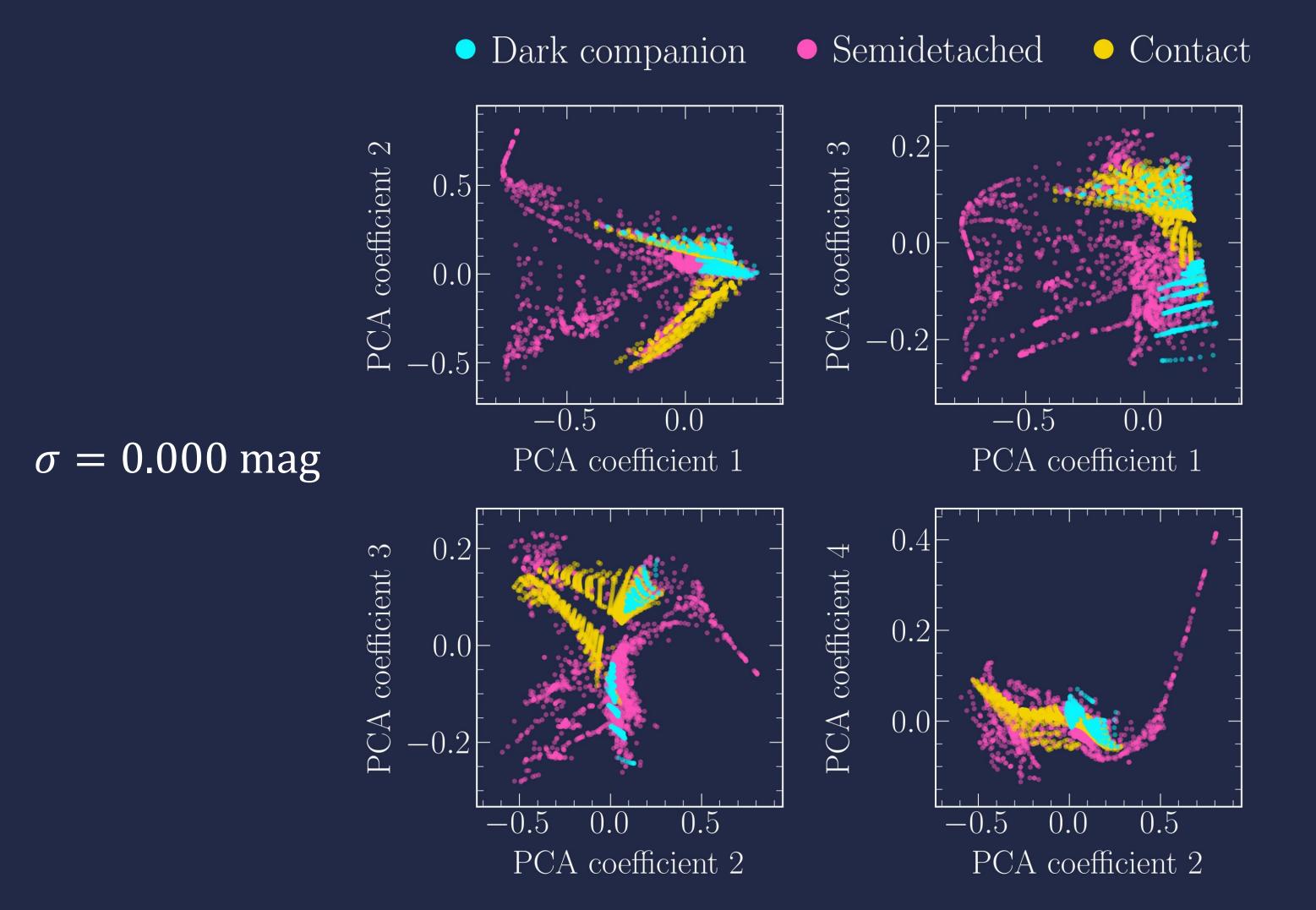
- PCA trained on synthetic light curves
- Mean function = linear combination of PCA components
- □ PCA: ellipsoidal signal
- □ GP: noise + non-ellipsoidal signal (including spots)
- □ Variable #components → Bayesian information criterion (BIC)

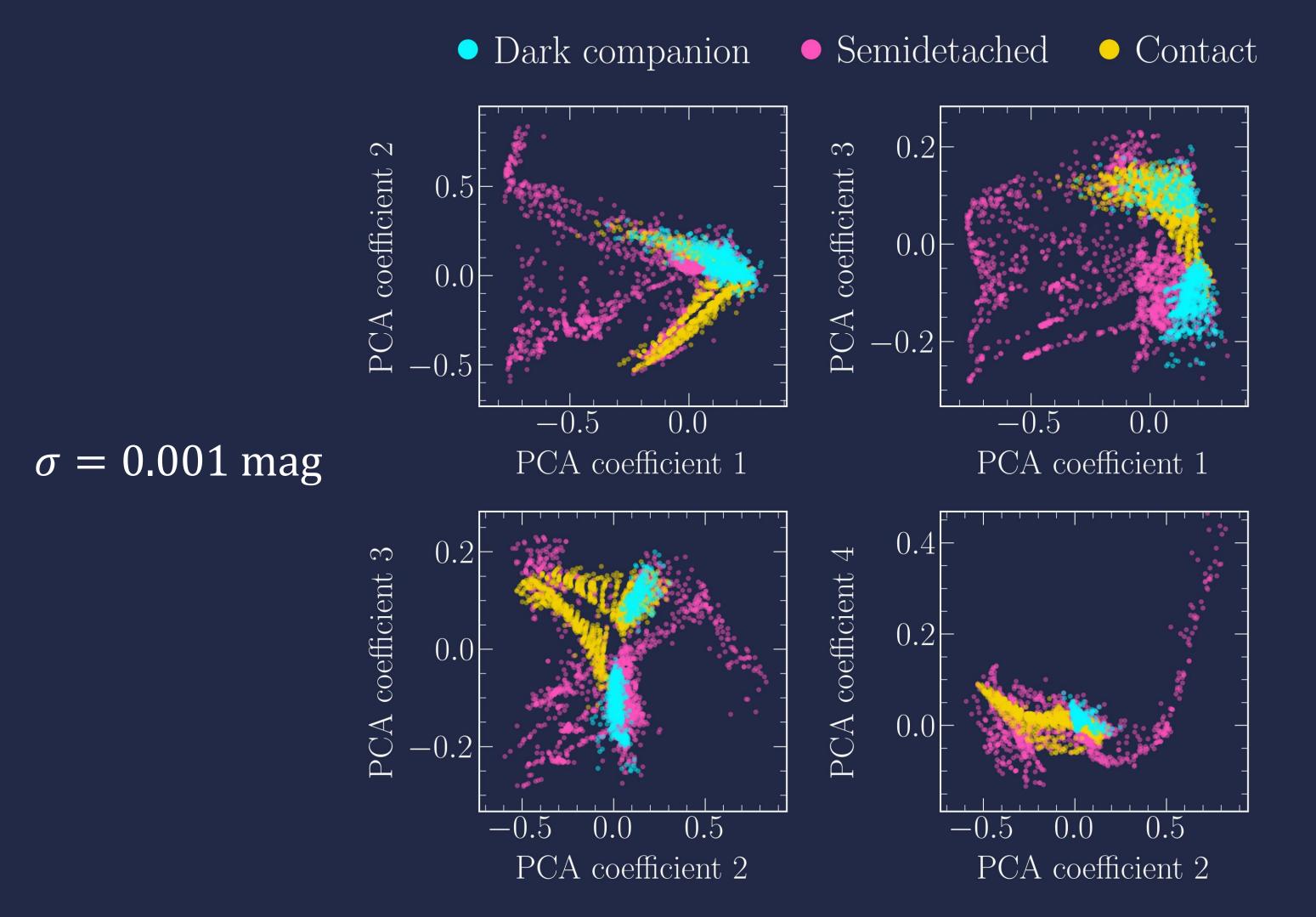


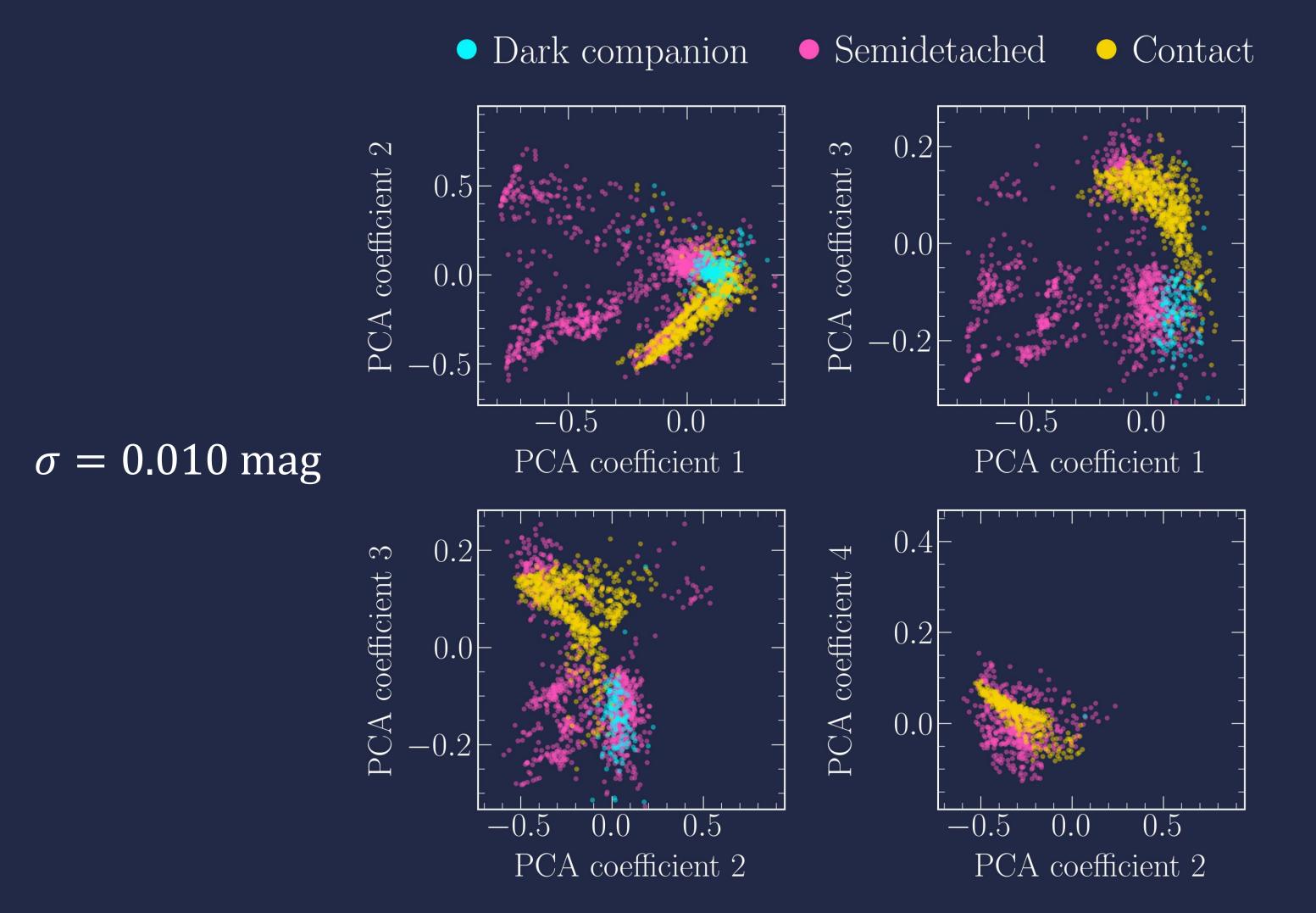
20/36



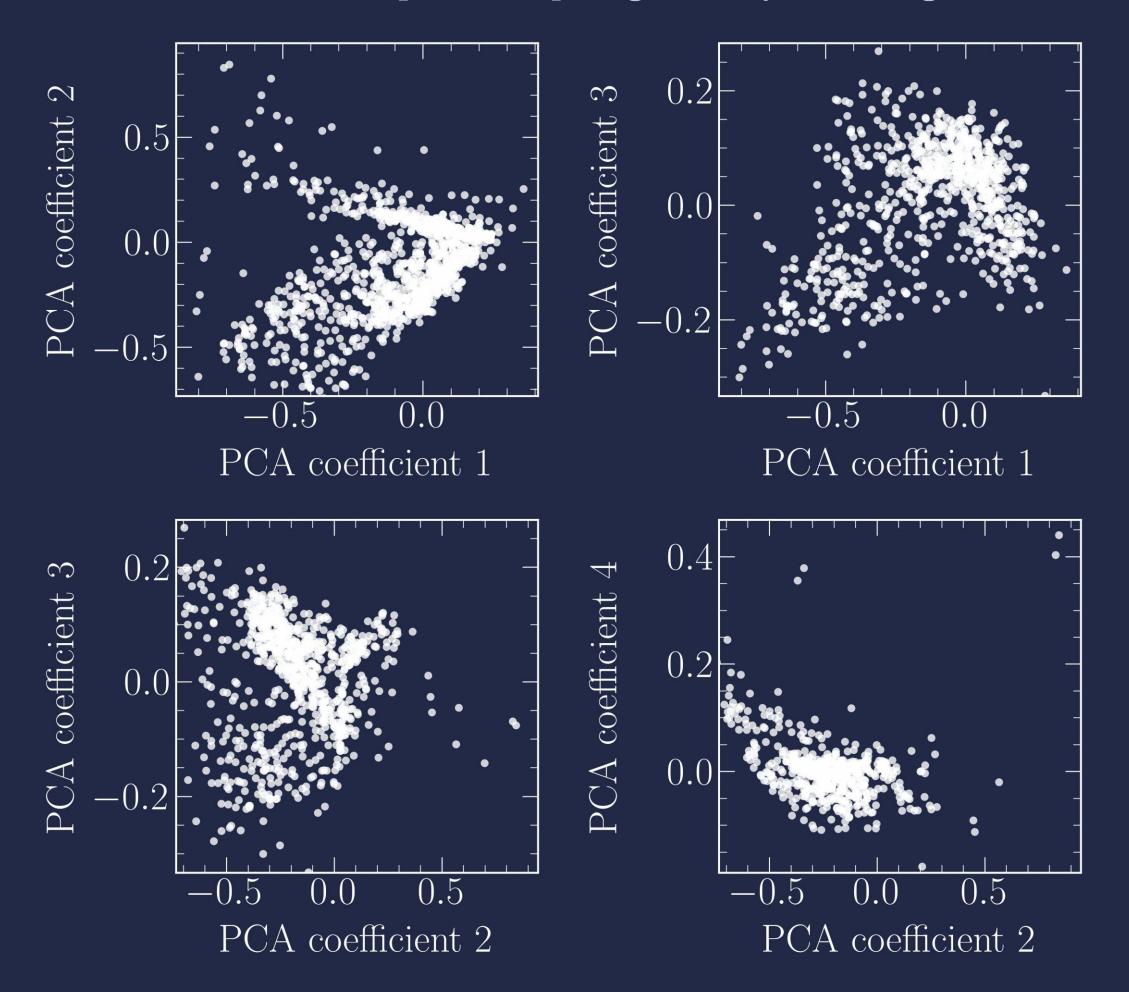




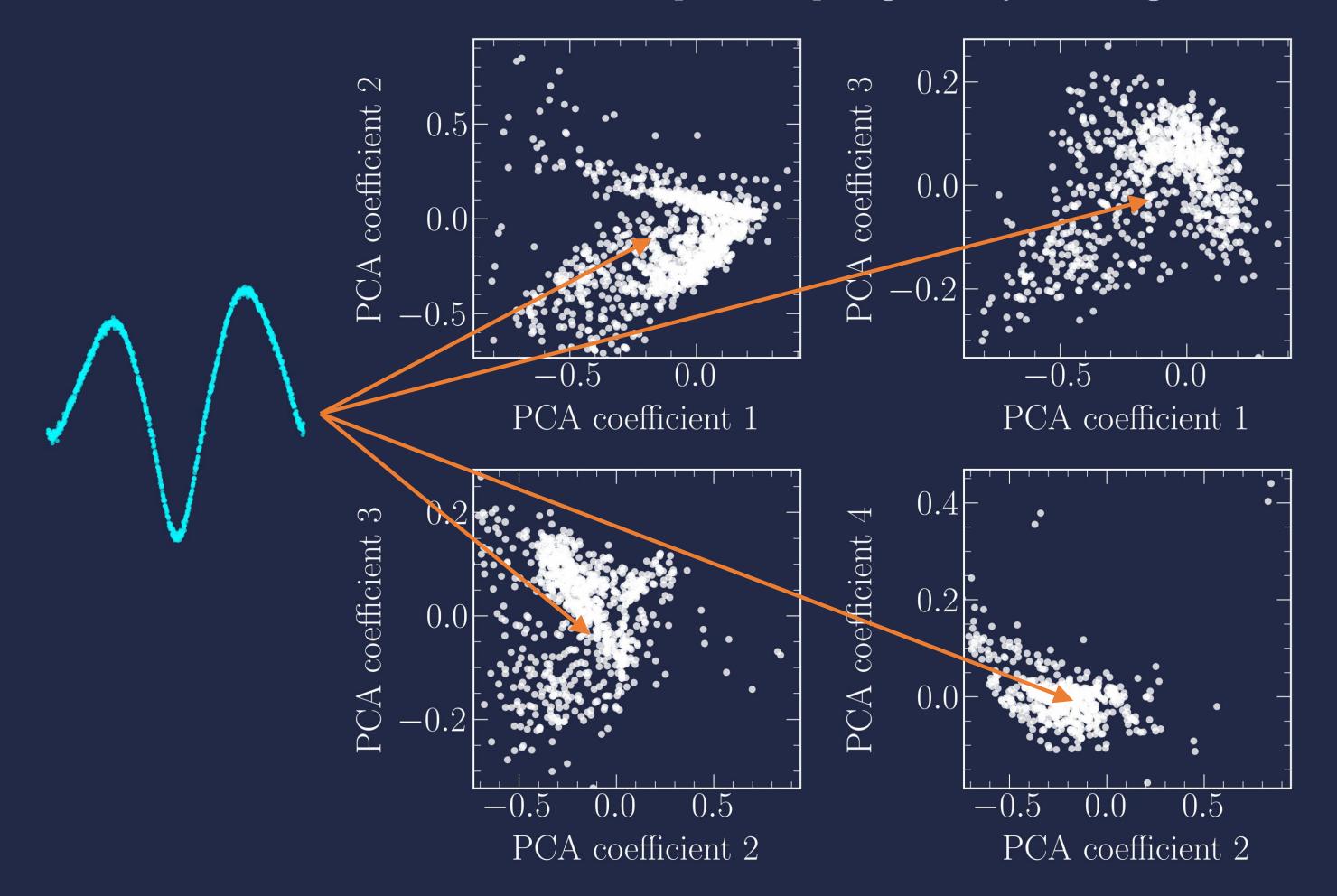




#### • Kepler Eclipsing Binary Catalog



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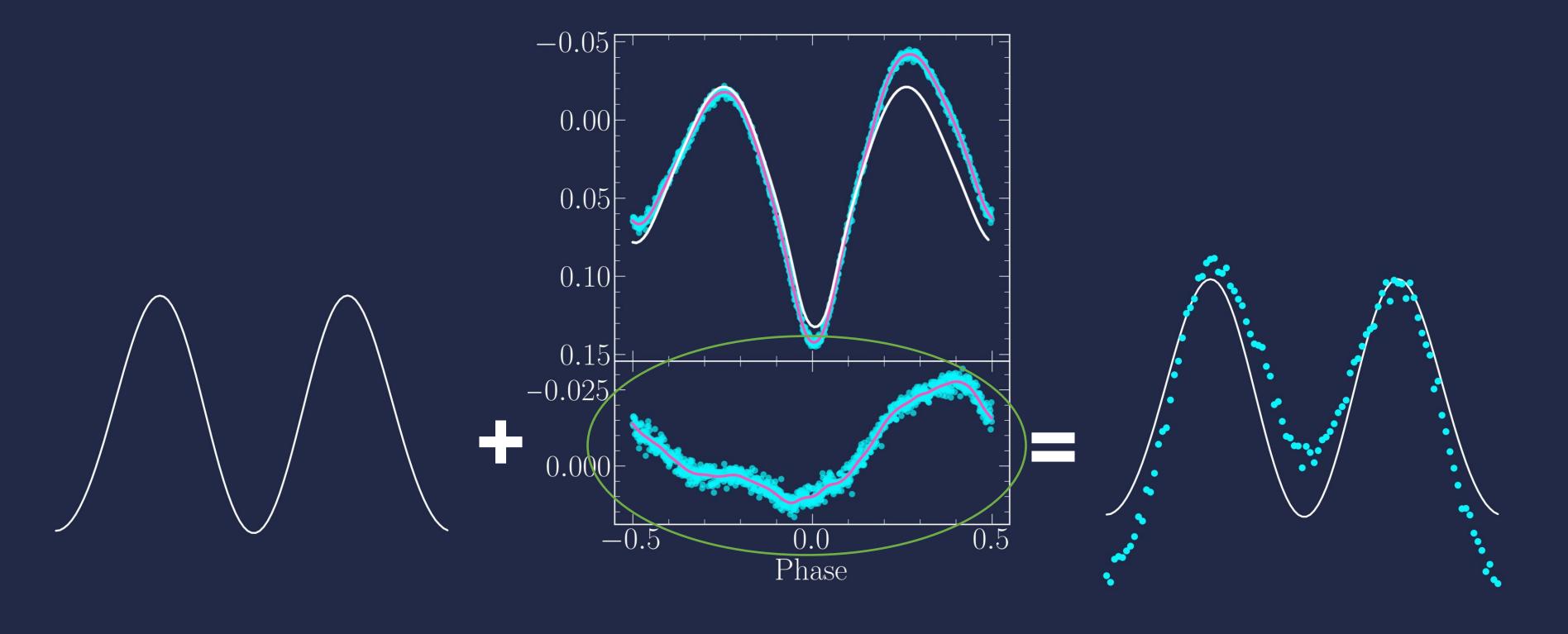
## How do we train a classifier?

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□ Problem: synthetic gap

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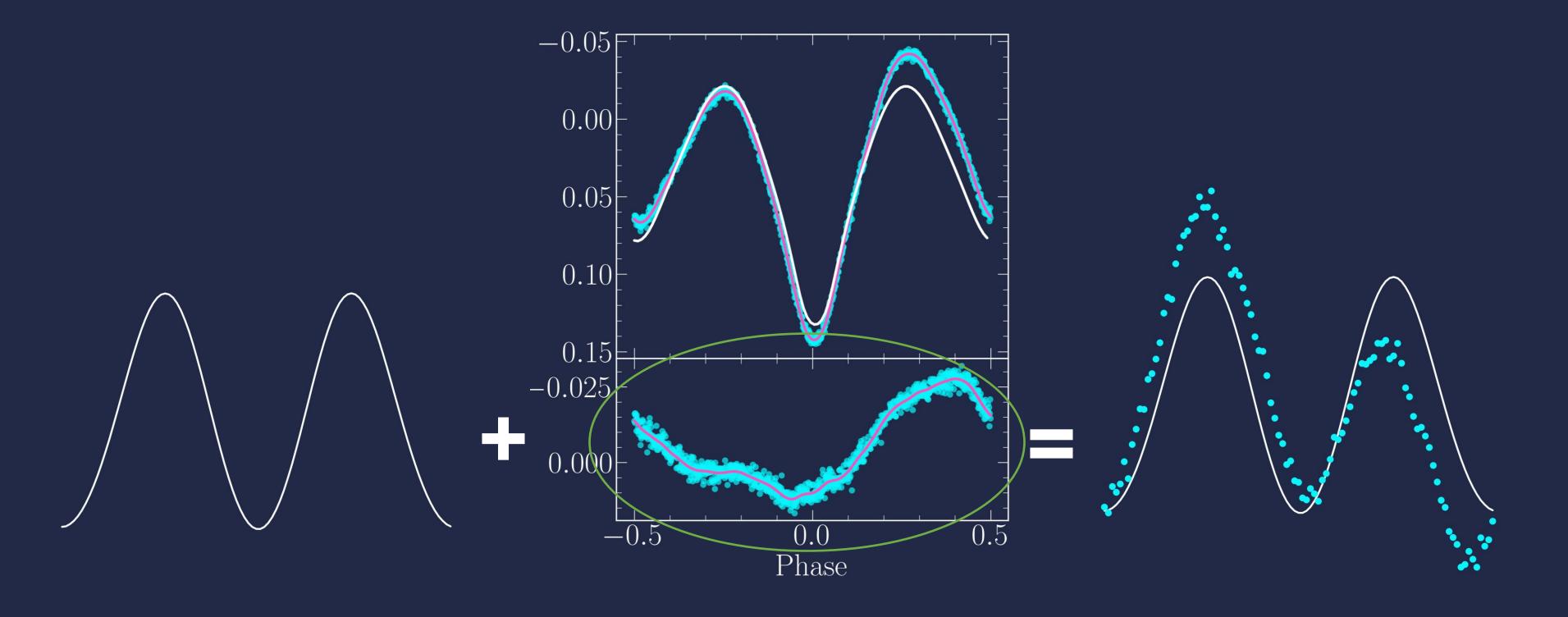
- □ Problem: synthetic gap
- □ Solution: noise transfer



Noiseless synthetic light curve

Residuals

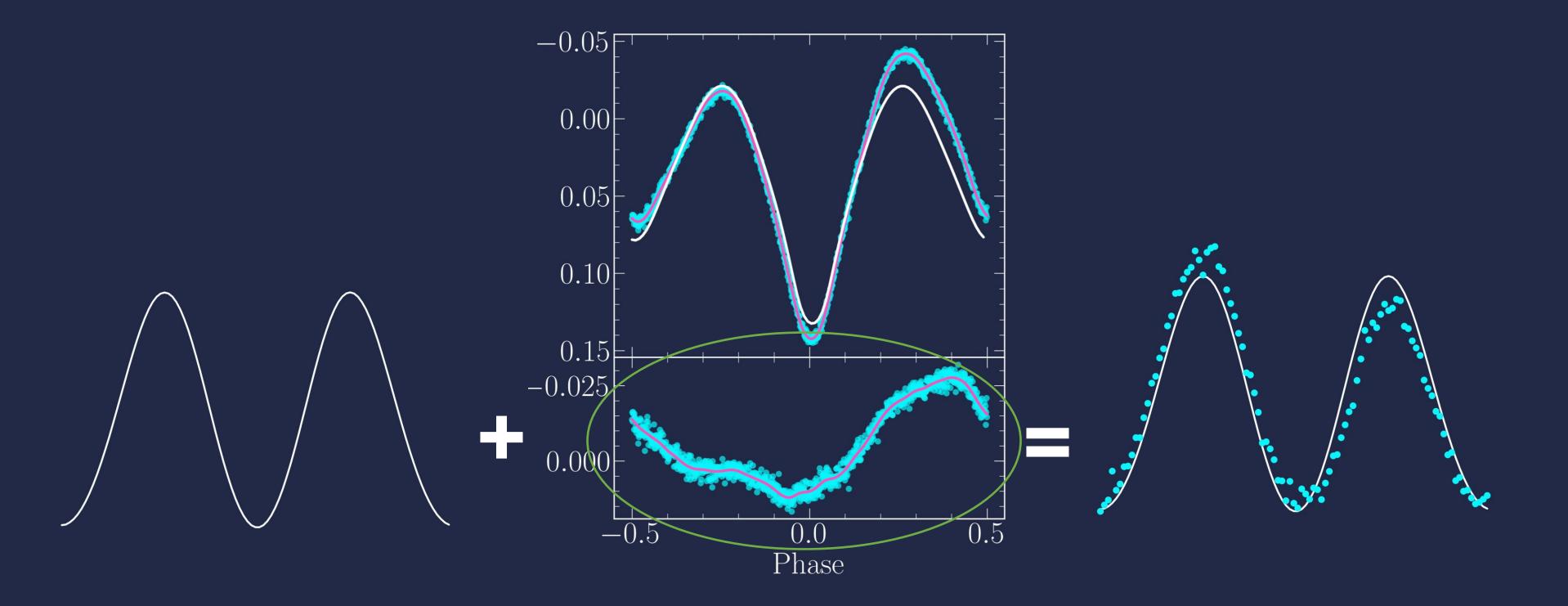
Synthetic light curve with realistic noise



Noiseless synthetic light curve

Residuals

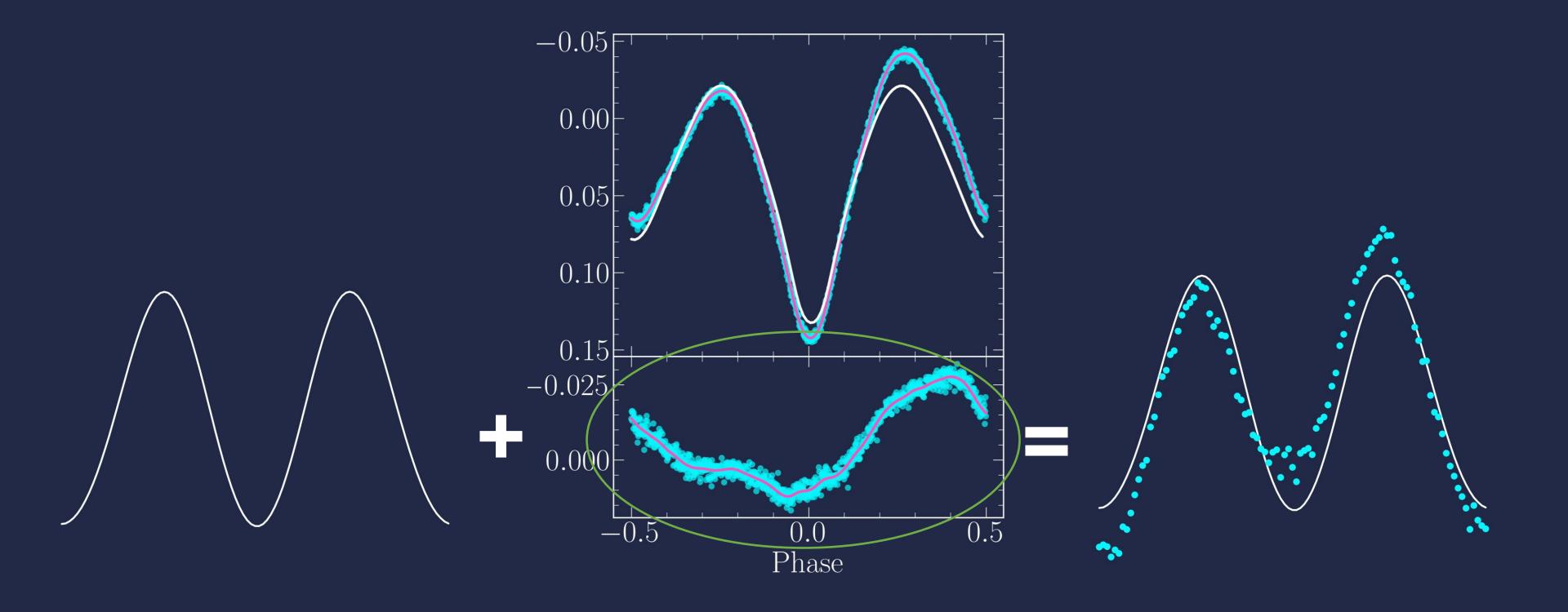
Synthetic light curve with realistic noise



Noiseless synthetic light curve

Residuals

Synthetic light curve with realistic noise

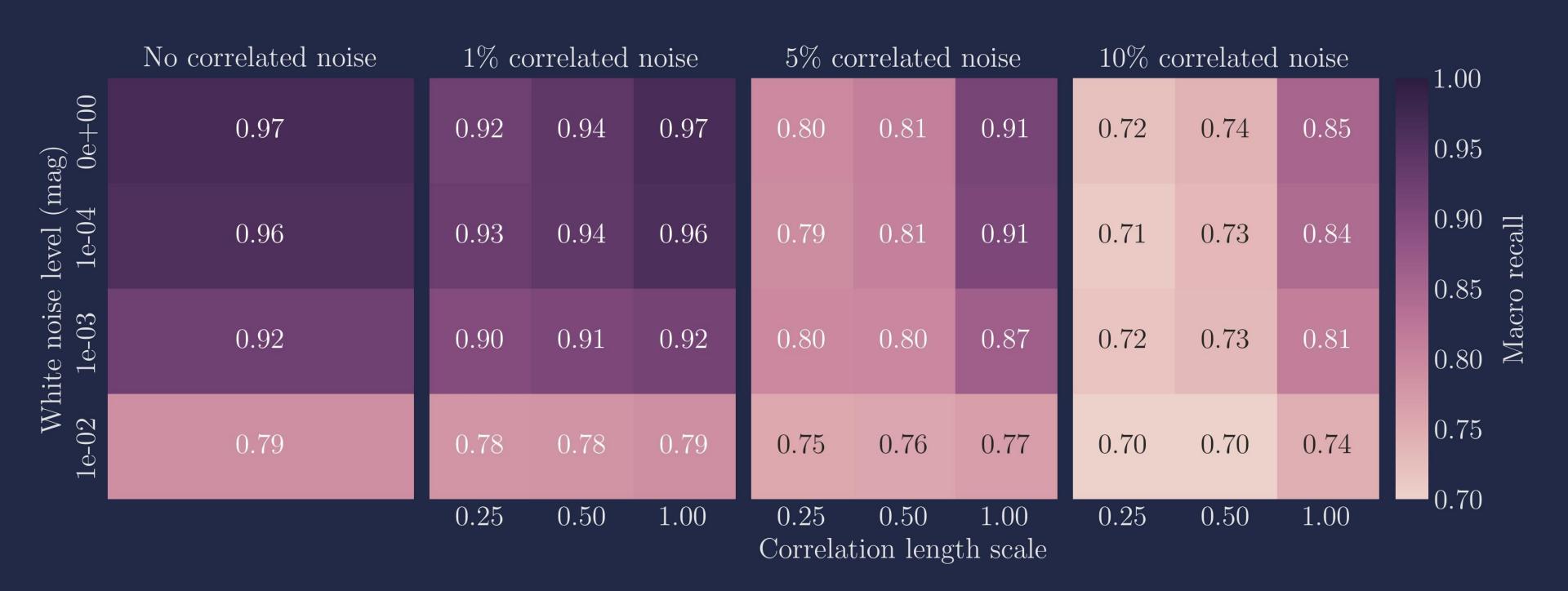


Noiseless synthetic light curve

Residuals

Synthetic light curve with realistic noise

## Completeness



Pešta+25

#### Conclusions

- Novel method for detection of dark companion binaries using principal component analysis, and Gaussian processes
- □ Synthetic gap ← noise transfer
- Applicable to any sample of ellipsoidal variables

# Backup slides

# Detached configuration

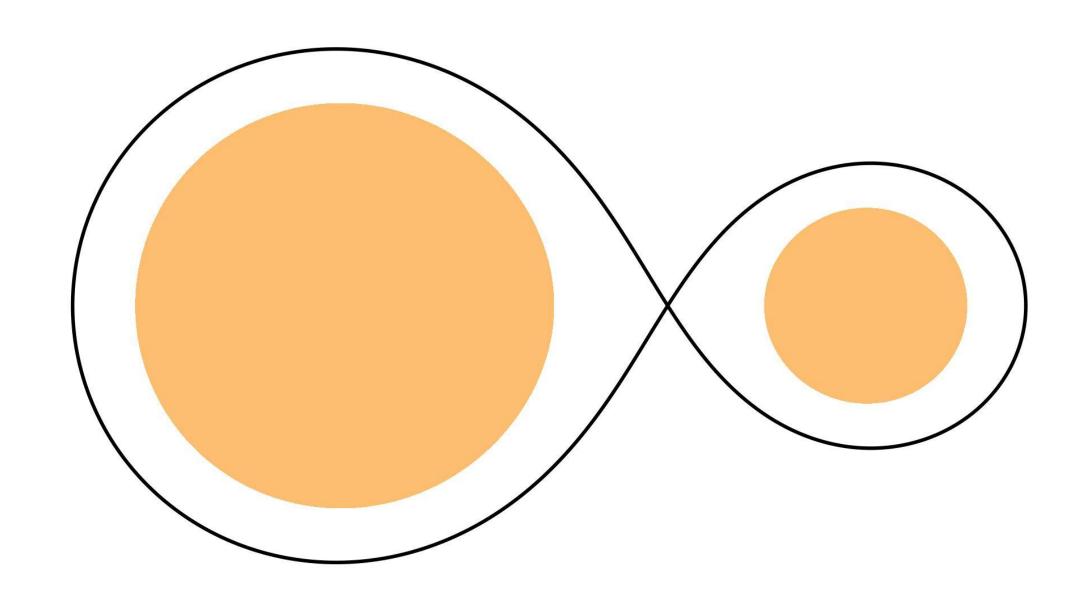


Table 1. Ranges of physical and orbital parameters used to generate synthetic light curves of dark companion, semidetached, and contact binary systems.

Parameter	Dark companion binaries	Semidetached binaries	Contact binaries
$M_1 (M_{\odot})$	1	1	1
q	$0.05-1 (\Delta q = 0.05) + 1-10 (\Delta q = 1)$	$0.05-1 (\Delta q = 0.05) + 1-10 (\Delta q = 1)$	$0.05-1 \ (\Delta q = 0.05)$
$T_{\rm eff,1}$ (K)	6000	6000, 8000, 15 000	6000
$T_{\rm eff,2}/T_{\rm eff,1}$	_	0.5, 1, 2	1
$R_1 (R_{\odot})$	1	_	_
$R_2/R_1$	_	0.1, 0.5, 2, 5	_
i (°)	$5-90 \ (\Delta i = 5^{\circ})$	$5-90 \ (\Delta i = 5^{\circ})$	$5-90 \ (\Delta i = 5^{\circ})$
$\log a/R_{\odot}$	$0-1 \ (\Delta \log a/R_{\odot} = 0.11)$	$0-1 \ (\Delta \log a/R_{\odot} = 0.11)$	_
f	_	_	0.15, 0.25, 0.5, 0.75

Notes. Parameters denoted with subscripts 1 and 2 refer to the primary and secondary components, respectively.

# Mean light curve

